

Lorentz invariance violation search with the Cherenkov Telescope Array Observatory Large-Sized Telescope Fourth Annual Conference of COST Action CA18108– July 2023 Cyann Plard & Sami Caroff







Lorentz invariance : speed of light c in vacuum is a constant

- Quantization of space-time
- Modification of the dispersion relation : $E^2 = p^2 c^2 \times \left[1 \pm \sum_{n=1}^{\infty} \alpha_n \left(\frac{E}{E_{QG}} \right)^n \right]$ $\downarrow v = \frac{\partial E}{\partial p}$
- Energy-dependency of the photon velocity v(E) : Lorentz invariance violation (LIV)

Two photons
$$i$$
 and j with $E_j > E_i$ arrive with $\Delta t = t_j - t_i$

Measurement of
$$\ \lambda_n = rac{\Delta t_n}{\Delta E_n \kappa_n(z)} = \pm rac{n+1}{2H_0 E_{QG}^n}$$

Search for
$$E_{QG,lim}^n$$
 for $n = 1$





- Large range of energy
- Cosmological distance

$$\Delta t = \pm \frac{n+1}{2} \frac{\Delta E^n}{E_{QG}^n} \times \kappa_n(z)$$

- Highly variable and active source
 - → Blazars, GRBs, pulsars







- Next generation of Cherenkov telescopes
- 2 geographic sites : North (La Palma, Spain) and South (Chile)
- 3 types of telescopes
- One telescope constructed so far : the Large-Sized Telescope-1 (LST-1)







Cherenkov astronomy





4th COST conference - Rijeka - 2023



Cherenkov astronomy





4th COST conference - Rijeka - 2023



Looking for nights with variable flux in short time scale :

- fit of the light curve with constant function
- variable if pvalue < 5σ



For the LIV analysis, we need to perform simulations of our dataset :

- Energetic characterisation : flux vs energy (spectra)
- Temporal characterisation : flux vs time (light curve)
 - LIV energy-dependency : low energy and high energy samples
 - Find a temporal pattern to « see » Δt : used if pvalue > 2σ
- Extraction of E_{QG} limit at 2σ







Found 5 variable nights for BL Lac and 3 for Mrk421

→ The following analysis is on BL Lac (Mrk421 analysis is on going)









CAPP

Spectra



- 10 bins per decade, reconstructed energy : [20GeV, 10TeV]
- Select log parabola model instead of power law if p-value>5σ (equivalently)





- Define two energy bins : lower and higher than median of counts E=0.19TeV
- Find a parametric model for the light curves : p-value > 0.05 (2σ)
- No significant disagreement between low and high energies























4th COST conference - Rijeka - 2023







4th COST conference - Rijeka - 2023

Cyann Plard & Sami Caroff



- Code developped for time lag study and combination of different experiments data
- Based on ROOT C++
- Takes into account instrumental response and background
- Not yet public, created for the consortium between H.E.S.S., MAGIC, VERITAS, and now LST







For one night :
$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i, \lambda_n)}{dE_R dt} \right)$$

with
$$\frac{dP}{dE_R dt} = W_s \frac{\int \mathcal{E}_{\rm ff} \mathcal{A}(E_T, \vec{\epsilon}) \mathcal{M}\mathcal{M}(E_T, E_R) \times \mathcal{F}_s(E_T, t; \lambda_n) dE_T}{N'_s}$$

$$+\sum_{k} W_{b,k} \frac{\int \mathcal{E}_{\mathrm{ff}} \mathcal{A}(E_T, \vec{\epsilon}) \mathcal{M} \mathcal{M}(E_T, E_R) \times \mathcal{F}_{b,k}(E_T) dE_T}{N'_{b,k}}$$





For one night :
$$\mathcal{L}(\lambda_n) = -\sum_{\mathbf{i}} \log \left(\frac{dP(E_{R,\mathbf{i}}, t_{\mathbf{i}}, \lambda_n)}{dE_R dt} \right)$$

with
$$\frac{dP}{dE_R dt} = W_s \frac{\int \mathbf{E}_{\rm ff} \mathbf{A}(E_T, \vec{\epsilon}) \mathbf{M} \mathbf{M}(E_T, E_R) \times \mathbf{F}_s(E_T, t; \lambda_n) dE_T}{N'_s}$$

$$+\sum_{k} W_{b,k} \frac{\int \mathcal{E}_{\mathrm{ff}} \mathcal{A}(E_T, \vec{\epsilon}) \mathcal{M} \mathcal{M}(E_T, E_R) \times \mathcal{F}_{b,k}(E_T) dE_T}{N'_{b,k}}$$





For one night :
$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i, \lambda_n)}{dE_R dt} \right)$$
with
$$\frac{dP}{dE_R dt} = W_s \frac{\int E_{\rm ff} A(E_T, \vec{\epsilon}) \mathrm{MM}(E_T, E_R) \times F_s(E_T, t; \lambda_n) dE_T}{N'_s}$$
Signal
$$+ \sum_k W_{\mathbf{b}, \mathbf{k}} \frac{\int E_{\rm ff} A(E_T, \vec{\epsilon}) \mathrm{MM}(E_T, E_R) \times F_{\mathbf{b}, \mathbf{k}}(E_T) dE_T}{N'_{\mathbf{b}, \mathbf{k}}}$$
Backgrounds k : hadrons and baseline





For one night :
$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i, \lambda_n)}{dE_R dt} \right)$$







For one night :
$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i, \lambda_n)}{dE_R dt} \right)$$

with
$$\frac{dP}{dE_R dt} = W_s \frac{\int \mathbf{E}_{\mathrm{ff}} \mathbf{A}(E_T, \vec{\epsilon}) \mathrm{MM}(E_T, E_R) \times \mathbf{F}_s(E_T, t; \lambda_n) dE_T}{\mathbf{M}'_s}$$

Instrumental response functions
$$+ \sum_k W_{b,k} \frac{\int \mathbf{E}_{\mathrm{ff}} \mathbf{A}(E_T, \vec{\epsilon}) \mathrm{MM}(E_T, E_R) \times \mathbf{F}_{b,k}(E_T) dE_T}{N'_{b,k}}$$





For one night :
$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i, \lambda_n)}{dE_R dt} \right)$$

with
$$\frac{dP}{dE_R dt} = W_s \frac{\int E_{\rm ff} A(E_T, \vec{\epsilon}) MM(E_T, E_R) \times \mathbf{F}_s(E_T, t; \lambda_n) dE_T}{N'_s}$$

$$+ \sum_k W_{b,k} \frac{\int E_{\rm ff} A(E_T, \vec{\epsilon}) MM(E_T, E_R) \times \mathbf{F}_{b,k}(E_T) dE_T}{N'_{b,k}}$$





- Find the λ_1 that minimizes the likelihood
- Get the 95% uncertainty of λ_1
- Perform 1000 dataset simulations for calibration
- After calibration, if λ_1 compatible with 0 $\rightarrow E^1_{QG,lim}$ on real data







Extraction of E_{QG} limit







Extraction of E_{QG} limit

On real data : Time delay : $\lambda_1 = (3432 + 2688 + 4482 + 4482)$ s.TeV⁻¹









Bolmont et al., 2022





- LIV analysis of 2 variable nights of BL Lac
- Combined them to extract a limit on E_{QG} at the order n=1 on real data

Ongoing work :

- Combine with other flares (2022-10-20) and other sources (Mrk421)
- Derive LST systematics and integrate them to LIVelihood
- Limit on E_{QG} for n=2













August 8th 2021

August 9th 2021





4th COST conference - Rijeka - 2023

Cyann Plard & Sami Caroff





P-value= 0.000016 < 0.05 (2σ)

CAPP







August 8th 2021

August 9th 2021













Mrk421 2022-05-18 variable night



LIVelihood analysis on going

4th COST conference - Rijeka - 2023



Likelihood method for real data

$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i, \lambda_n)}{dE_R dt} \right)$$

 $\frac{dP}{dE_R dt} = W_s \frac{\int E_{\rm ff} A(E_T, \vec{\epsilon}) MM(E_T, E_R) \times F_S(E_T, t; \lambda_n) dE_T}{N'_s} + W_b \frac{\int E_{\rm ff} A(E_T, \vec{\epsilon}) MM(E_T, E_R) \times F_b(E_T) dE_T}{N'_b} + W_h \frac{dN_{off}}{dE_B} \times \frac{1}{T} \times \frac{1}{N'_s}$



4th COST conference - Rijeka - 2023

IRFs and zenith angle







4th COST conference - Rijeka - 2023

Cyann Plard & Sami Caroff



Search for the gammaness cut that maximizes the combined significance of all variable nights and all non-variable nights.



- All the analysis has been done with cut of 0.6; cut of 0.7 is on going
- Tuned cut search for Mrk421 on going

