Harmonic correlators for UHECRs



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We look for UHECR anisotropies

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Harmonic space: global properties

We look for UHECR anisotropies





Cross-correlations: new angular scales







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QG-MM: energy dependence, ν , γ







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QG-MM: energy dependence, ν , γ

A&A 2021, arXiv:2203.09538, +ongoing x2

with D. Alonso, F. Oliveira Franco, S. Camera, K. Tanidis

☆☆☆☆☆☆☆☆ **★ ☆☆☆☆☆☆☆ ★ ☆☆☆☆☆☆☆**

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we find the autocorrelation $\ensuremath{\mathsf{AC}}$

$$C_{\ell} = \frac{1}{2\ell+1} \sum_{m} |a_{\ell m}^* a_{\ell m}|$$

: observations :



© Biteau et al., 2019

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Primaries, three examples: H1, O16, Si28 Injection: $\gamma = 2.60$, $\gamma = 2.10$, $\gamma = 1.50$ • di Matteo & Tinyakov, 2018 \rightarrow for Si28 we cut at $E_{max} = 280$ EeV

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UHECR Kernel

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Attenuation $\alpha(z, E_{cut}; \gamma, Z)$ calculated with SimProp

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Magnetic beam

Smearing with $\sigma \sim 1 \text{deg} (40Z/E)/(\sin^2 b + 0.15)$ © Pshirkov, Tinyakov & FU, 2013 \rightarrow we smear with the max angle within a given sky patch



The 'observed' UHECR flux anisotropy is given by

$$\Delta_{\rm CR}(\hat{\mathsf{n}}, E_{\rm cut}) = \int \mathrm{d}\chi \, \phi_{\rm CR}(\chi) \, \delta_{\rm s}(z, \chi \hat{\mathsf{n}})$$

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The (optional) weights $w(\chi)$ account for

the probability that a galaxy at distance χ is the origin of an UHECR above E_{cut}



 \boldsymbol{z}

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: oxygen i 6 :



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: oxygen gmf00:



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: oxygen gmf40 :



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: hydrogen or iron :



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: total power :



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: how much fron :



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...and work in progress...