

Non Cold Dark Matter from Burdened Primordial Black Holes

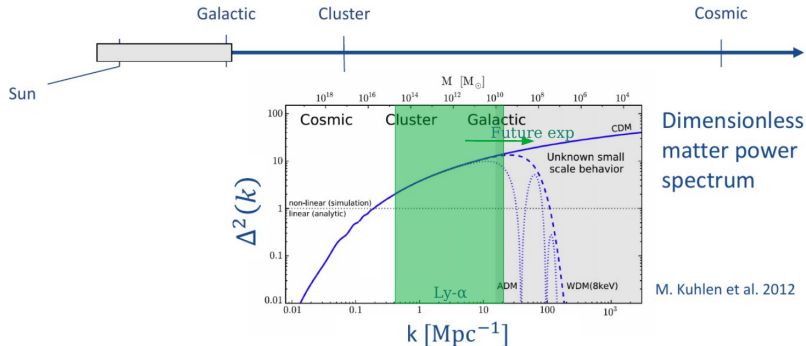
Laura Lopez Honorez



based on 2604.00090 and JCAP 08 (2020) 045 in collaboration with
V. Thoss, M. Hufnagel & F. Kühnel and I. Baldes, Q. Decant & D.C. Hooper

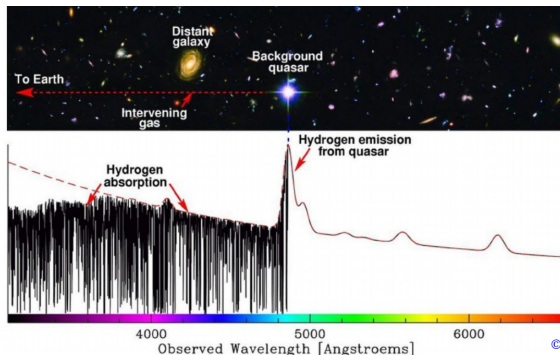
IDM, Zaragoza, 1-5/06/2026

Non-Cold Dark Matter erases small scale structures



- WDM **free-streaming** from overdense to underdense regions
 $\rightsquigarrow$ Smooth out inhomogeneities for $\lambda \lesssim \lambda_{FS} \sim \int v/adt$
- Effects $P(k)$ generalized to **Non-Cold DM** see e.g. [Bode'00, Viel'05, Murgia'17], including non-thermal FIMPs [see talk O. Lebedev] or e.g. DM from PBH evap [this talk].

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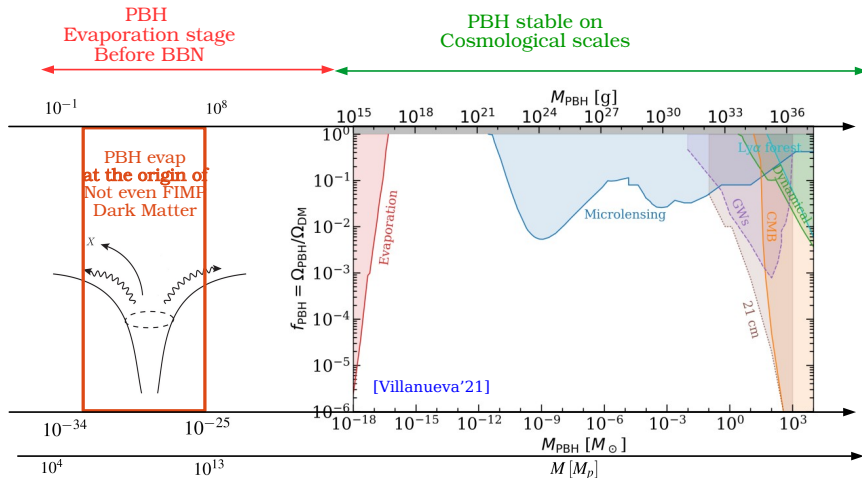
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- Effects $P(k)$ generalized to **Non-Cold DM** see e.g. [Bode'00, Viel'05, Murgia'17], including non-thermal FIMPs [see talk O. Lebedev] or e.g. DM from PBH evap [this talk].
- Tested against **Lyman- α** : absorption lines along line of sights to distant quasars probe smallest structures $\rightsquigarrow m_{\text{WDM}}^{\text{thermal}} > 5.3\text{-}5.7 \text{ keV}$
 see e.g. [Viel'05, Yèche'17, Palanque-Delabrouille'19, Garzilli'19, Isric'23]

PBH evaporation and Dark Matter

see also e.g. [Bauman'07,Fujita'14,Allahverdi'17, Lennon'17,Morrison'17, Hooper'19+, Masina'20,Keith'20, Gondolo'20,Bernal'20+,...,

Barman'24, Haque'24] + talks P. De la Torre Luque, F. Kühnel



Burdened PBH evaporation

Memory Burden: Slow down of PBH evaporation

PBHs must be light enough to decay via **Hawking radiation** at an early enough epoch to avoid constraints.

- $T = \frac{M_{\text{P}}^2}{8\pi M}$ and $S = 4\pi \frac{M^2}{M_{\text{P}}^2}$

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- **Semi-classical**: evap self similar evaporation from M_F to $M = 0$:

$$\frac{dN_j^{\text{sc}}}{dE dt} = \frac{g_j}{2\pi} \frac{\Gamma(E, M, s_j)}{e^{E/T} - (-1)^{2s_j}} \quad \text{and} \quad t_{\text{sc}} \sim \frac{M_F^3}{M_{\text{P}}^4}$$

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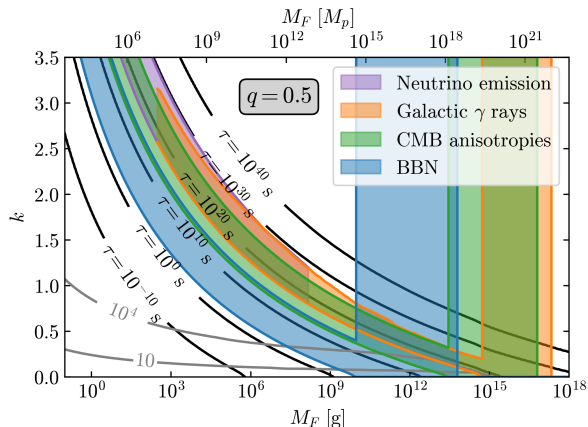
- **Memory Burden**: evap drops drastically from $M = qM_F$ [Dvali'20]

$$\frac{dN_j^{\text{mb}}}{dE dt} = \frac{1}{S^k} \times \frac{dN_j^{\text{sc}}}{dE dt} \quad \text{and} \quad t_{\text{mb}} \propto 3 q^3 S(qM_F)^k t_{\text{sc}} .$$

Burdened PBH parameter space

see also e.g. [Thoss'24, Chianese'24, Chaudhuri'25, Haque'24, Barman'24, etc]

Constraints from BBN, CMB anisotropies, γ -rays and neutrino observations, assuming instantaneous transition $SC \rightarrow MB$:



- upper right: PBH makes all DM iff very suppressed initial abundance ($\beta < 10^{-21}$)*
Considering a smooth transition excludes this region. [Montefalcone'25, Dvali'25]
- lower left: **PBH fully evaporated** and potential source of DM
Focus of this talk

*Also for MB setting at very early stage $q \ll 1$ a few % evaporated particle DM could add up to PBH DM.

(Not even FIMP) DM production from Burdened PBH

NCDM from PBH evaporation

see also earlier works from [Bell'98, Dolgov'00, Baumann'07, Dai'09, Fujita'14, Lenon'17, Morisson'18, Hooper'19++, Gondolo'20, Masina'20, Baldes'20, Bernal'20, Auffinger'20, etc]

- DM particles (and SM) will be produced from PBH evaporation given **gravitational interactions** (not even FIMPs needed).
- For $m_{DM} < T_F = M_P^2/(8\pi M_F)$, can behave as non-thermal NCDM.

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$$\Omega_{DM}^{(0)} \sim \begin{cases} \beta \left(\frac{M_F}{M_P} \right)^{1/2} & \text{RD } (\beta < \beta_c), \\ q^{-2} \left(\frac{M_P}{q M_F} \right)^{k+1/2} & \text{MD } (\beta > \beta_c). \end{cases}$$

MB only influences $\Omega_{DM}^{(0)}$ in MD.

see also [Haque'24, Barman'24]

NCDM from PBH evaporation

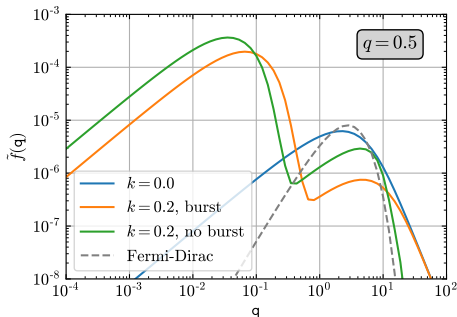
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- In general: **two populations DM** (NCDM+CDM);
if MB and SC near in time $\rightsquigarrow$ **two populations NCDM**

Translating WDM bound to NCDM?

see also [Kamada'19, Baumholzer'19, Ballesteros'20, d'Eramo'20, Decant'21]

Naive estimate for “similar velocity distributions” :

$$\langle v_\chi \rangle|_{t_0}^{\text{NCDM}} \geq \langle v_\chi \rangle|_{t_0}^{\text{WDM lim}}$$

$$\text{with } \langle v_\chi \rangle|_{t_0} = \frac{\sqrt{\langle p_\chi^2 \rangle}}{m_\chi} \Big|_{t_0} = \frac{\sqrt{\langle p_\chi^2 \rangle}}{T_\star} \Big|_{t_{\text{prod}}} \times \frac{T_{\star \text{prod}} a_{\text{prod}}}{T_0} \times \frac{T_0}{m_\chi}$$

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- WDM: $T_{\star\text{prod}} a_{\text{prod}} = \left(\frac{g_{*S}(t_0)}{g_{*S}(t_D)} \right)^{1/3} T_0$ and
 $\Omega_\chi h^2 = 0.12 \rightsquigarrow g_{*,S}(T_D) \simeq 10^3 \times \frac{m_\chi}{\text{keV}} \Rightarrow \langle v_\chi \rangle|_{t_0}^{\text{WDM}} \propto m_{\text{WDM}}^{-4/3}$
- PBH: $T_{\star\text{prod}} a_{\text{prod}} \sim T_F \times a_{\text{ev}}^{mb} \sim M_F^{-1} \times M_F^{3/2} S^{k/2}$
 $\Rightarrow \langle v_\chi \rangle|_{t_0}^{\text{PBH}} \propto m_\chi^{-1} \times M_{\text{PBH}}^{1/2+k}$

$$m_\chi \gtrsim \# M_{\text{PBH}}^{1/2+k} \times m_{\text{WDM lim}}^{4/3}$$

$\rightsquigarrow$ the NCDM lower bound on the DM mass increases for larger k values

PBH evaporating after inflation and before BBN

see also [Barman'24, Haque'24]

PBH generation: after inflation an initially large density perturbation at sufficiently small scale can collapse to form a PBH with mass of order the horizon mass.

[Zeldovich & Novikov; Hawking; Carr & Hawking]

$$M_{BH}^{init} \equiv M_F = M_{\text{horiz}} = \gamma \rho_{\text{tot}} \times 4\pi / (3H_F^3)$$

- PBH formed **after inflation**:
 $t_F > t_{\text{infl}} \rightarrow M_F > 10^4 M_p$
- PBH evaporate **before BBN**:
 $t_{\text{ev}} < t_{\text{BBN}} \rightarrow M_F < M_{\text{max}}^{\text{ev}}$
- DM abundance depends on the initial BH fraction: $\beta \equiv \rho_{\text{PBH}} / \rho_{\text{tot}}|_{t_F} \leq 1$

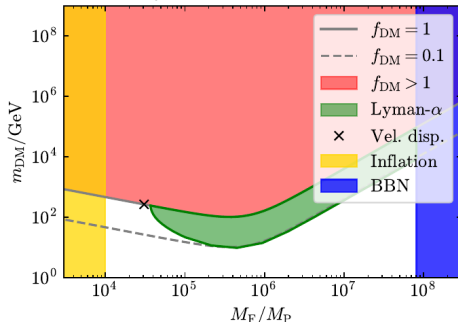
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$$\beta = 10^{-12}, k=1, q=0.5$$



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Lyman- α bound using area estimator [Schneider'16, Murgia'17]: can exclude NCDM with $m_{DM} \gg \text{keV}$. NCDM always excluded in MD (=PBH dominated) era ($\beta > \beta_c$)

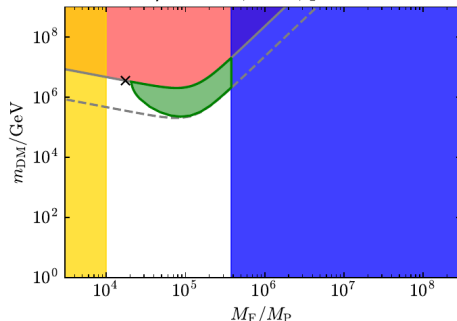
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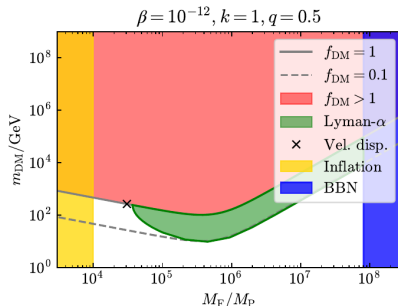
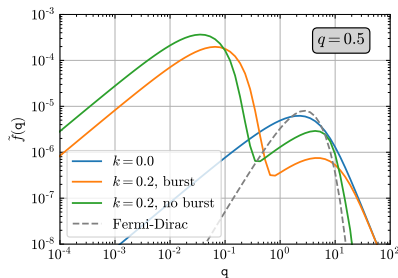
$$\beta = 10^{-16}, k=2, q=0.5$$



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Take home message



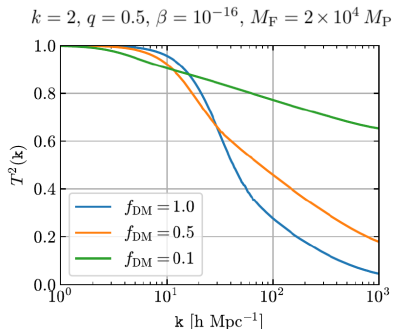
- Not even feebly coupled NCDM can be produced from PBH evaporation
- Memory burden naturally leads to two populations of DM
CDM + NCDM or 2 NCDM populations
- Lyman- α observations exclude all DM from PBH evaporation in a PBH dominated universe and can exclude NCDM with masses $\gg$ few keV

Thank you for your attention!!

Bonus

Reinterpretation of WDM bounds

Introduce exact velocity distribution in CLASS to extract $T_X^2(k) = P(k)/P_{\text{CDM}}(k)$



Use the **area estimator**: $\delta A_X = \frac{A_{\text{CDM}} - A_X}{A_{\text{CDM}}}$ with $A_X = \int_{k_{\min}}^{k_{\max}} dk' \frac{P_{\text{ID}}^X(k')}{P_{\text{ID}}^{\text{CDM}}(k')}$, to extract **CDM+NCDM bounds** corresponding to $m_{\text{WDM}}^{\text{lim}} = 5.3 \text{ keV}$ for 100% WDM ($\delta A_{\text{WDM}} = 0.32$).

Area criterium [Schneider 2016, Murgia, Merle, Viel, Totzauer, Schneider 2017]

- Consider ratio of 1D power spectra, computed with CLASS

$$r(k) = \frac{P_{1D}^X(k)}{P_{1D}^{\text{CDM}}(k)} \quad \text{with} \quad P_{1D}^X(k) = \int_k^\infty dk' k' P_X(k'),$$

- Compute area under the curve

$$A_X = \int_{k_{\min}}^{k_{\max}} dk' r(k')$$

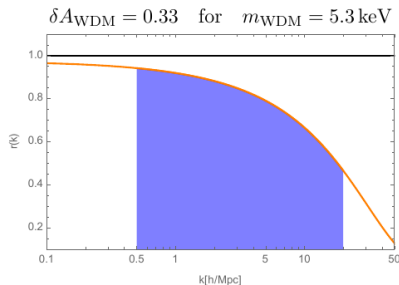
and

$$\delta A_X = \frac{A_{\text{CDM}} - A_X}{A_{\text{CDM}}}$$

- For freeze-in ($\delta = 1$):

$$m_{\text{FI}} > 15.3 \text{ keV}$$

- Suitable for mixed scenario



[see also D'Eramo, Lenoci, 2020; Egana-Ugrinovic, Essig, Gift, LoVerde 2021]

DM Production: Model and Cosmology Dependent

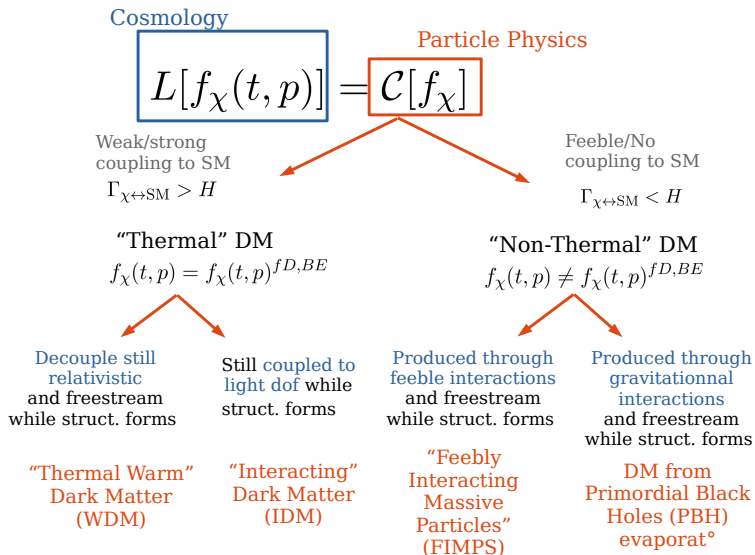
Cosmology

$$L[f_\chi(t, p)]$$

Particle Physics

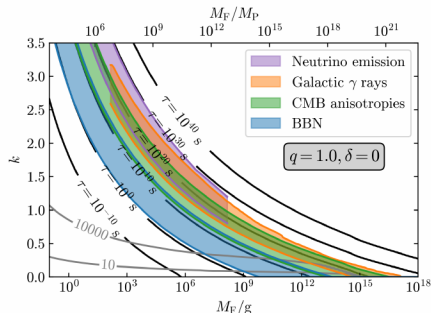
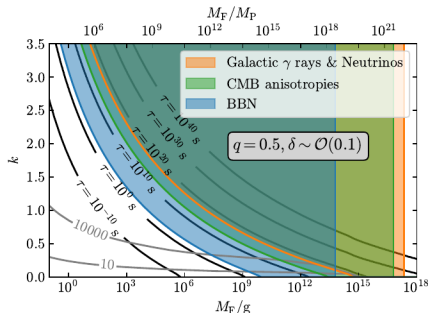
$$= \mathcal{C}[f_\chi]$$

DM Production: Model and Cosmology Dependent



PBH and memory burden

see also [Barman'24, Haque'24, Dvali'25, Montefalcone'25]



- Smoother transition SC $\rightarrow$ MB ($\delta = 0.1$)
 $\rightsquigarrow$ close the viable PBH parameter space with masses $M_F < 10^{15} g$.
- $q = 1$ moves to MB from the start of evaporation
 $\rightsquigarrow$ SC vertical exclusion bands disappear.

PBH lifetime and Lyman- α bound estimate

Memory Burden implies a delayed evaporation

$$\tau_{\text{sc}} = \frac{1}{3e_T} \frac{M_{\text{F}}^3}{M_{\text{P}}^4} \simeq 1.1 \times 10^{-14} \text{ s} \left(\frac{M_{\text{F}}}{3 \times 10^4 \text{ g}} \right)^3. \quad \tau_{\text{mb}} = \zeta_{\text{burst}} q^{3+2k} S(M_{\text{F}})^k \times \tau_{\text{sc}}.$$

$$t_{q=0.5} \simeq 4.2 \times 10^{-17} \text{ s} \left(\frac{M_{\text{F}}}{4.9 \times 10^3 \text{ g}} \right)^3 \quad \text{and} \quad \tau_{\text{mb}} = 4.6 \times 10^{17} \text{ s} \left(\frac{M_{\text{F}}}{4.9 \times 10^3 \text{ g}} \right)^7$$

$q = 0.5$ and $k = 2$

The delayed evaporation easily play the major rôle in Lyman-alpha bound

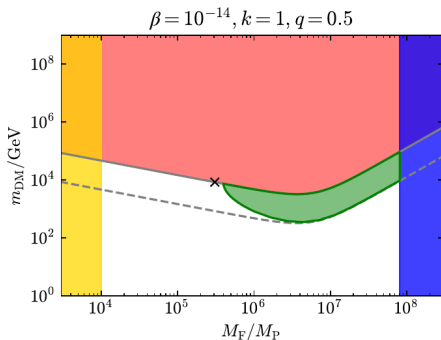
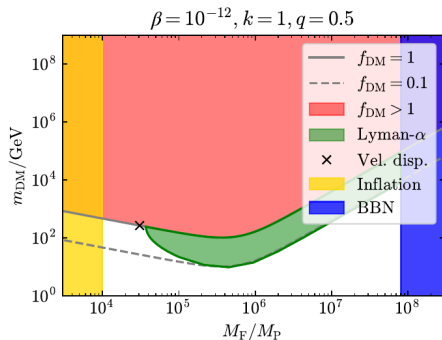
$$m_{\text{DM}} \gtrsim 1.74 \text{ keV} \times \sqrt{\langle \mathbf{q}_{\star}^2 \rangle} T_{\text{NCDM}} \times \left(\frac{m_{\text{WDM}}^{\text{ly}\alpha}}{\text{keV}} \right)^{4/3}$$

$$m_{\text{DM}} \gtrsim 1.2 \text{ keV} \times \left(\frac{m_{\text{WDM}}^{\text{ly}\alpha}}{\text{keV}} \right)^{4/3} \sqrt{\frac{M_{\text{F}}}{M_p}} \frac{1}{\sqrt{1 + (\xi - 1)q^2}} \quad (4.10)$$

$$\times \left[(1 - q^2)(1 - q^3) \langle \mathbf{q}_{\text{DM}}^2 \rangle_{\text{sc}} + \left(\xi(1 - q^3) + \xi(4\pi)^k q^{3+2k} \zeta_{\text{burst}} \left(\frac{M_{\text{F}}}{M_p} \right)^{2k} \right) \langle \mathbf{q}_{\text{DM}}^2 \rangle_{\text{mb}} \right]^{1/2}.$$

PBH parameter space

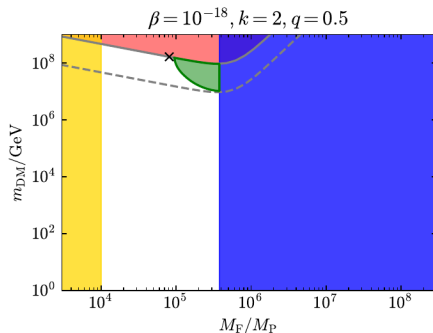
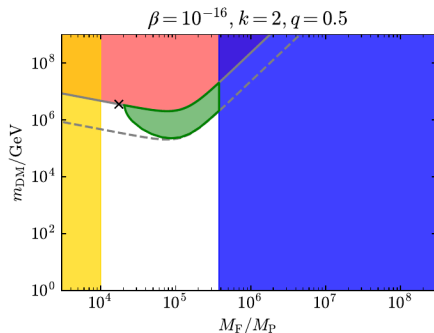
see also [Barman'24, Haque'24]



- relic DM abundance depend on β in RD era and on k in MD era
- Increasing k suppresses more evaporation in the memory burden phase making BBN constraints more stringent (for $k > 4$ no viable parameter space left).
- Ly- α constrains $\beta \lesssim 0.015\beta_c$ as in SC case [Decant'21].
- Larger $\beta \rightsquigarrow$ less viable parameter space as it moves the RD-MD to lower M_F .

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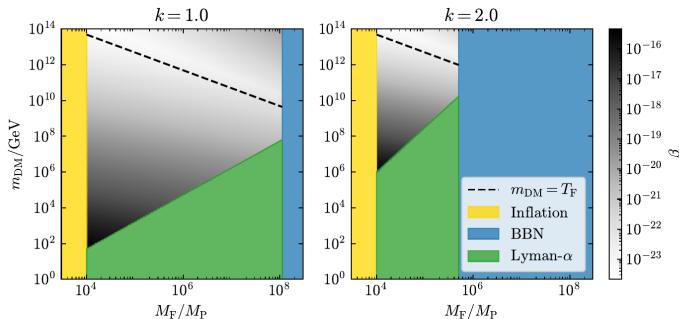
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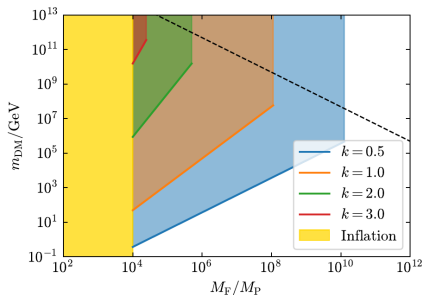
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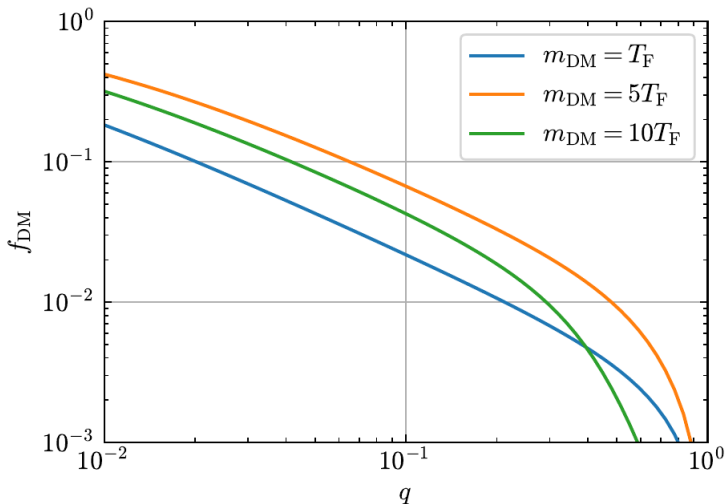
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- Larger $\beta \rightsquigarrow$ less viable parameter space as it moves the RD-MD to lower M_F .
- For DM fraction lower than 10%, no Ly- α constraints.

Long MB with stable PBH



Ly- α for fraction of NCDM

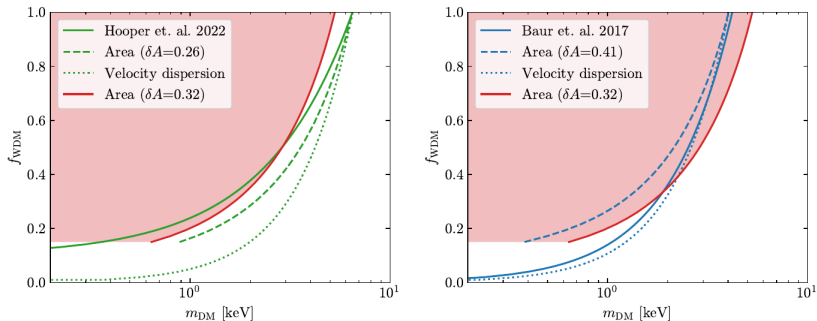


Figure 11. Comparison of the Lyman- α bound derived in Refs. [79, 89] for W+CDM to the ones described in Secs. 4.2.2 and 4.2.3. The left figure shows a comparison to the bound at 95%CL from Ref. [79], whereas the 2σ bound from [89] is shown on the right. Their results are compared to the velocity dispersion estimate (dotted line) and the area criterion (dashed line) matched to [79, 89] for $f_{\text{WDM}} = 1$. In addition, we show as a red line the results from the area criterion for $m_{\text{WDM}}^{\text{Ly-}\alpha} = 5.3$ keV at $f_{\text{WDM}} = 1$ (in agreement with the findings of Ref. [74]), that are being used in this work.

This is really the end