

Interactions of relativistic dark matter with nuclei and implications for light dark matter detection

Helena Kolečová (University of Stavanger)



Based on 2504.16996 with Richie Diurba (University of Bern)

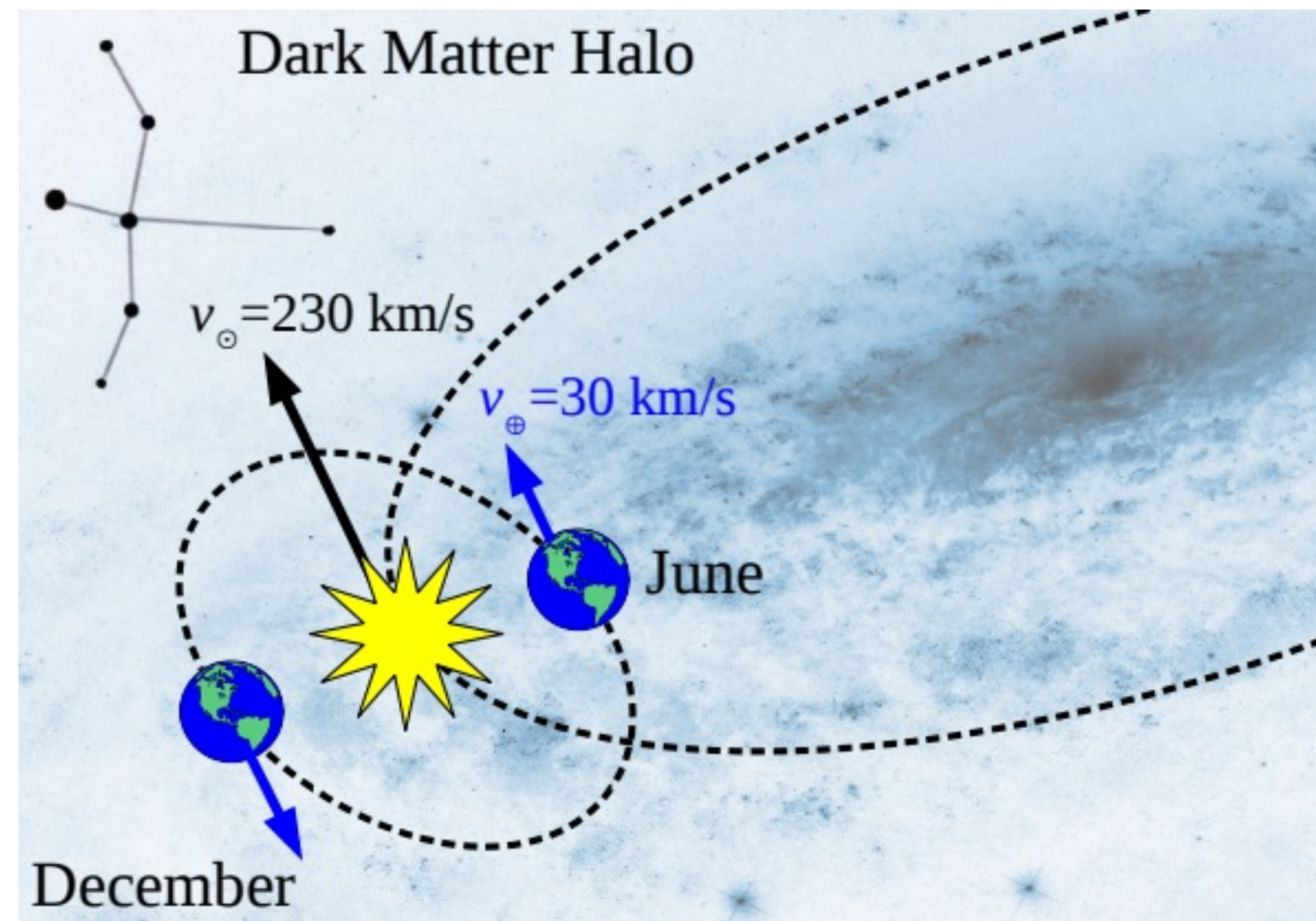
Outline

1. Weak points of “traditional” dark matter direct detection
2. “Advantages” of accelerated dark matter*
 - Example: sensitivity of DUNE to cosmic-ray up-scattered dark matter
 - Outlook



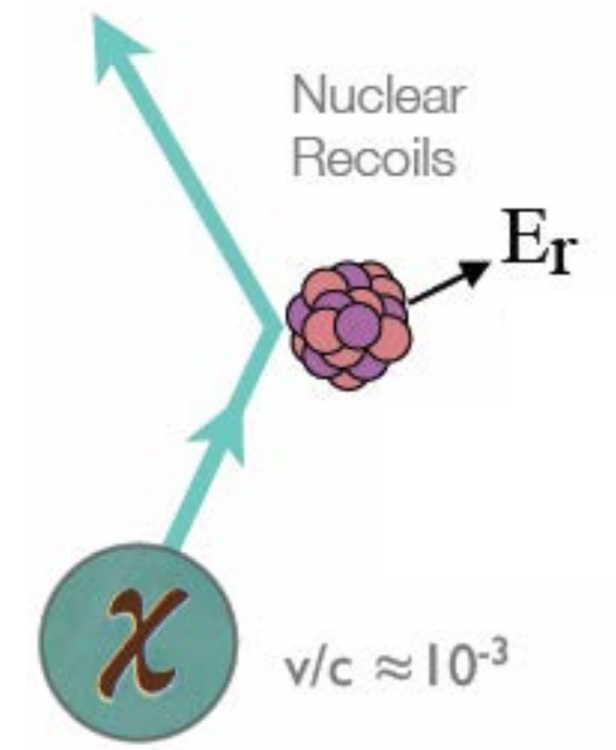
*See also talks by Pedro De la Torre Luque,
Branden Aitken, Dimitrios Papoulias

Direct detection of dark matter



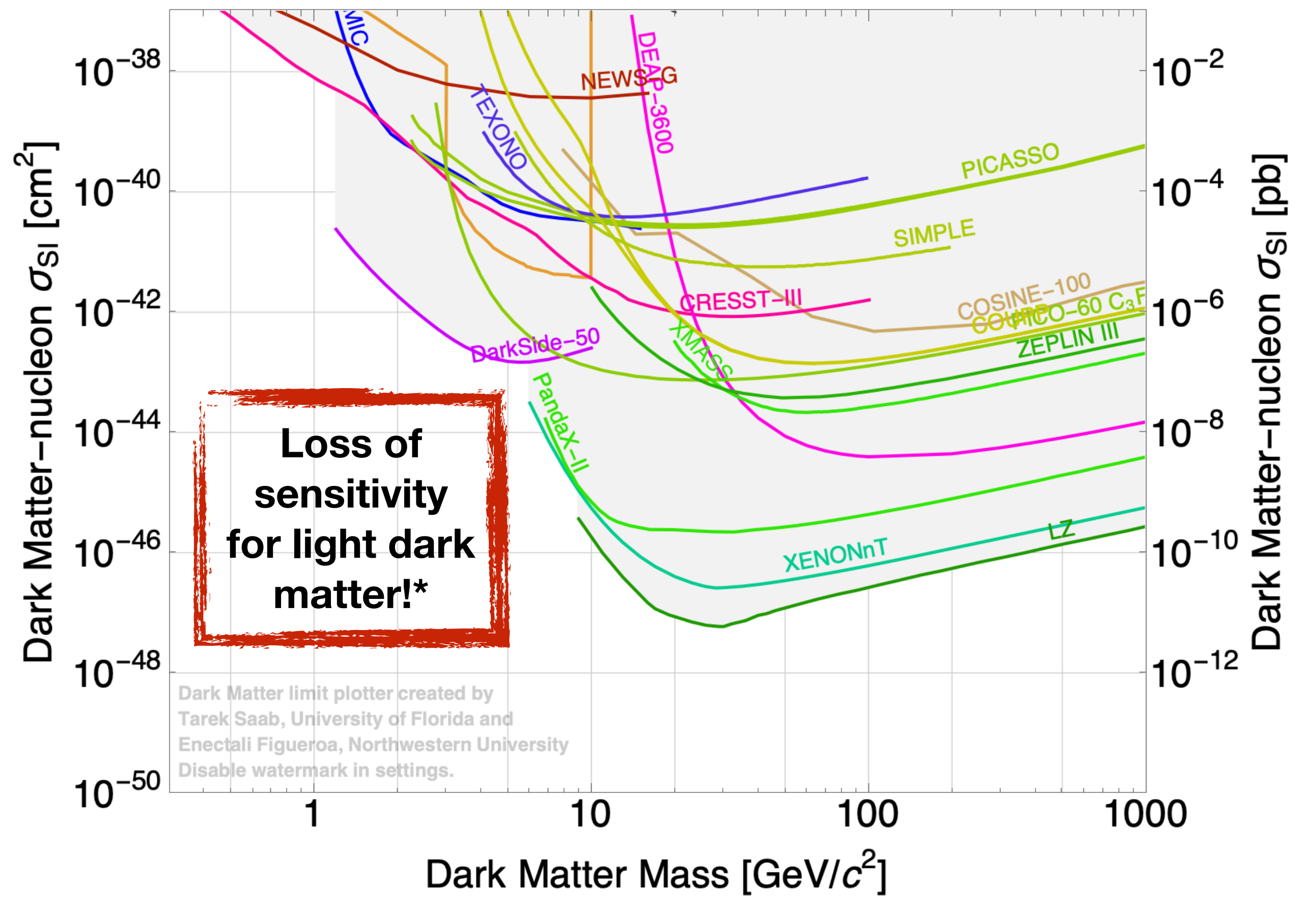
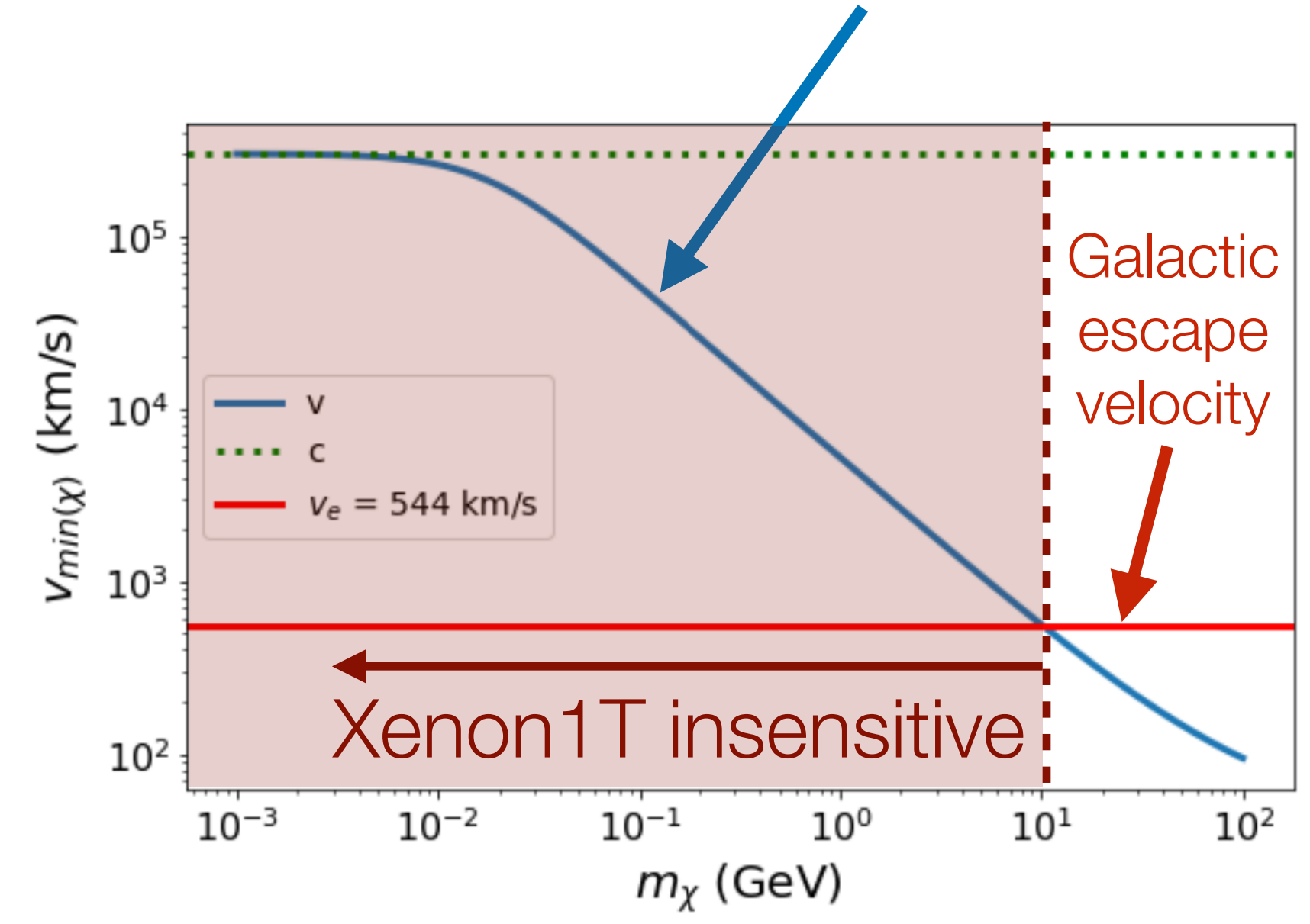
- Relative velocity of dark matter particles with respect to Earth
 $\sim 200 \text{ km/s} \sim 10^{-3} c$
- $\Rightarrow$ Scattering with nuclei via coherent elastic scattering expected

Direct detection of light dark matter?



Example: Xenon1T threshold for nucleus recoil energy:
 $E_r \gtrsim 5 \text{ keV}$

⇒ Minimal dark matter velocity to trigger detectable nuclear recoil

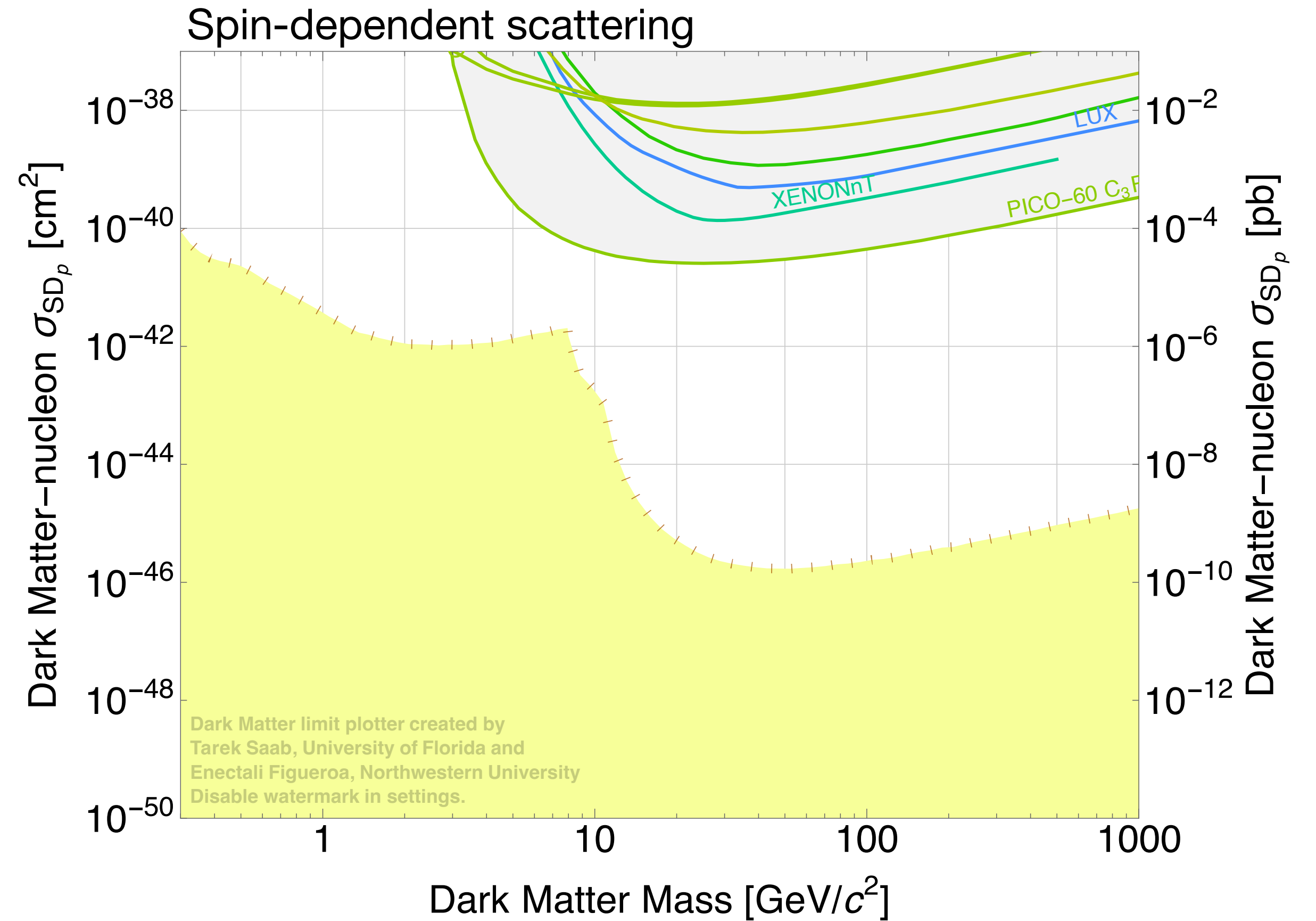
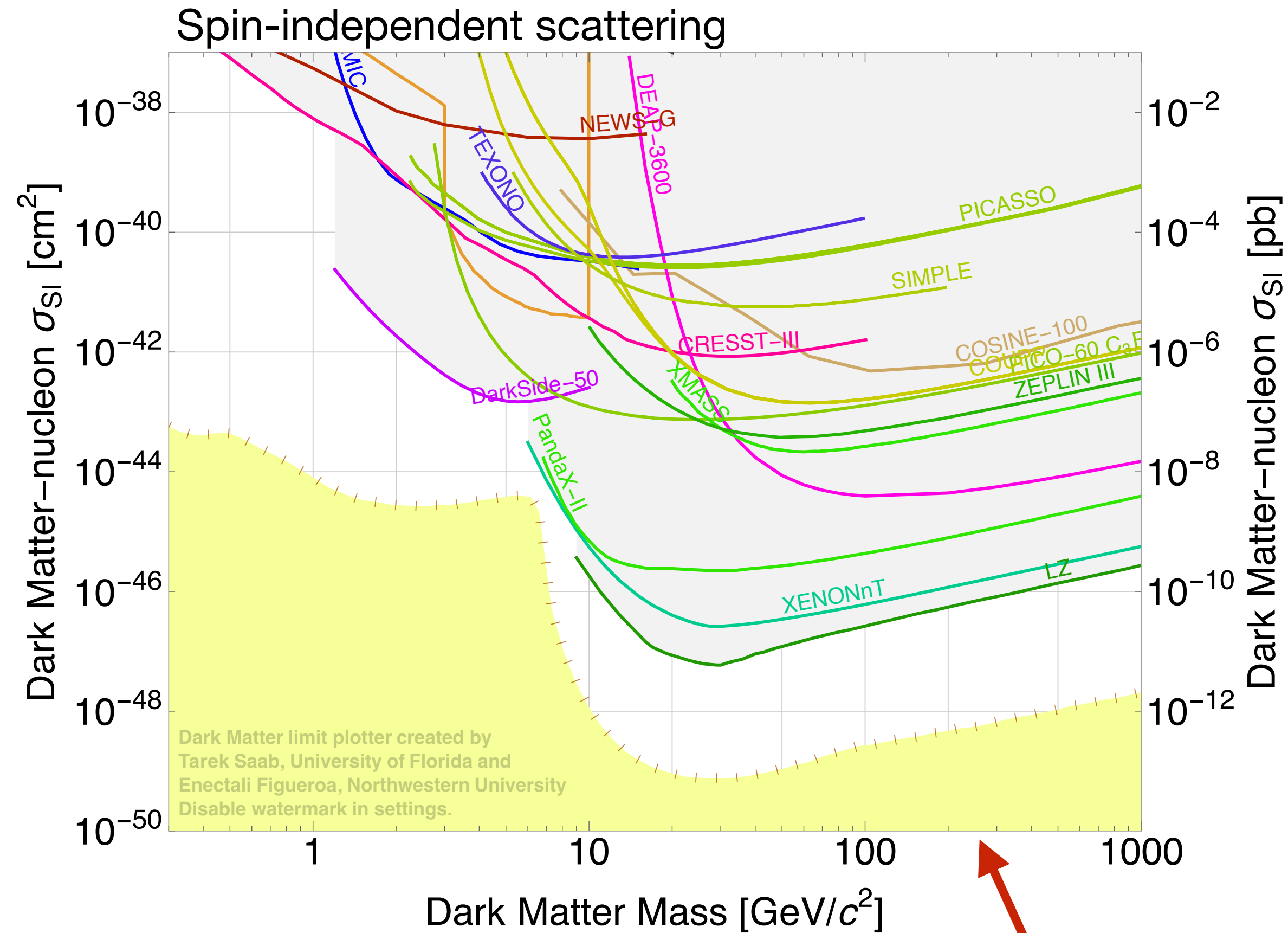


Dark Matter limit plotter created by
Tarek Saab, University of Florida and
Enectali Figueroa, Northwestern University
Disable watermark in settings.

[Master's thesis by Gailyn Monroe]

*See many exciting talks at this conference addressing direct detection of sub-GeV dark matter!

Direct detection: model dependence



Coherent elastic scattering in spin-independent case:

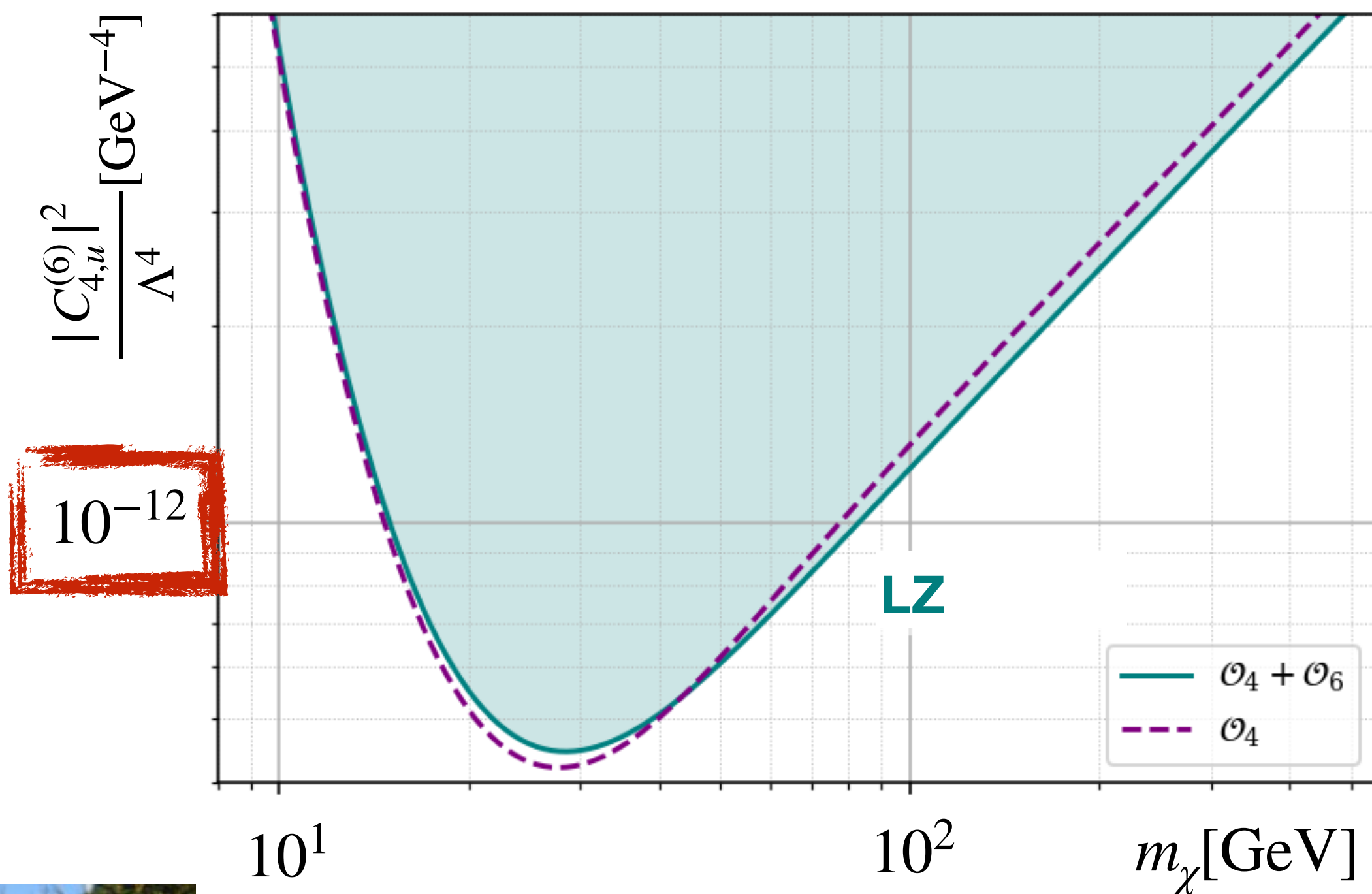
$$\sigma_{\chi A} \propto A^2 \frac{\mu_{\chi A}^2}{\mu_{\chi p}^2} \sigma_{\text{SI}} \Rightarrow \text{strong bounds on } \sigma_{\text{SI}} \text{ when using heavy nuclei}$$

No enhancement by A^2 for spin-dependent interactions
 $\Rightarrow$ weaker bounds on σ_{SD}

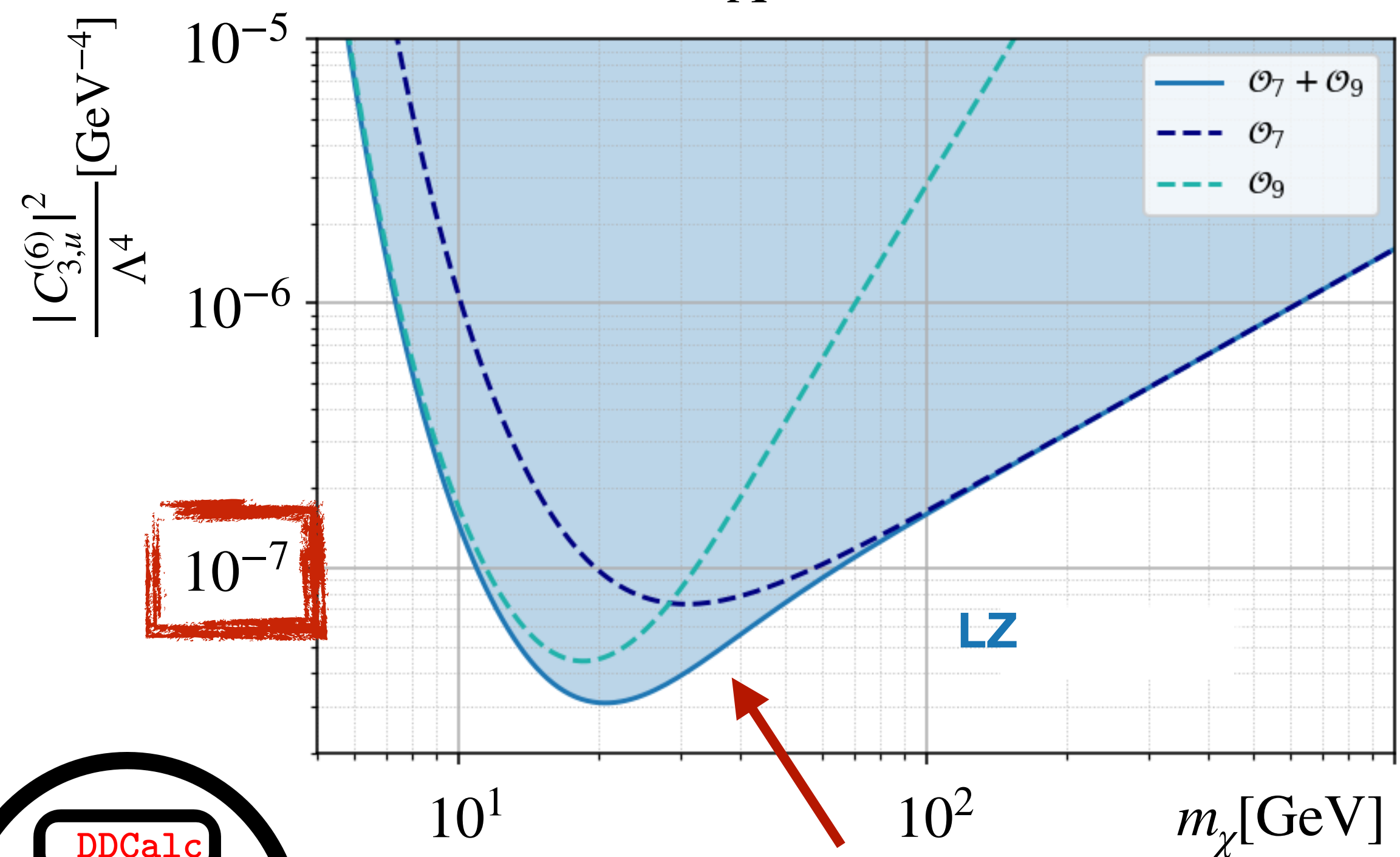
Direct detection: model dependence

NB: Velocity-suppressed interactions

$$Q_{4,q}^{(6)} = \frac{C_{4,q}^{(6)}}{\Lambda^2} (\bar{\chi} \gamma_\mu \gamma_5 \chi) (\bar{q} \gamma^\mu \gamma_5 q) = \text{"Standard" SD interactions}$$



$$Q_{3,q}^{(6)} = \frac{C_{4,q}^{(6)}}{\Lambda^2} (\bar{\chi} \gamma_\mu \chi) (\bar{q} \gamma^\mu \gamma_5 q)$$



[Bachelor's thesis by Victoria Falao]

[GAMBIT DM workgroup, DDCalc: 1705.07920]

[LZ: 2207.03764]

Direct detection: model dependence

NB: Velocity-suppressed interactions

- Some types of interactions may be further suppressed due to dependence of low-energy scattering with nucleons on DM velocity or transferred momentum!

$$Q_{4,q}^{(6)} = \frac{C_{4,q}^{(6)}}{\Lambda^2} (\bar{\chi} \gamma_\mu \gamma_5 \chi) (\bar{q} \gamma^\mu \gamma_5 q) \xrightarrow{\text{Low energy}} \mathcal{O}_4^N = \mathbf{S}_\chi \cdot \mathbf{S}_N \quad \& \quad \mathcal{O}_6^N = \left(\mathbf{S}_\chi \cdot \frac{\mathbf{q}}{m_N} \right) \left(\mathbf{S}_N \cdot \frac{\mathbf{q}}{m_N} \right)$$

“Standard” SD interaction, present even at vanishing relative DM-nucleon velocity

$$Q_{3,q}^{(6)} = \frac{C_{4,q}^{(6)}}{\Lambda^2} (\bar{\chi} \gamma_\mu \chi) (\bar{q} \gamma^\mu \gamma_5 q) \xrightarrow{\text{Low energy}} \mathcal{O}_7^N = 1_\chi (\mathbf{S}_N \cdot \mathbf{v}_\perp) \quad \& \quad \mathcal{O}_9^N = \mathbf{S}_\chi \cdot \left(\frac{i\mathbf{q}}{m_N} \times \mathbf{S}_N \right)$$

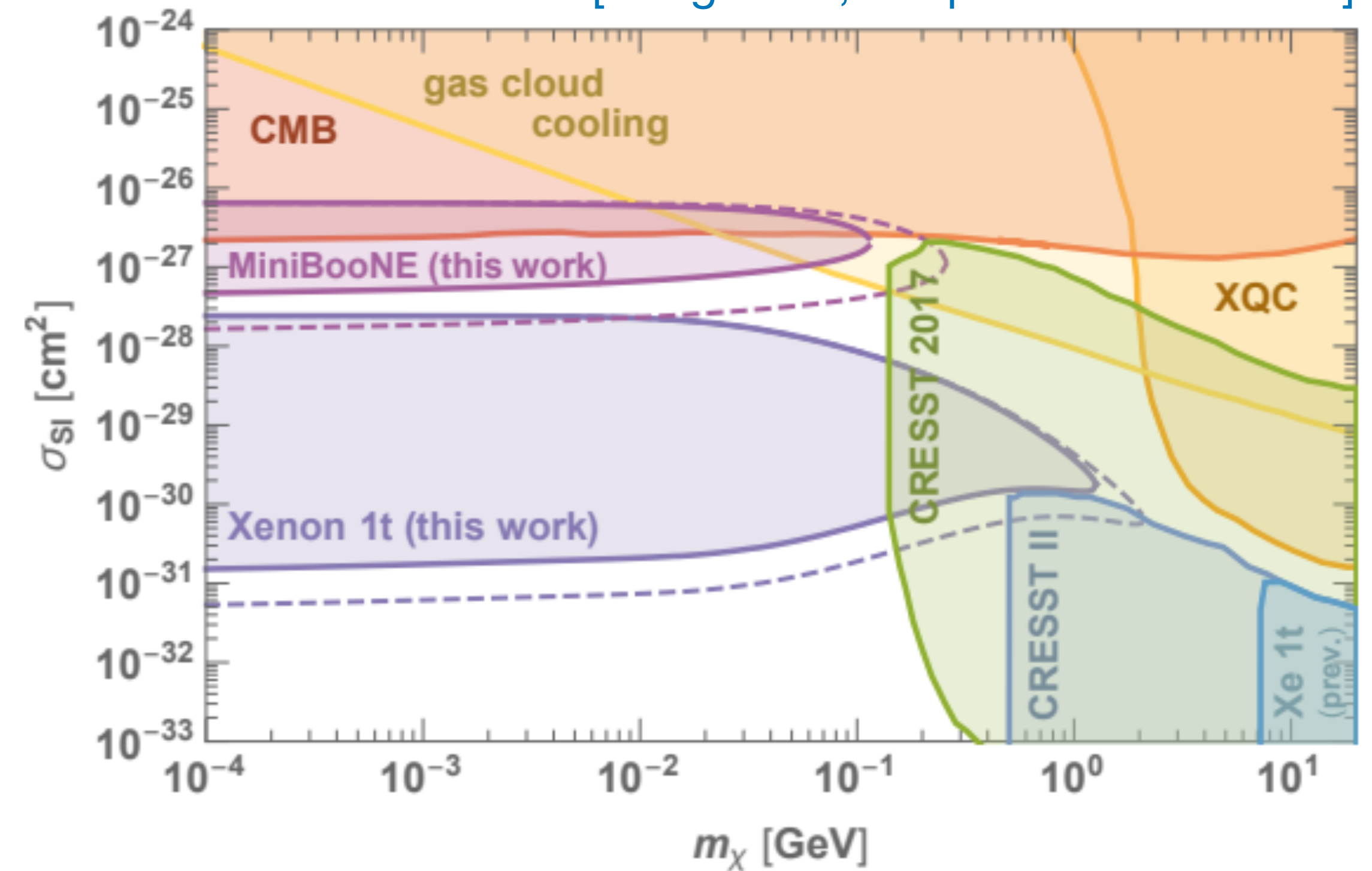
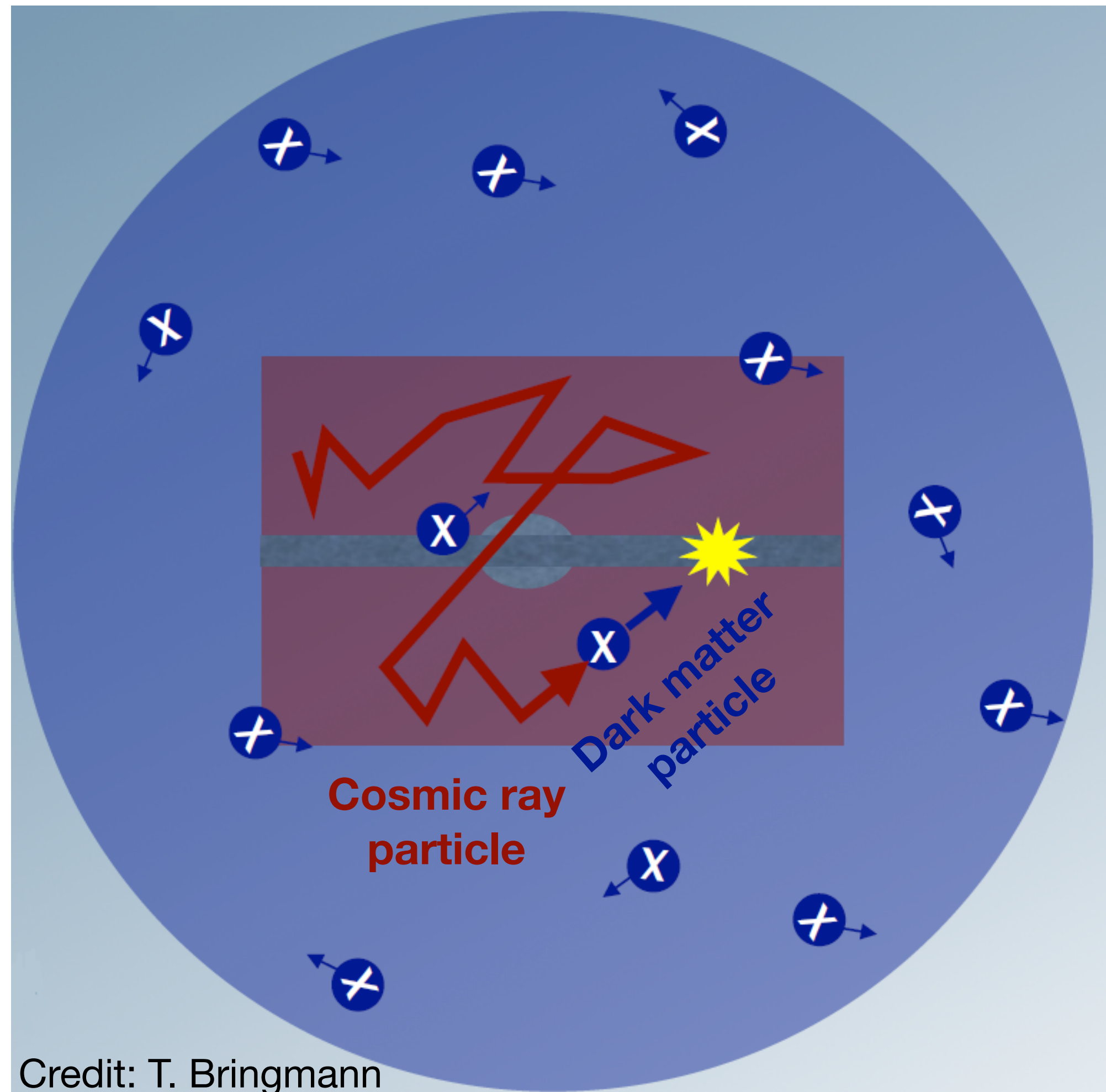
Suppression by relative velocity or transferred momentum

[Bishara, Brod, Grinstein, Zupan: **DirectDM**: a tool for dark matter direct detection, 1708.02678]

**Accelerated dark matter $\Rightarrow$
sensitivity to lighter particles & less
“punishment” for spin-dependent or
velocity suppressed interactions!**

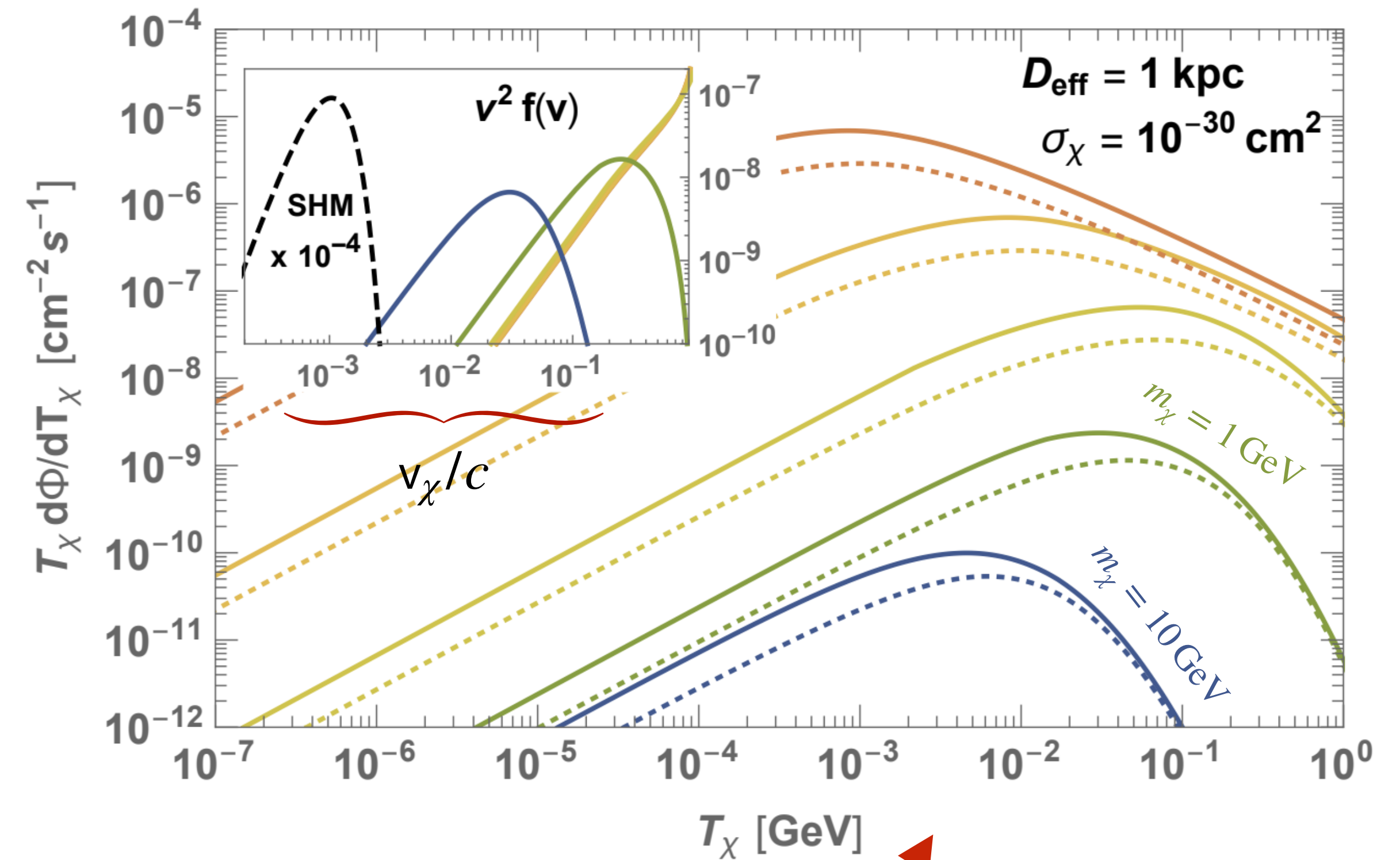
Cosmic-ray up-scattered dark matter

[Bringmann, Pospelov: 1810.10543]

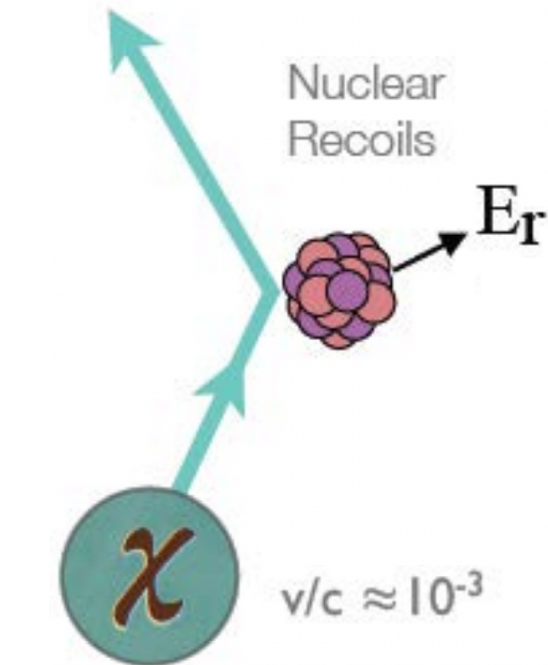


Increased dark matter kinetic energy $\Rightarrow$
lighter dark matter can be probed by direct
detection experiments like Xenon 1t!

Cosmic-ray up-scattered dark matter

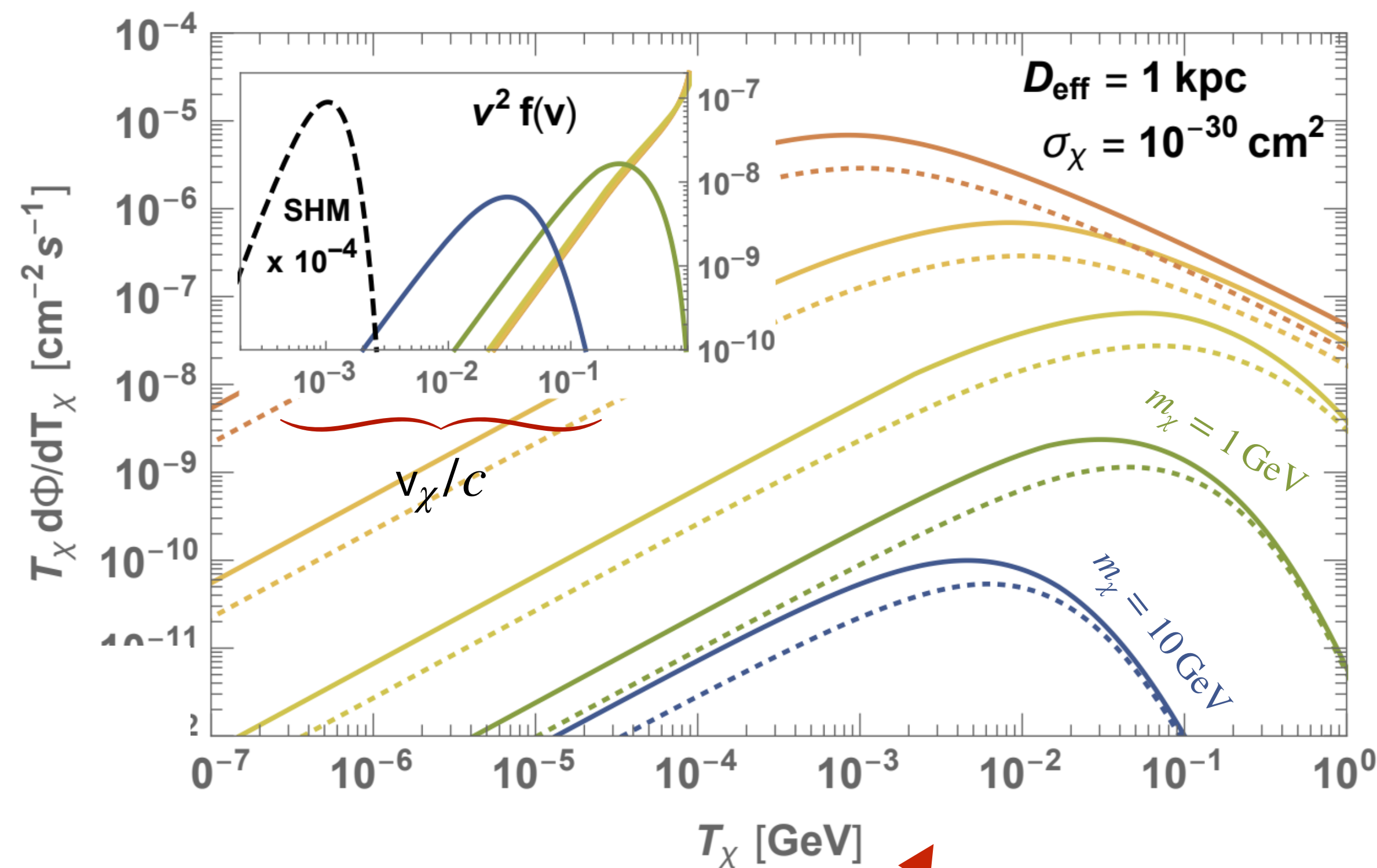
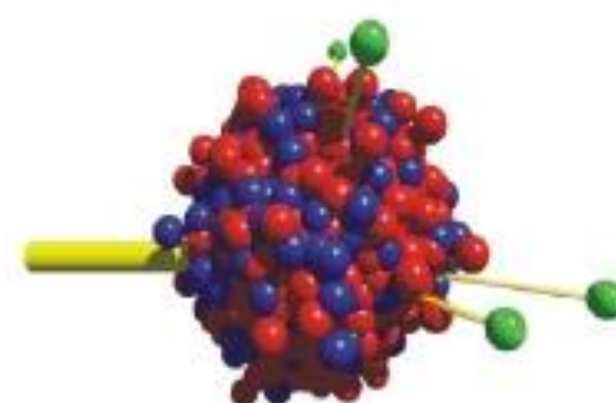
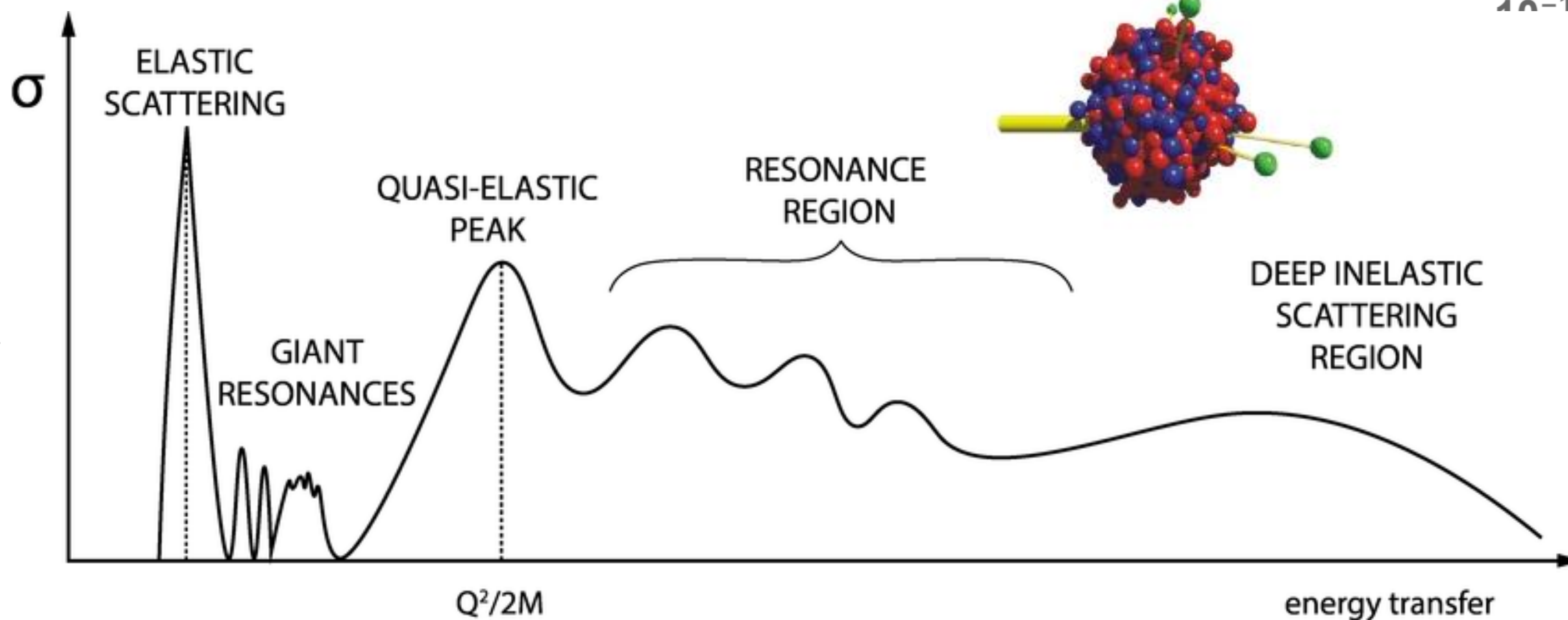


Up-scattered dark matter flux coming to Earth
[\[Bringmann, Pospelov: 1810.10543\]](#)



Cosmic-ray up-scattered dark matter

- Direct detection experiments are tuned to “slow” halo dark matter
- Particles with $\mathcal{O}(\text{GeV})$ kinetic energies can induce other processes that are detectable in neutrino experiments!



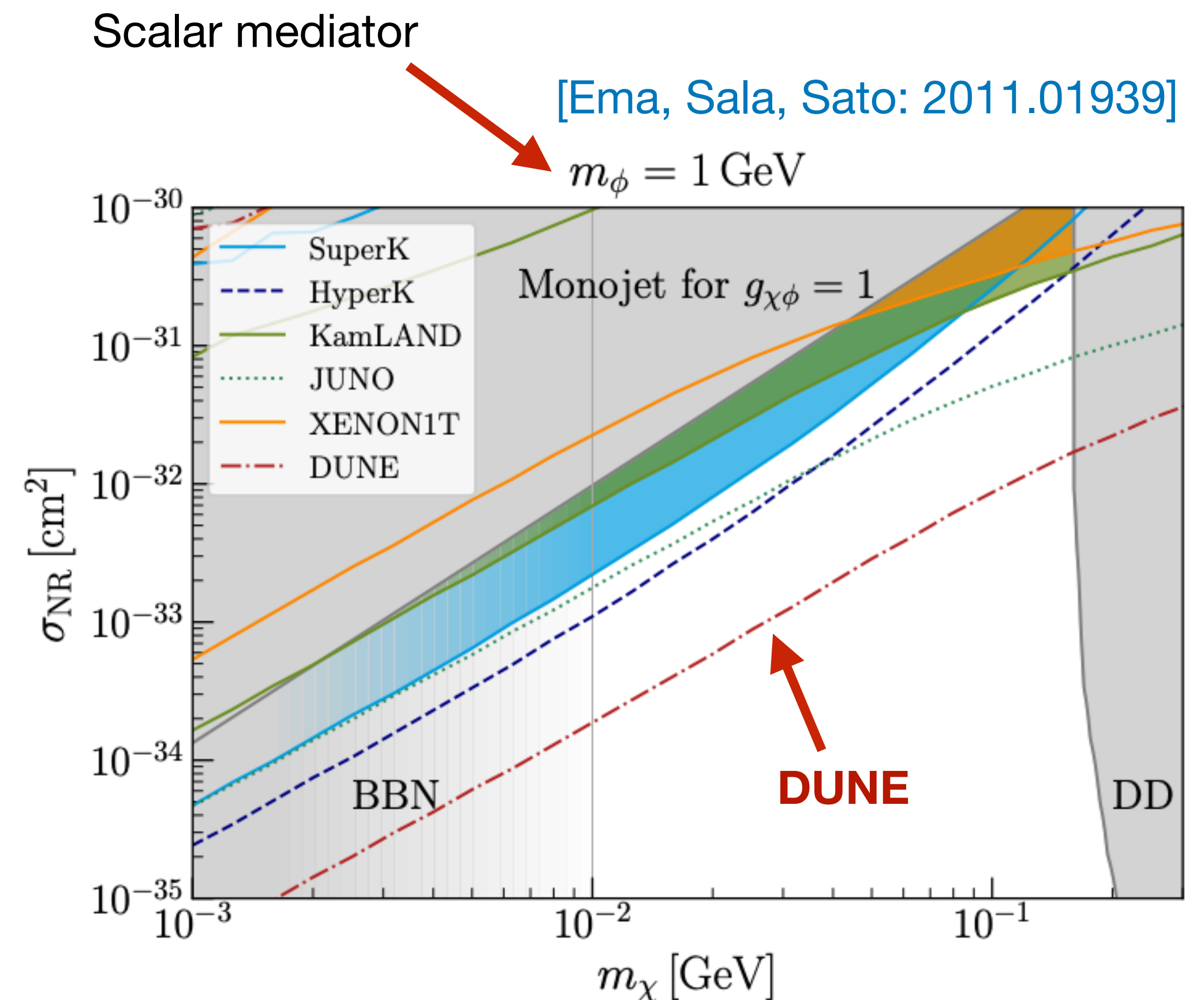
Up-scattered dark matter flux coming to Earth
[Bringmann, Pospelov: 1810.10543]

Cosmic-ray up-scattered dark matter in neutrino experiments?

DUNE sensitivity predicted in
[Ema, Sala, Sato: 2011.01939]:

- Detection modelled as elastic scattering off free nucleons in the detector
- Background by atmospheric neutrinos not considered
- Only elastic scattering considered for up-scattering by cosmic rays

We tried to improve on these points!



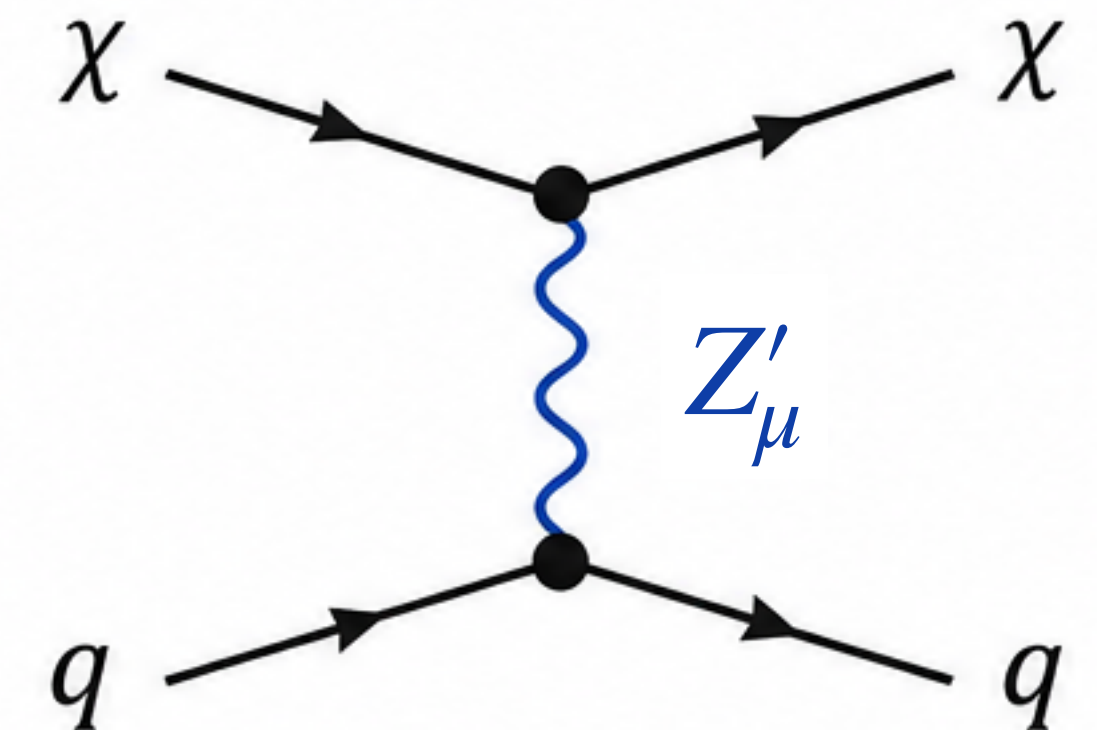
Benchmark model: massive Z' mediator

- Motivation: implemented in GENIE boosted DM module [[Berger: 1812.05616](#)]
- Both dark matter particles and Standard Model quarks charged under $U(1)_D$:

- **Vector couplings $\leftrightarrow$ SI:** $\mathcal{L}_{\chi,\text{int}} = g_{Z'} Q_\chi^V Z'_\mu \bar{\chi} \gamma^\mu \chi$, $\mathcal{L}_{q,\text{int}} = g_{Z'} Q_q^V Z'_\mu \bar{q} \gamma^\mu q$
 $U(1)_B$: $Q_q^V = 1$, $\forall q$ (less constrained than “dark photon” with $Q_q^V = Q_q^{\text{em}}$)

- **Axial-vector couplings $\leftrightarrow$ SD:**

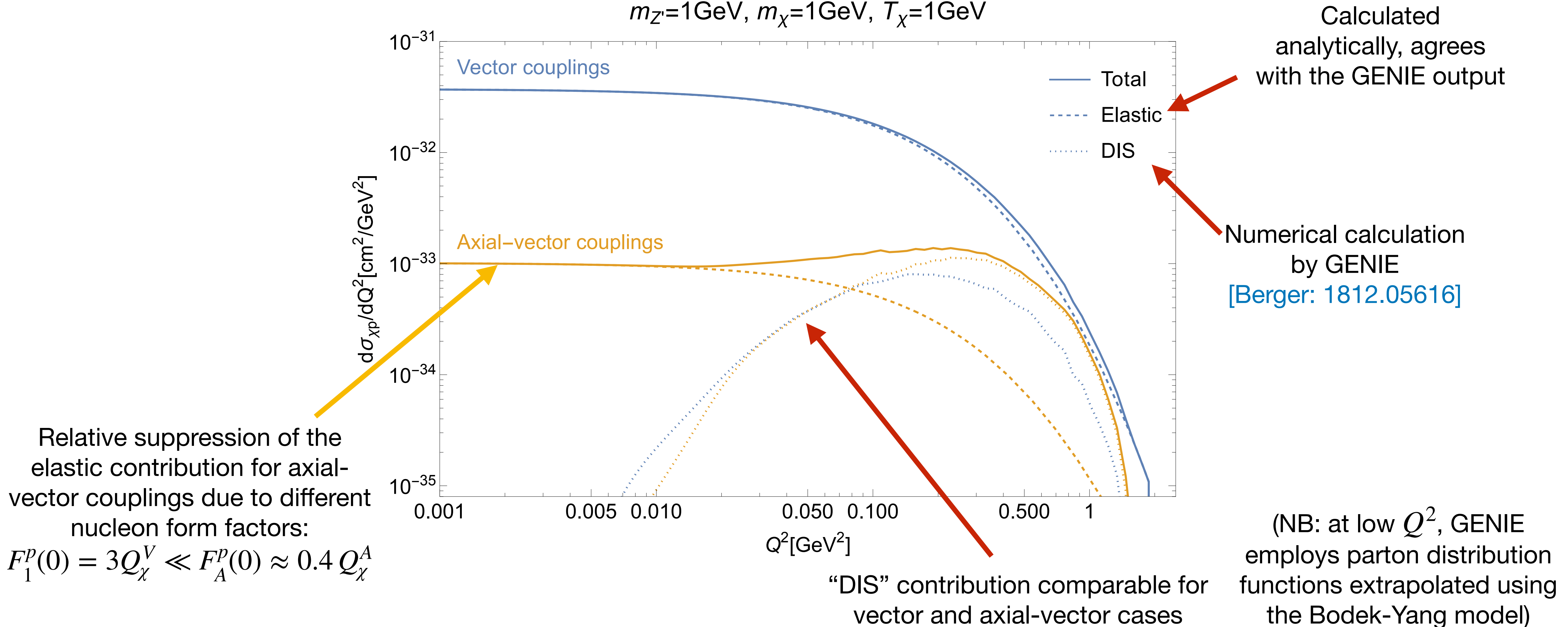
$$\mathcal{L}_{\chi,\text{int}} = g_{Z'} Q_\chi^A Z'_\mu \bar{\chi} \gamma^\mu \gamma_5 \chi, \quad \mathcal{L}_{q,\text{int}} = g_{Z'} Q_q^A Z'_\mu \bar{q} \gamma^\mu \gamma_5 q$$



Dark-matter-proton cross section

$$g_{Z'} = 0.1, \quad Q_\chi^V = Q_\chi^A = Q_q^V = Q_q^A = 1$$

$$m_{Z'}=1\text{GeV}, m_\chi=1\text{GeV}, T_\chi=1\text{GeV}$$

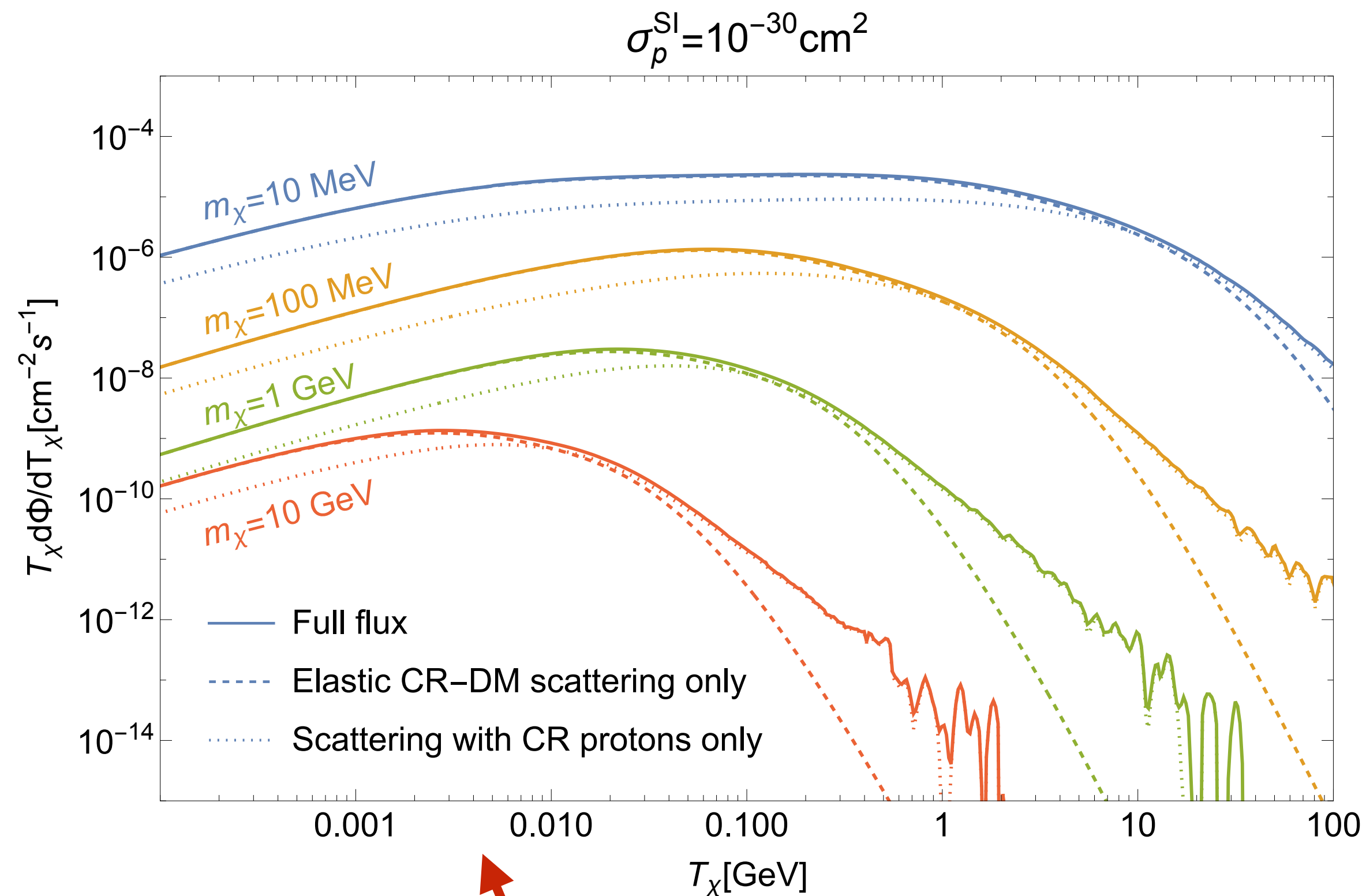


CRDM flux coming to Earth

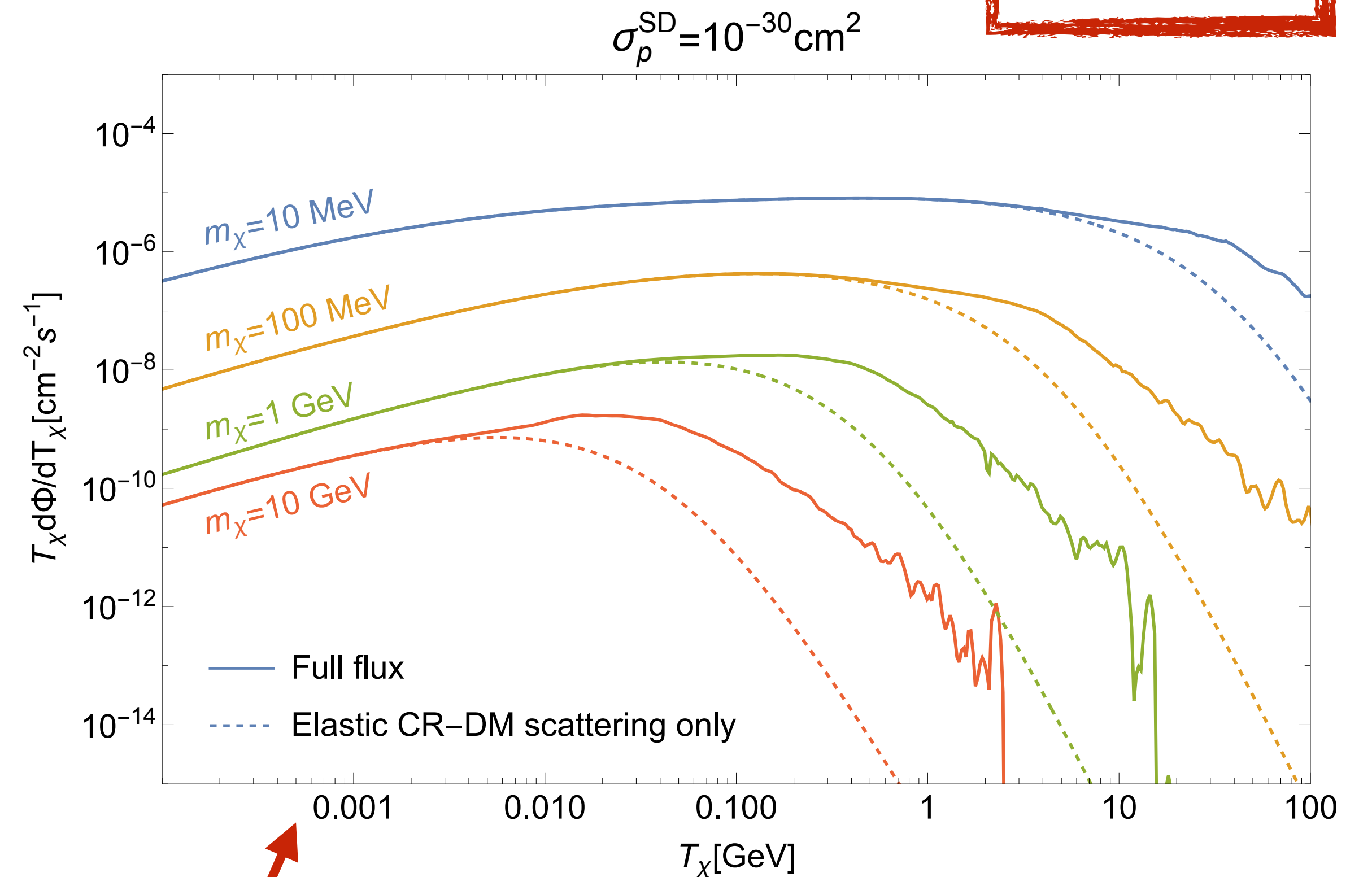
- Dark matter acceleration to larger T_χ mostly due to cosmic-ray protons
- Deep inelastic scattering enhances considerably the flux at largest DM kinetic energies

Plots
produced by

Dark
SUSY

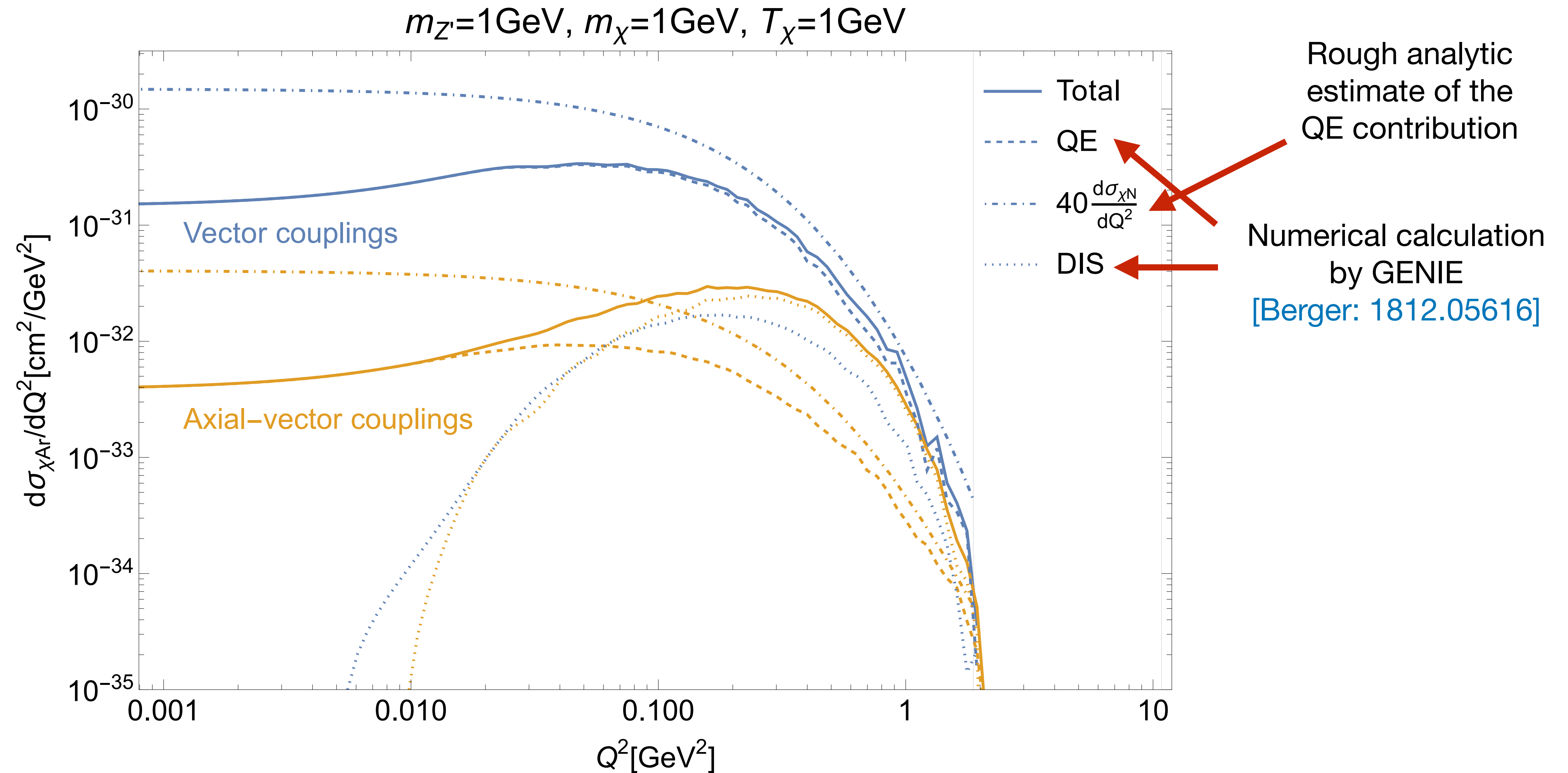


Vector couplings: $\sigma_{\text{SI}}^p = \frac{g_{Z'}^4 (Q_\chi^V)^2 (3Q_q^V)^2 \mu_{\chi p}^2}{\pi m_{Z'}^4}$



Axial-vector couplings: $\sigma_{\text{SD}}^p = \frac{3g_{Z'}^4 (Q_\chi^A)^2 F_A^p(0)^2 \mu_{p\chi}^2}{\pi m_{Z'}^4}$

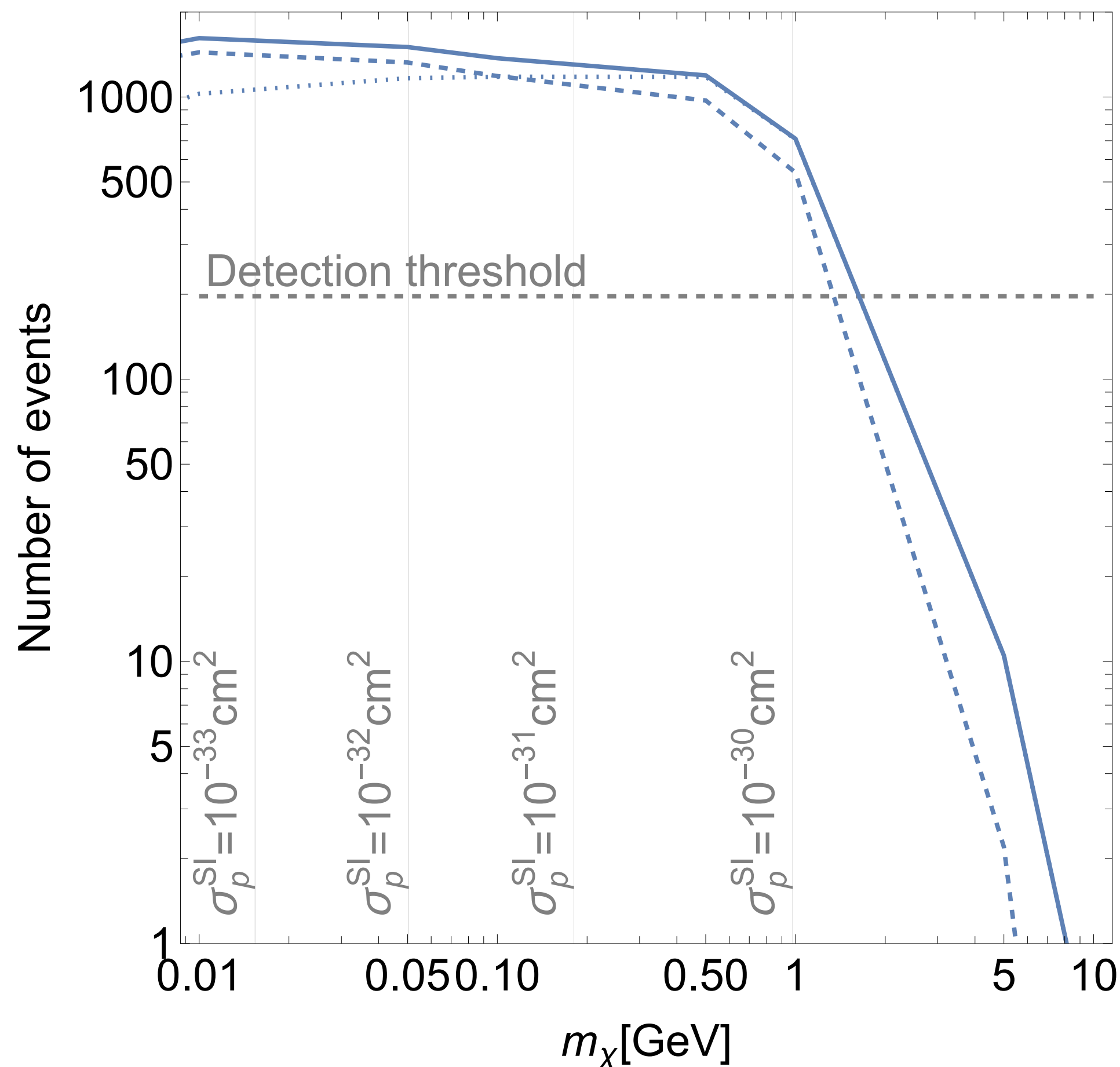
Dark-matter-argon cross section



Expected number of events in DUNE

- Inclusion of DIS enhances considerably the event rate for SD case

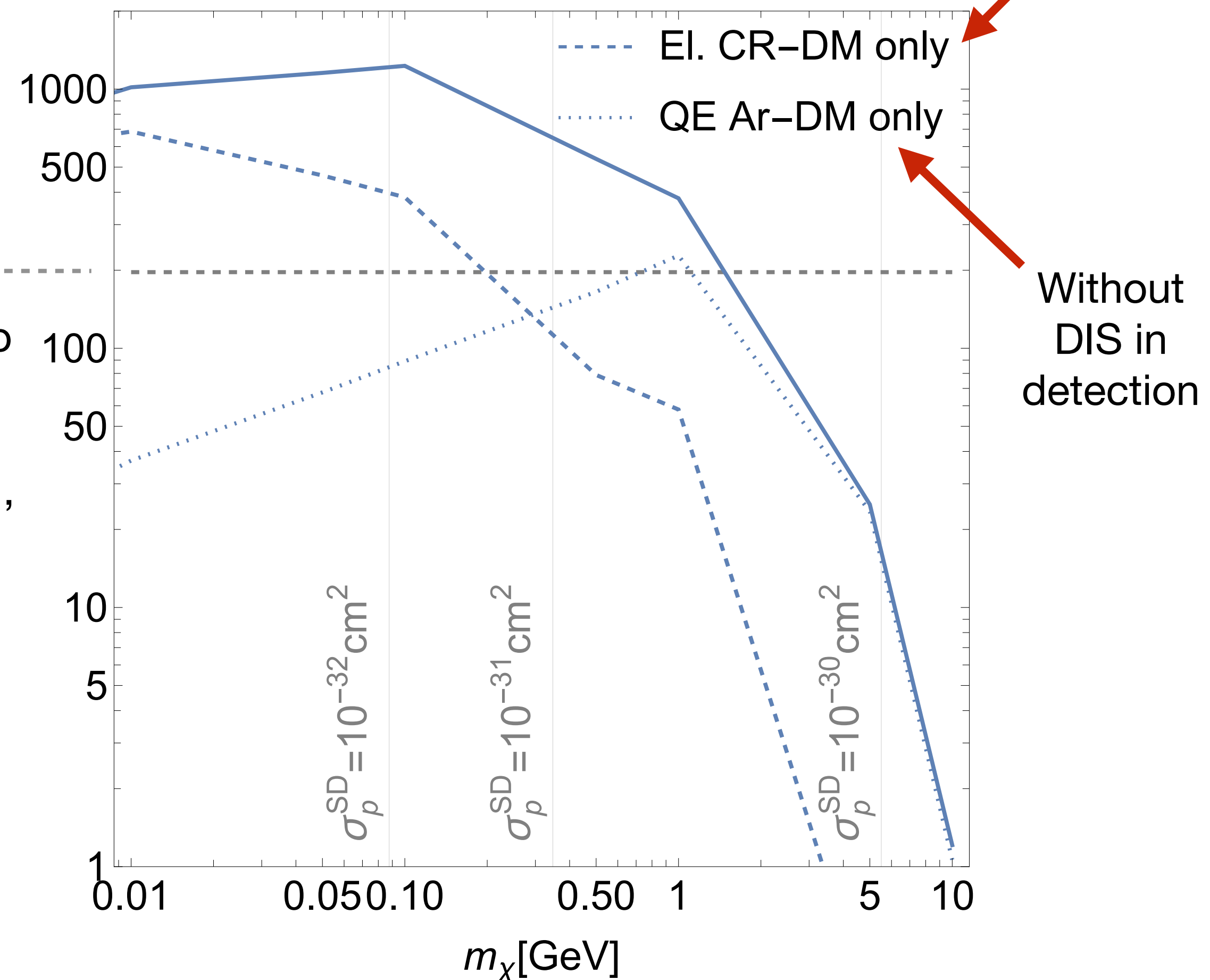
Vector couplings, $g_Z=0.25$



↑ DUNE sensitivity at 2σ level

(Atmospheric neutrino background estimated based on fluxes by Honda et al., only statistical uncertainties considered)

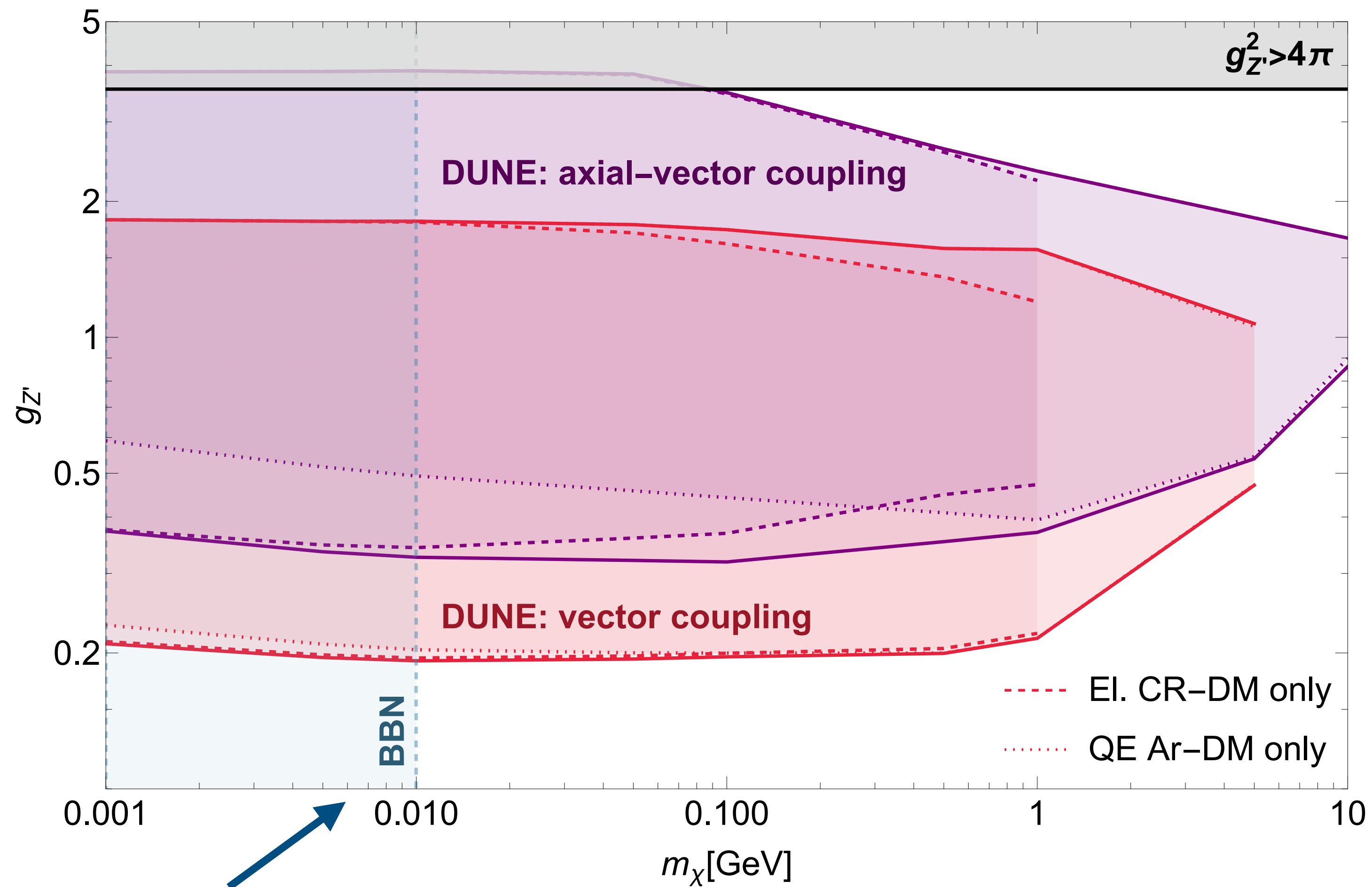
Axial-vector couplings, $g_Z=0.4$



Without inelastic interactions in DM up-scattering

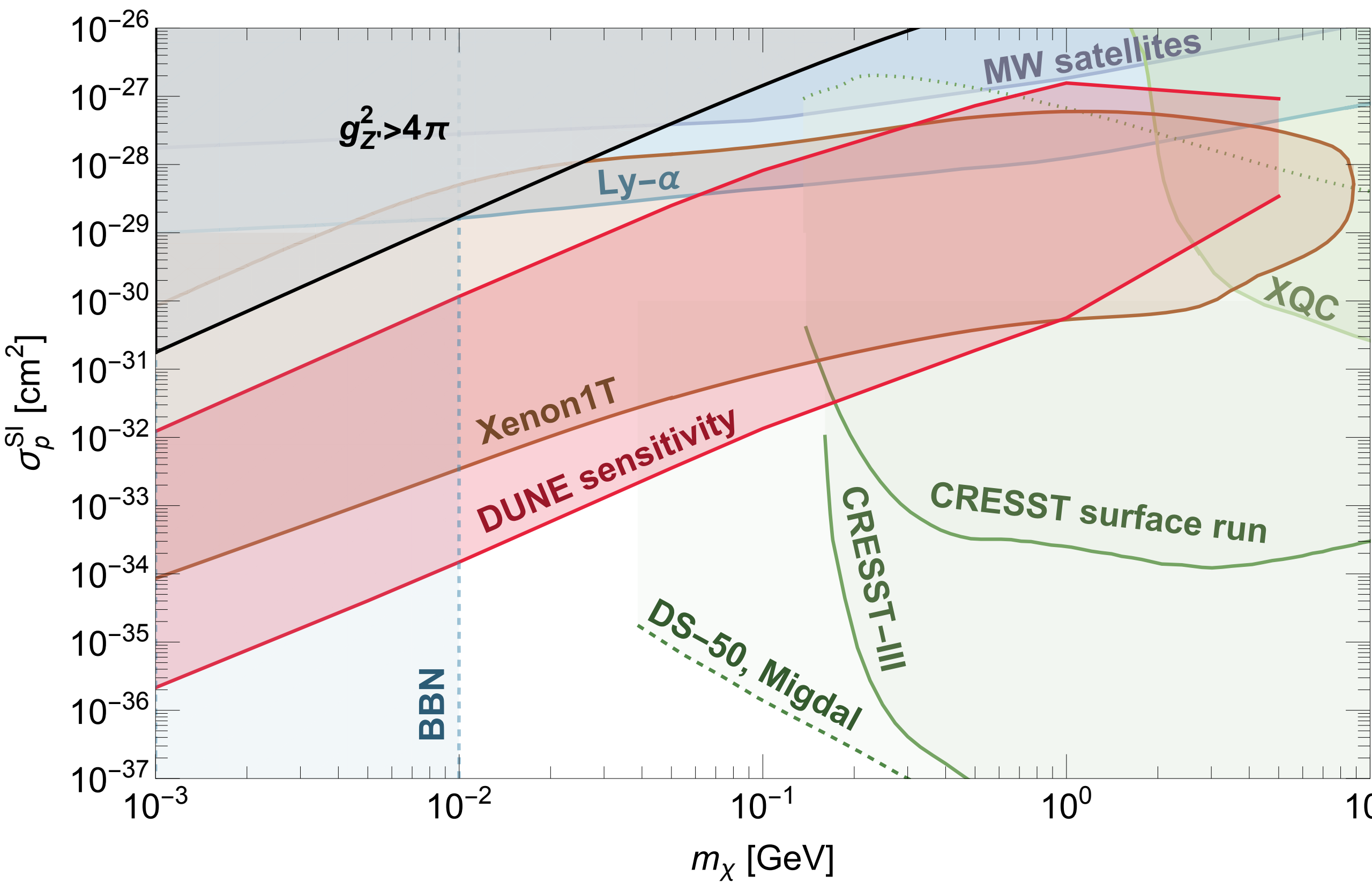
Without DIS in detection

Results



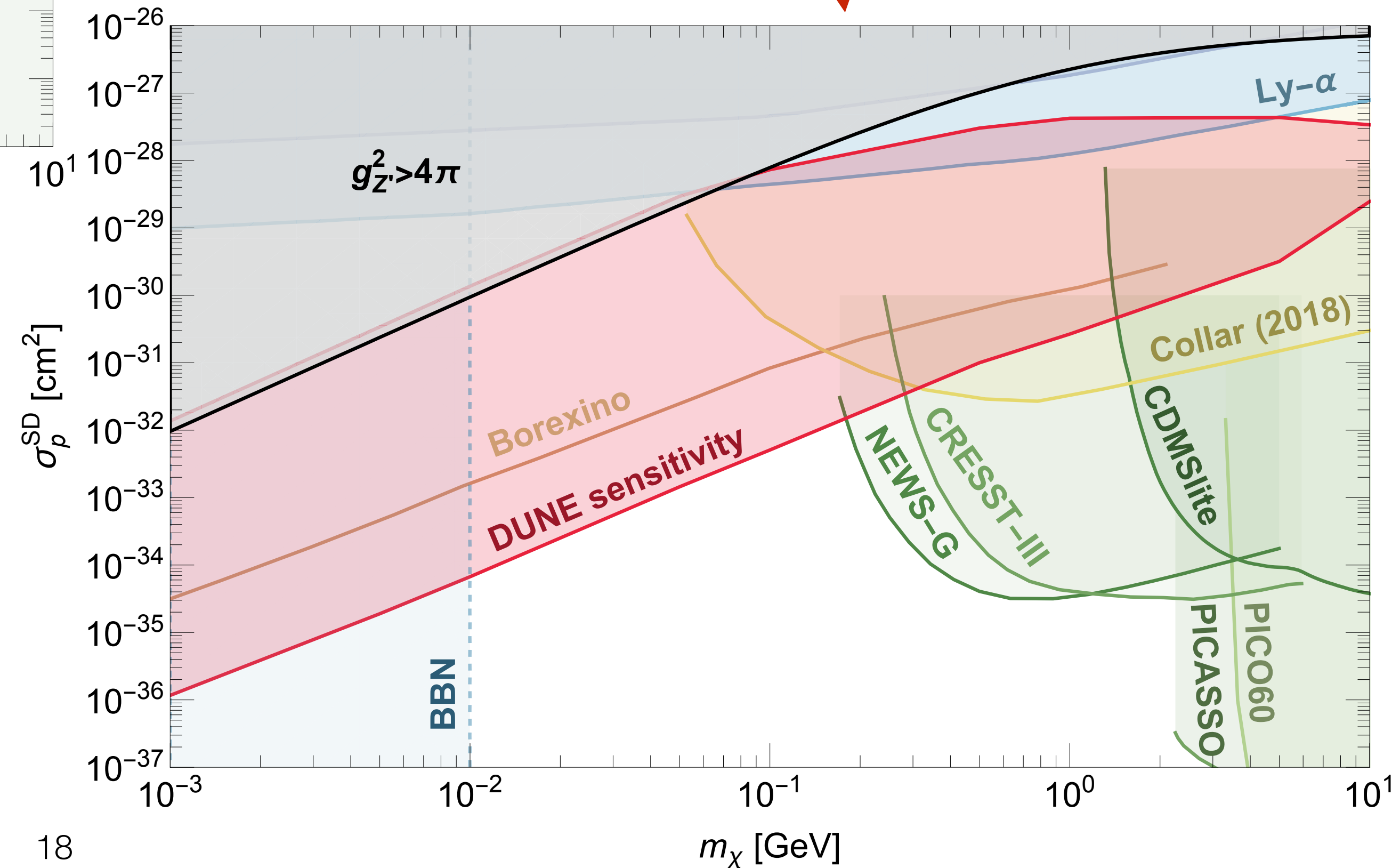
BBN constraints on extra light degrees
of freedom thermalised with SM plasma
[\[Krnjaic: 1908.00007\]](#)

Results

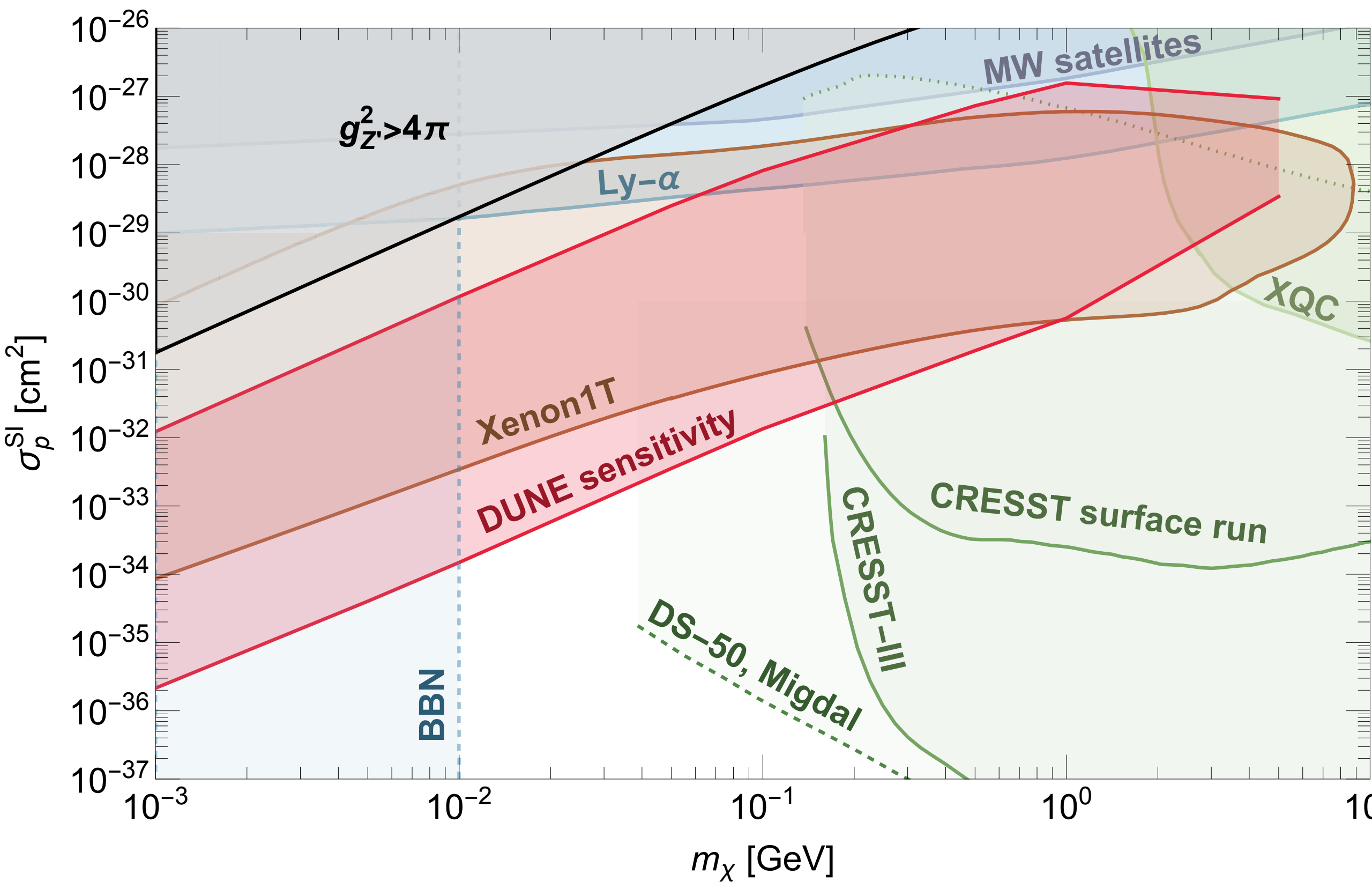


Vector couplings, $m_{Z'} = 1 \text{ GeV}$

Axial-vector couplings, $m_{Z'} = 1 \text{ GeV}$



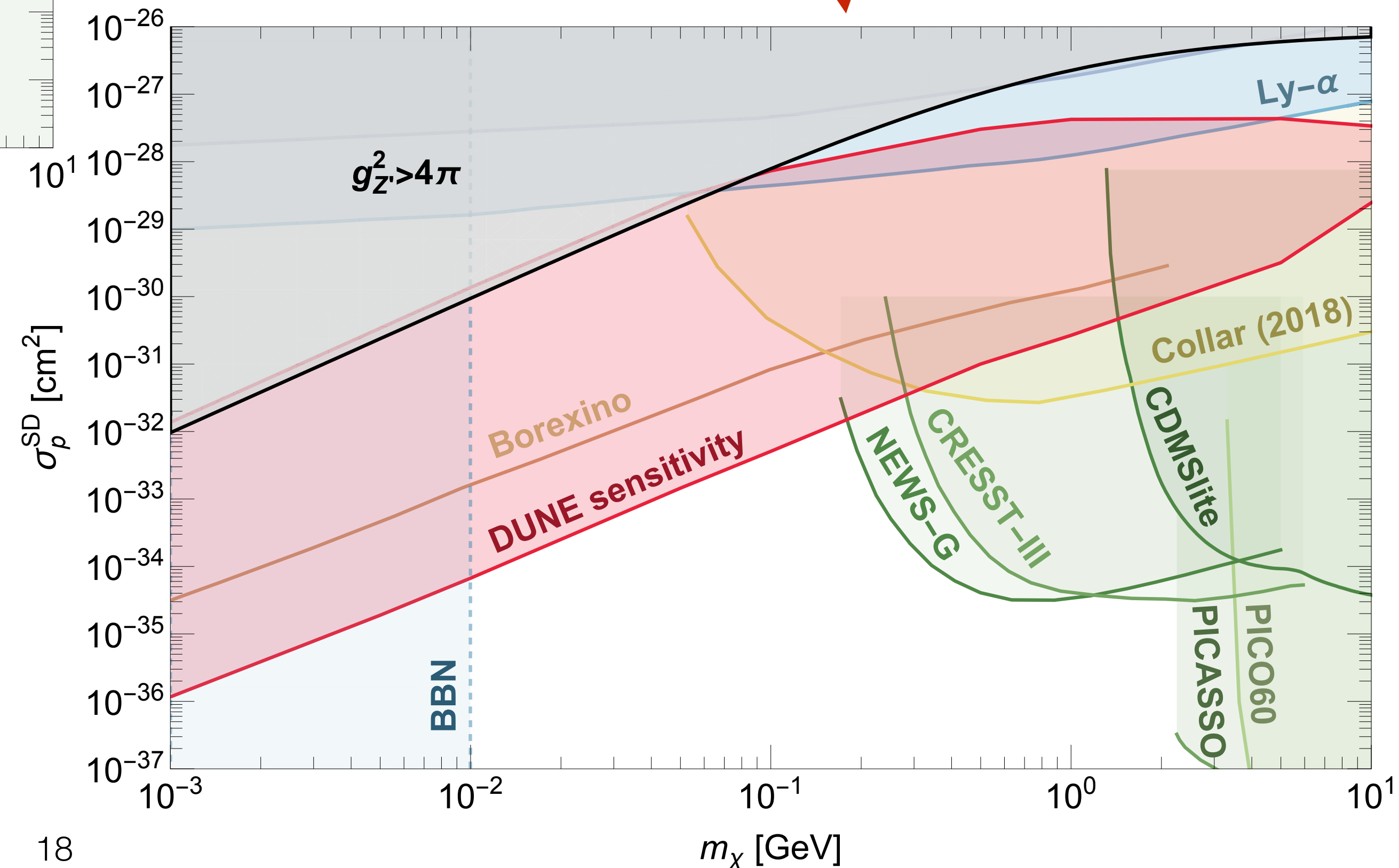
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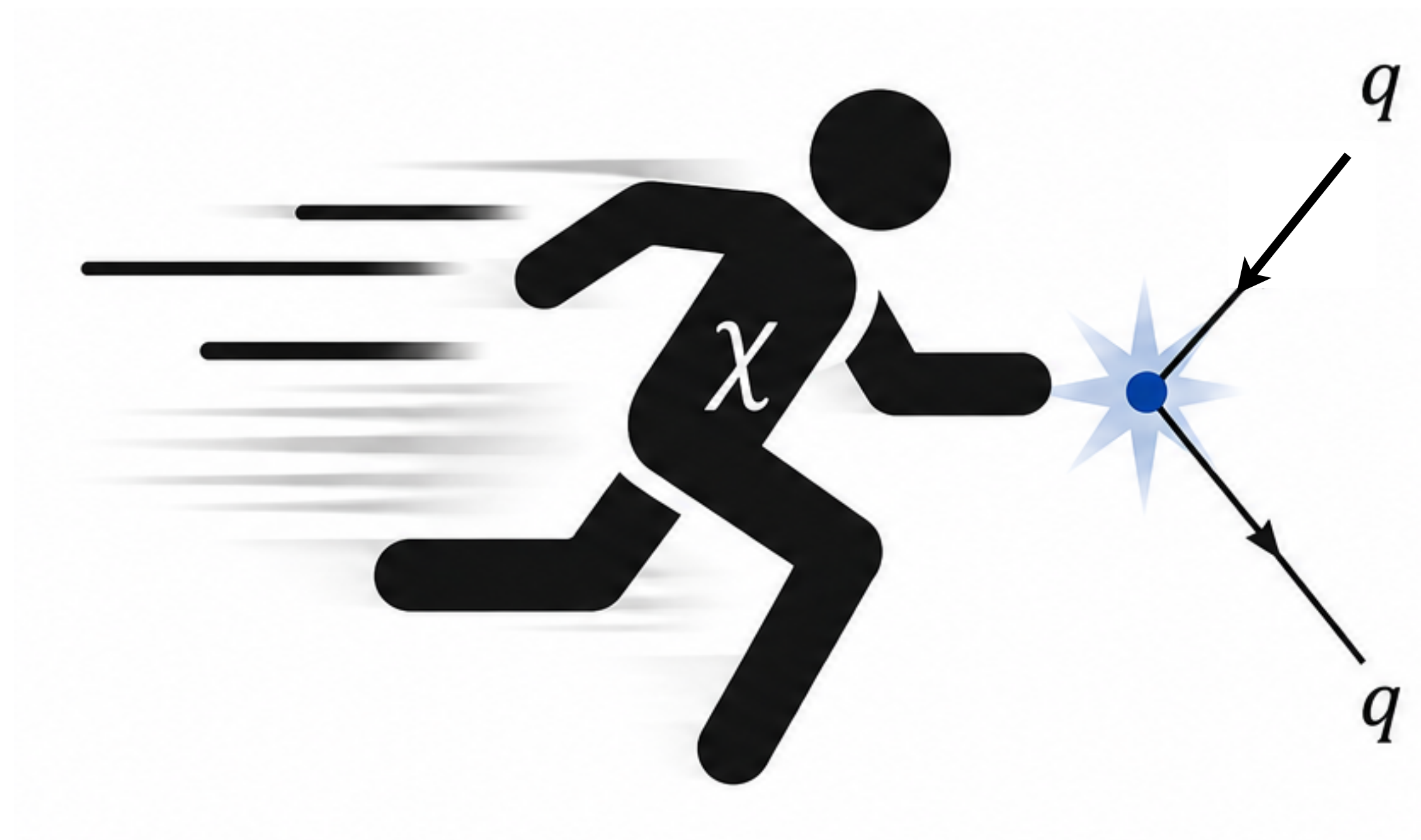
Vector couplings, $m_{Z'} = 1$ GeV

Axial-vector couplings, $m_{Z'} = 1$ GeV

But... Further model-dependent constraints on Z' mediators from meson decays, by collider experiments, feasibility of UV completion etc.



Way forward?

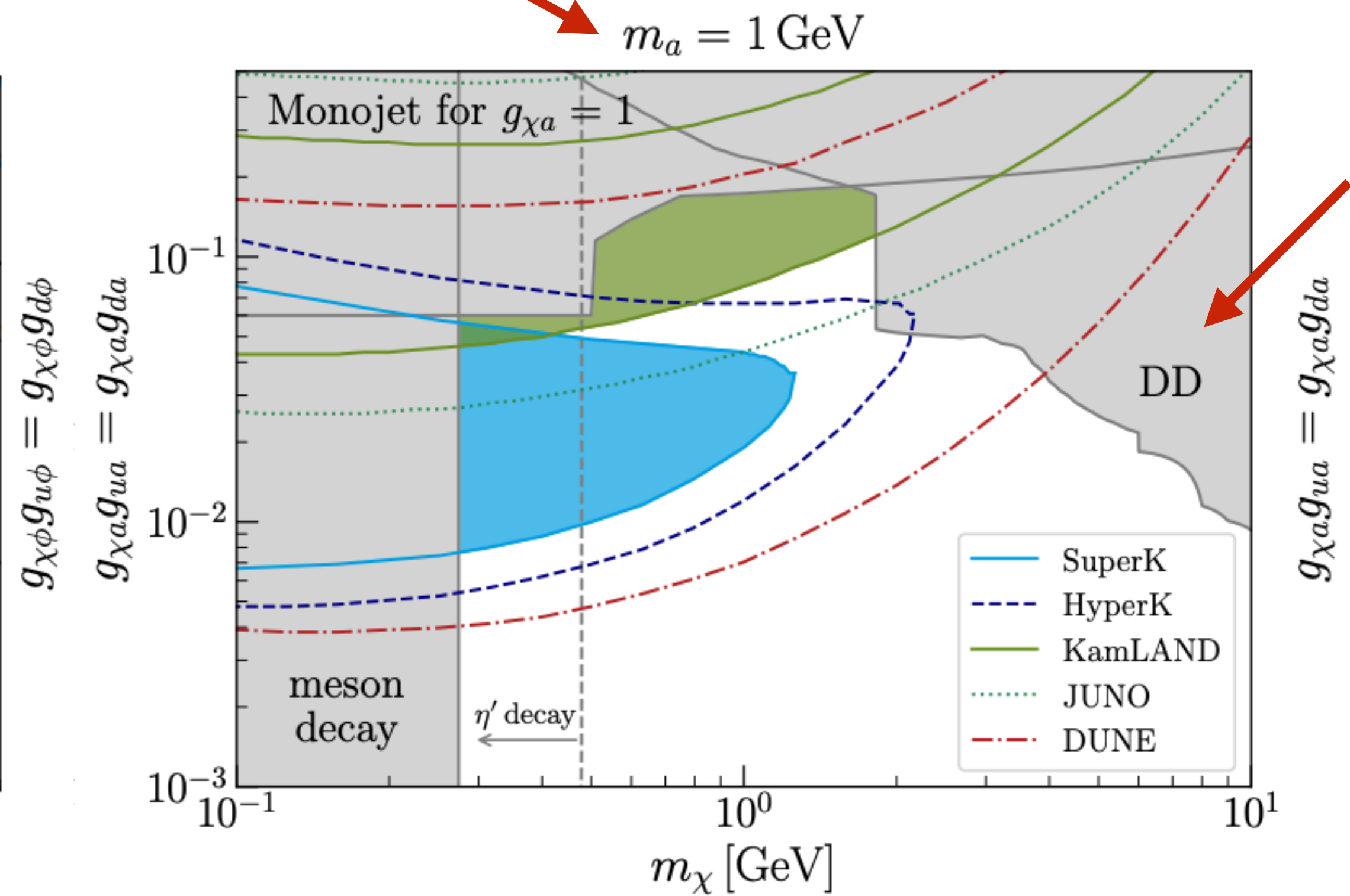
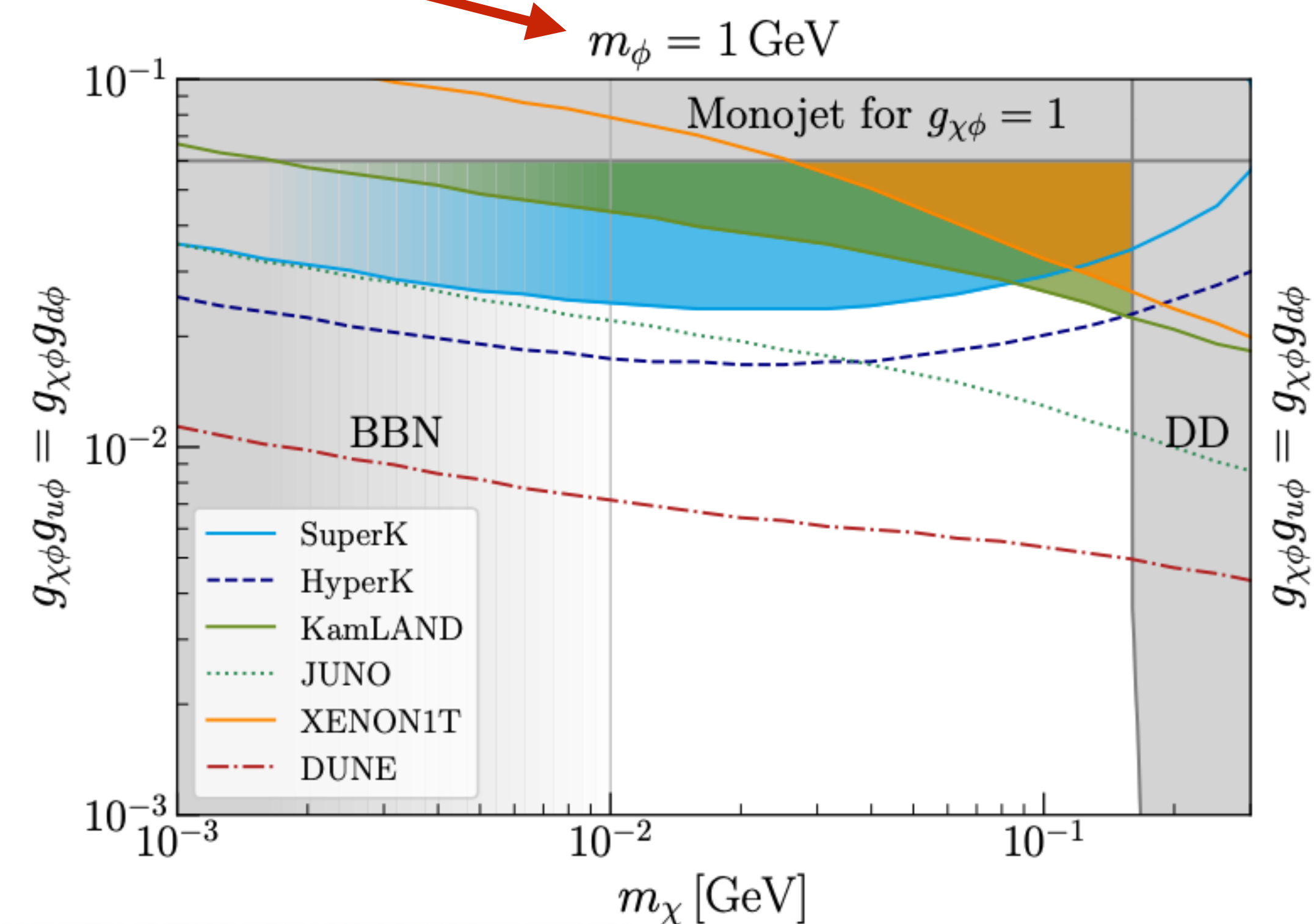


(Pseudo)scalar mediators more favourable?

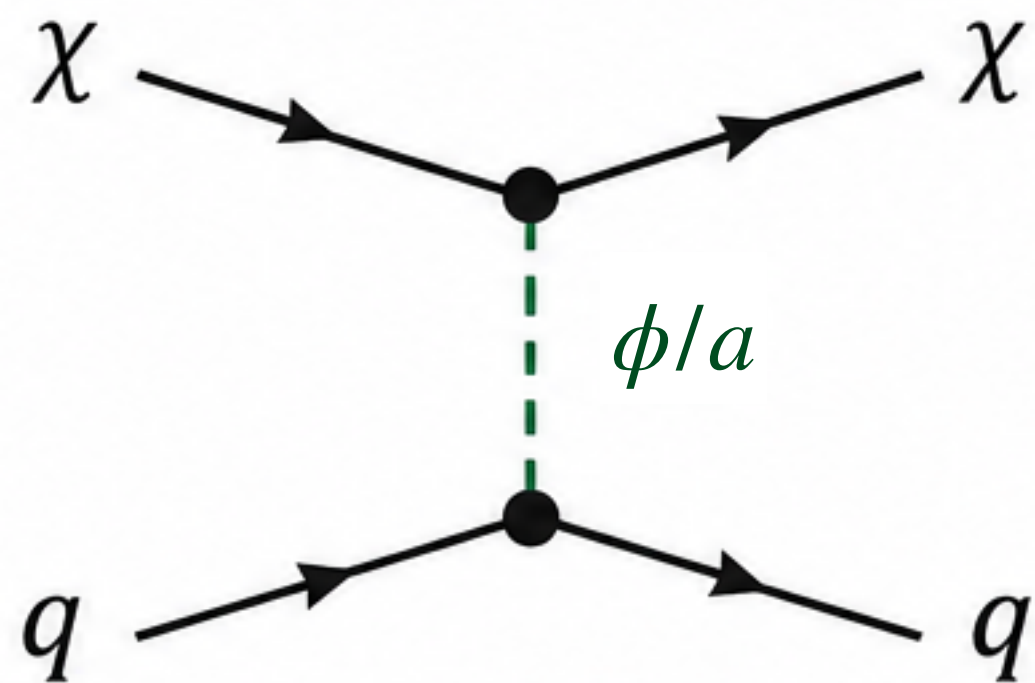
[Ema, Sala, Sato: 2011.01939]

Scalar mediator

Pseudo-scalar mediator



NB: Direct detection limits much weaker for pseudo-scalar case due to velocity-suppressed low-energy interactions!

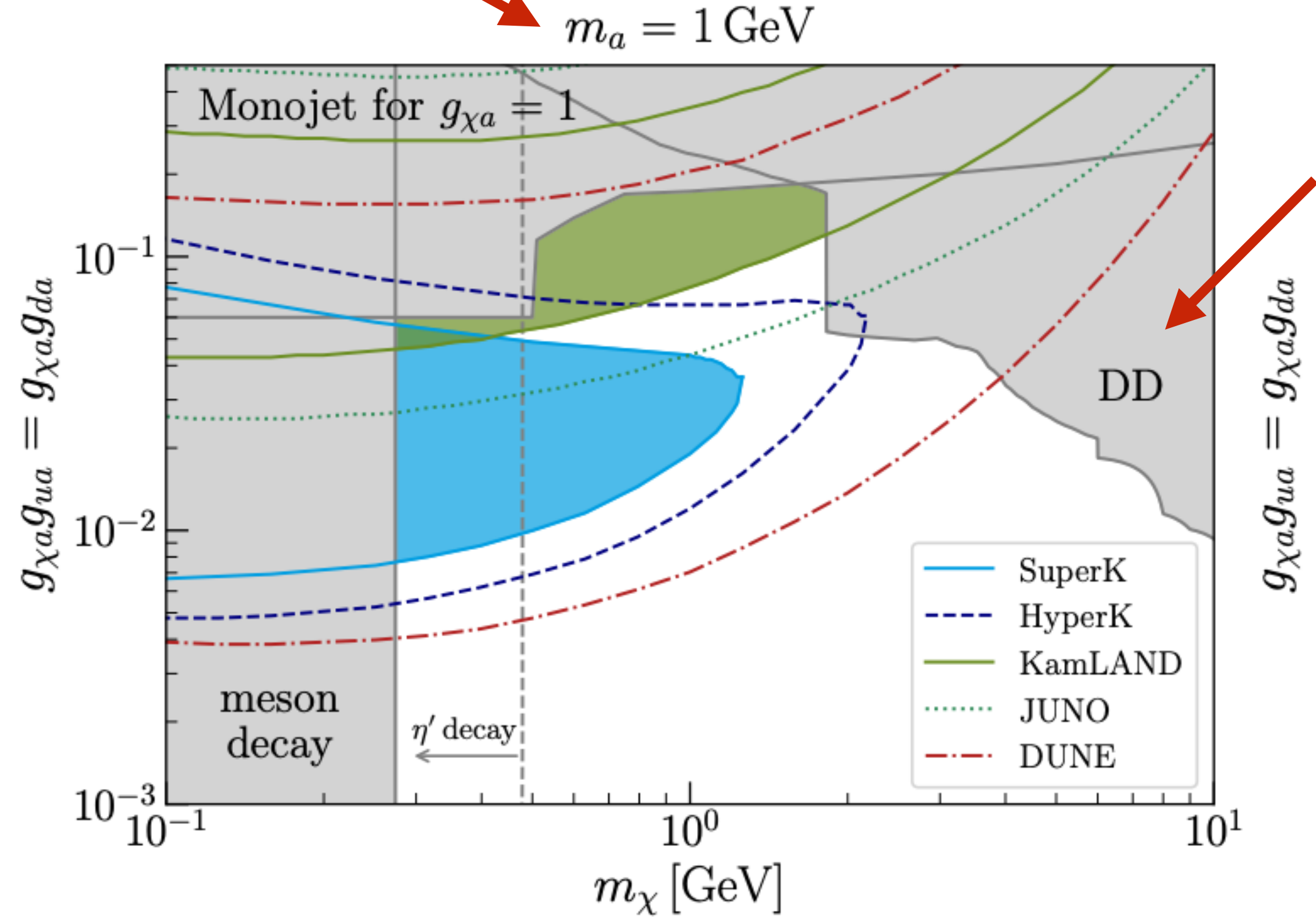
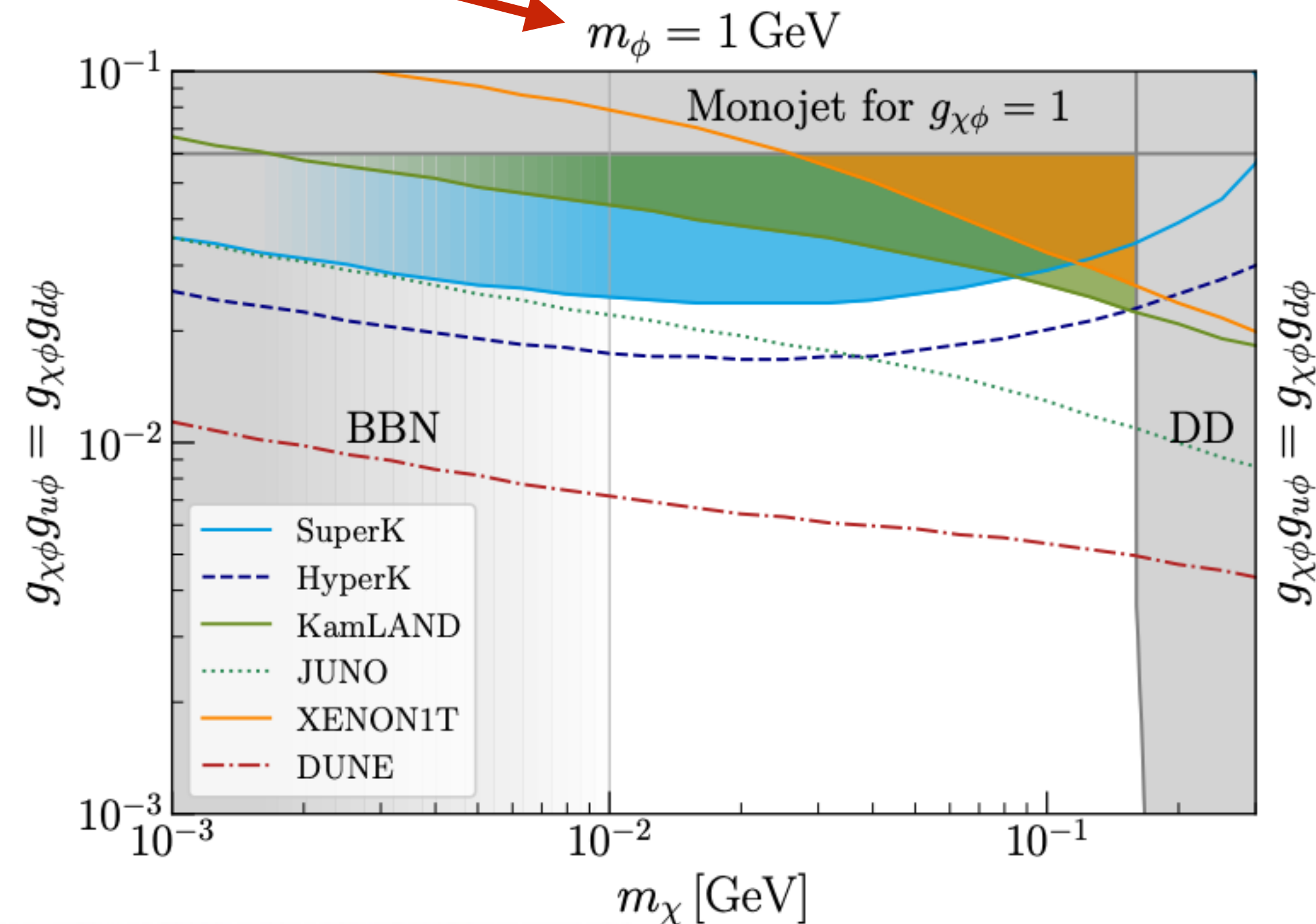


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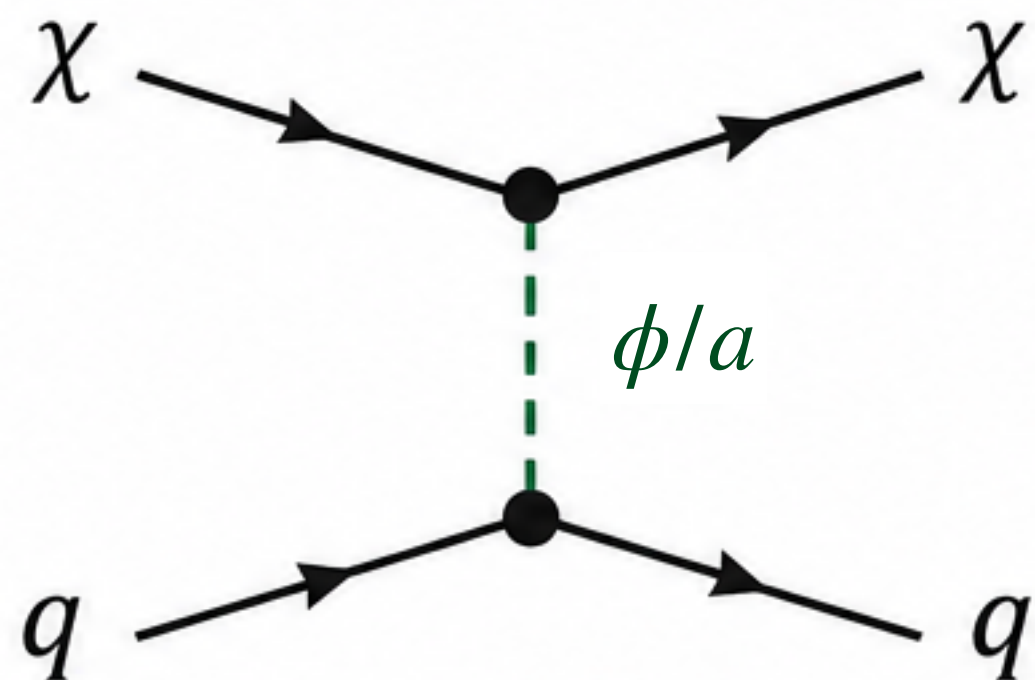
[Ema, Sala, Sato: 2011.01939]

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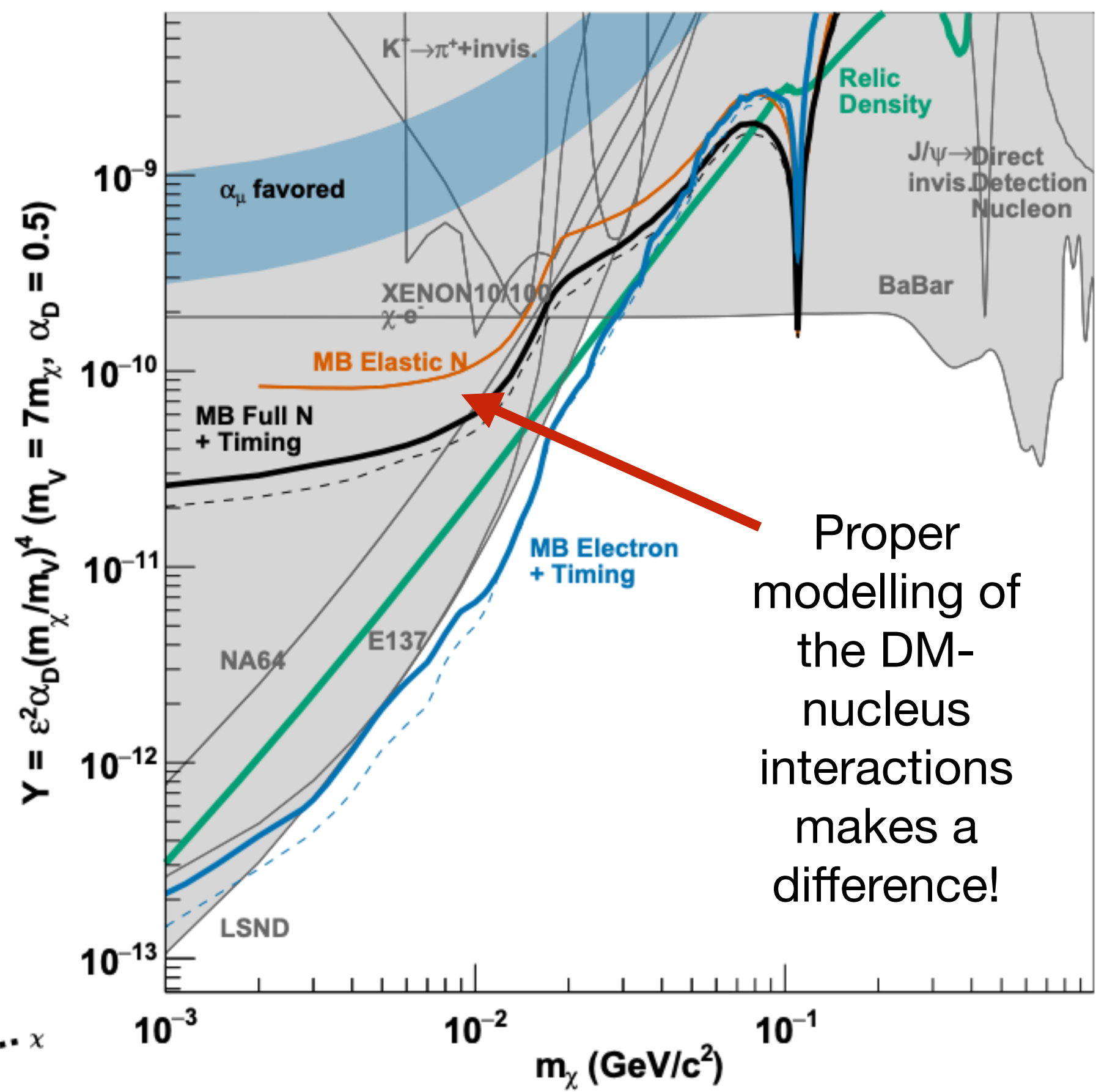
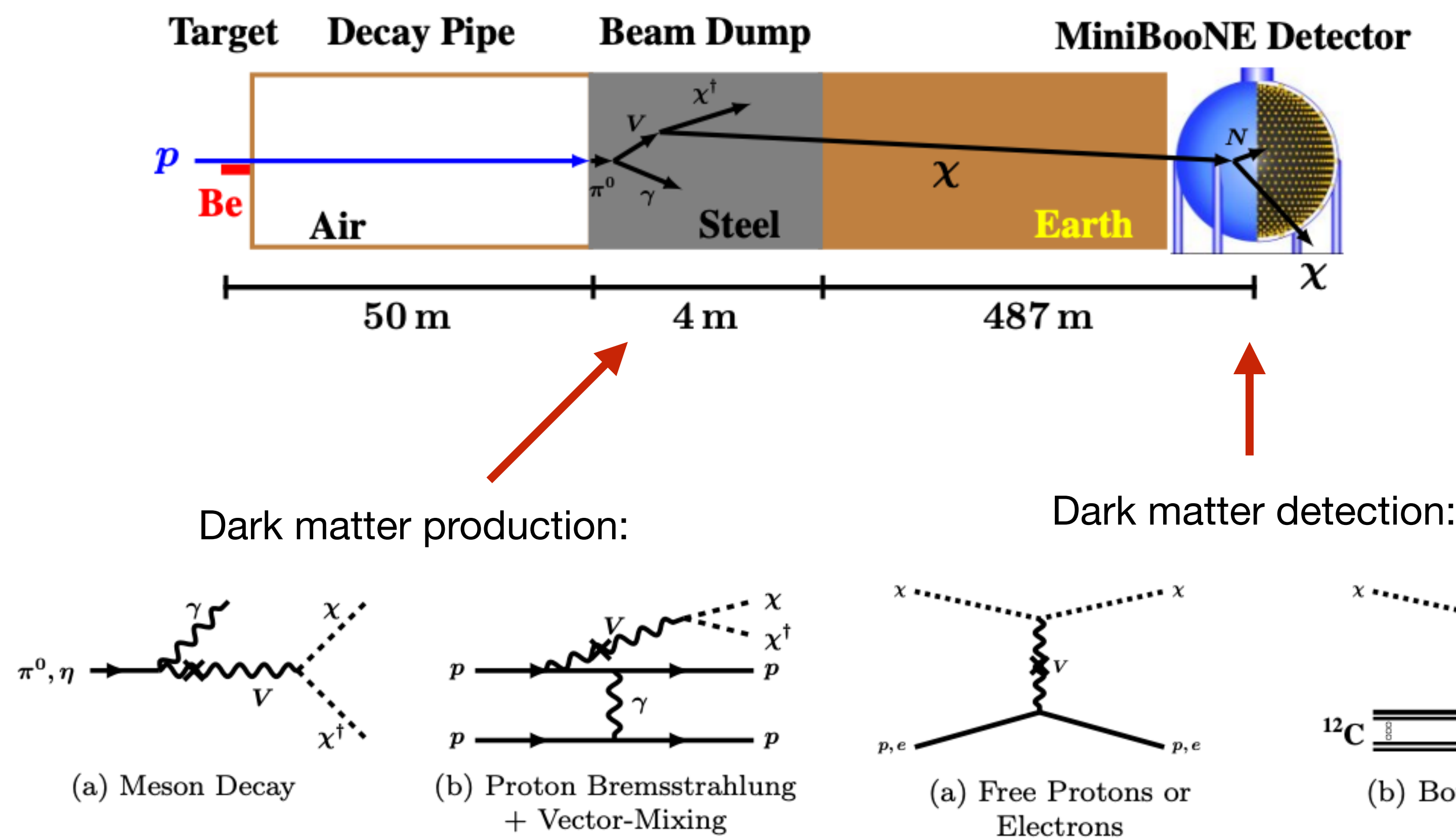


But numerical implementation of inelastic dark matter-nucleus cross sections missing as far as I know & nucleon form factors not known very well!*

Other mechanisms for accelerating dark matter?

Relativistic dark matter can be produced in beam dumps and later detected!

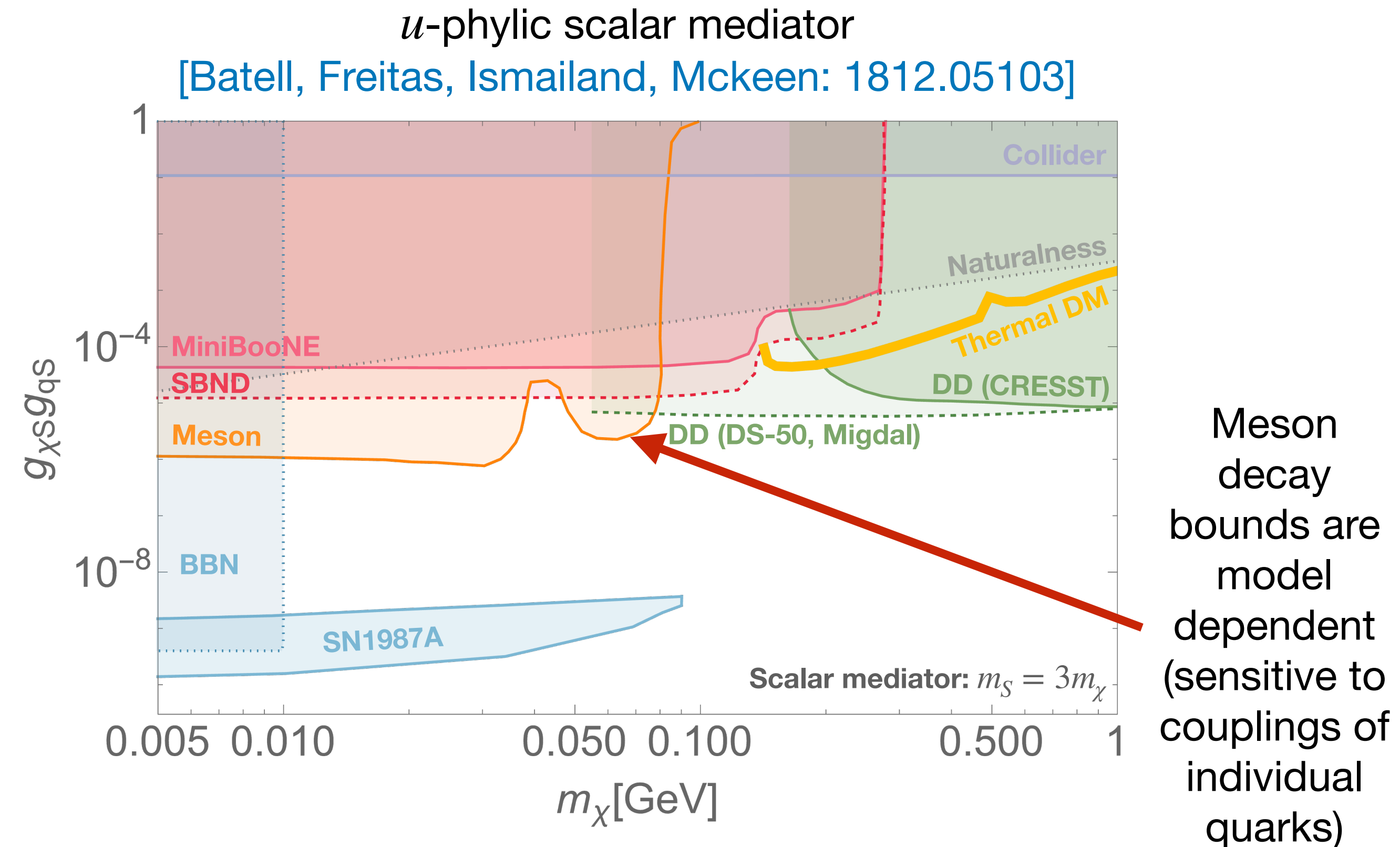
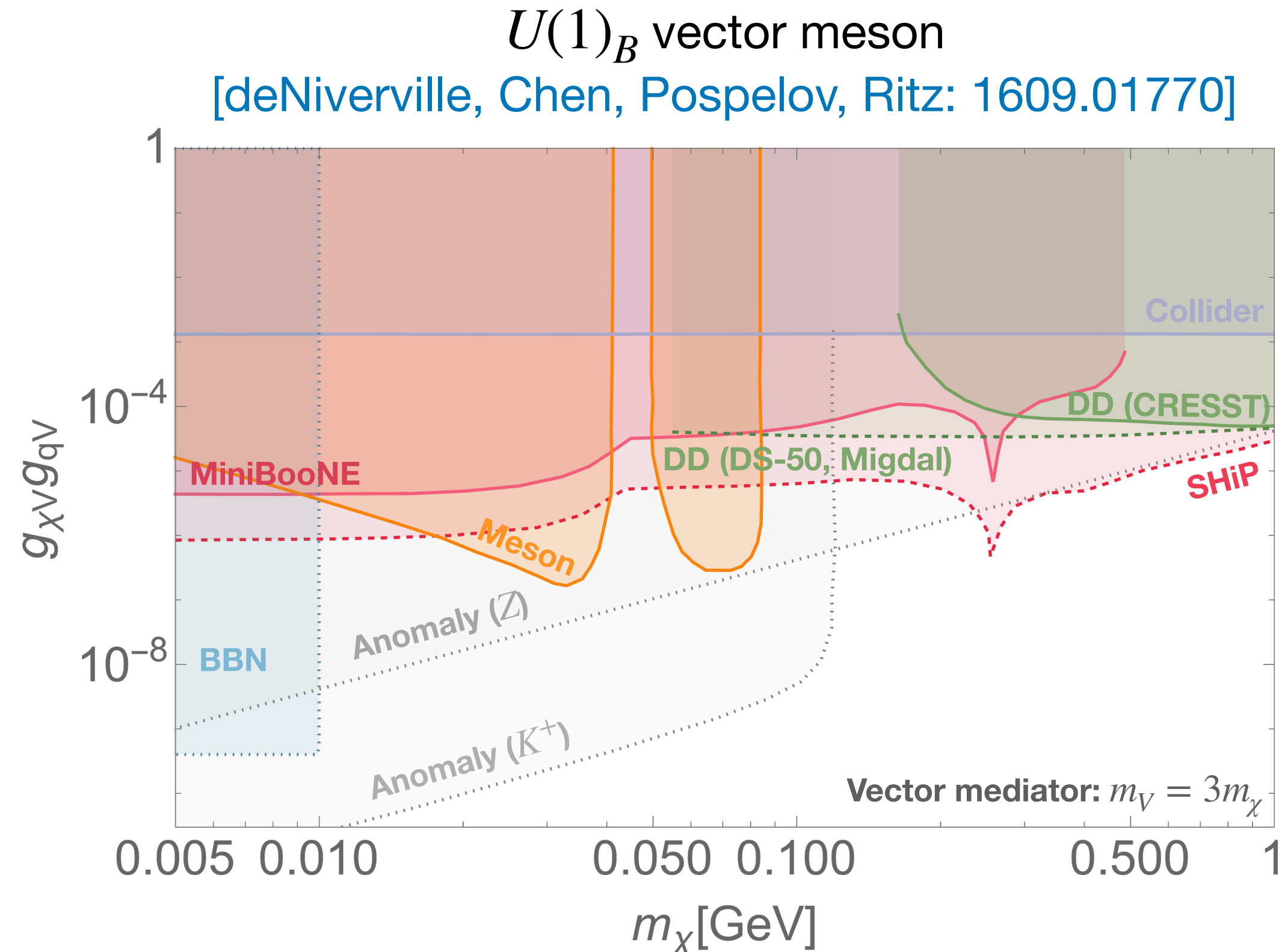
[MiniBooNE-DM Collaboration: 1807.06137]



(b) vector portal ($\alpha_D = 0.5, m_V = 7m_\chi$)

Other mechanisms for accelerating dark matter?

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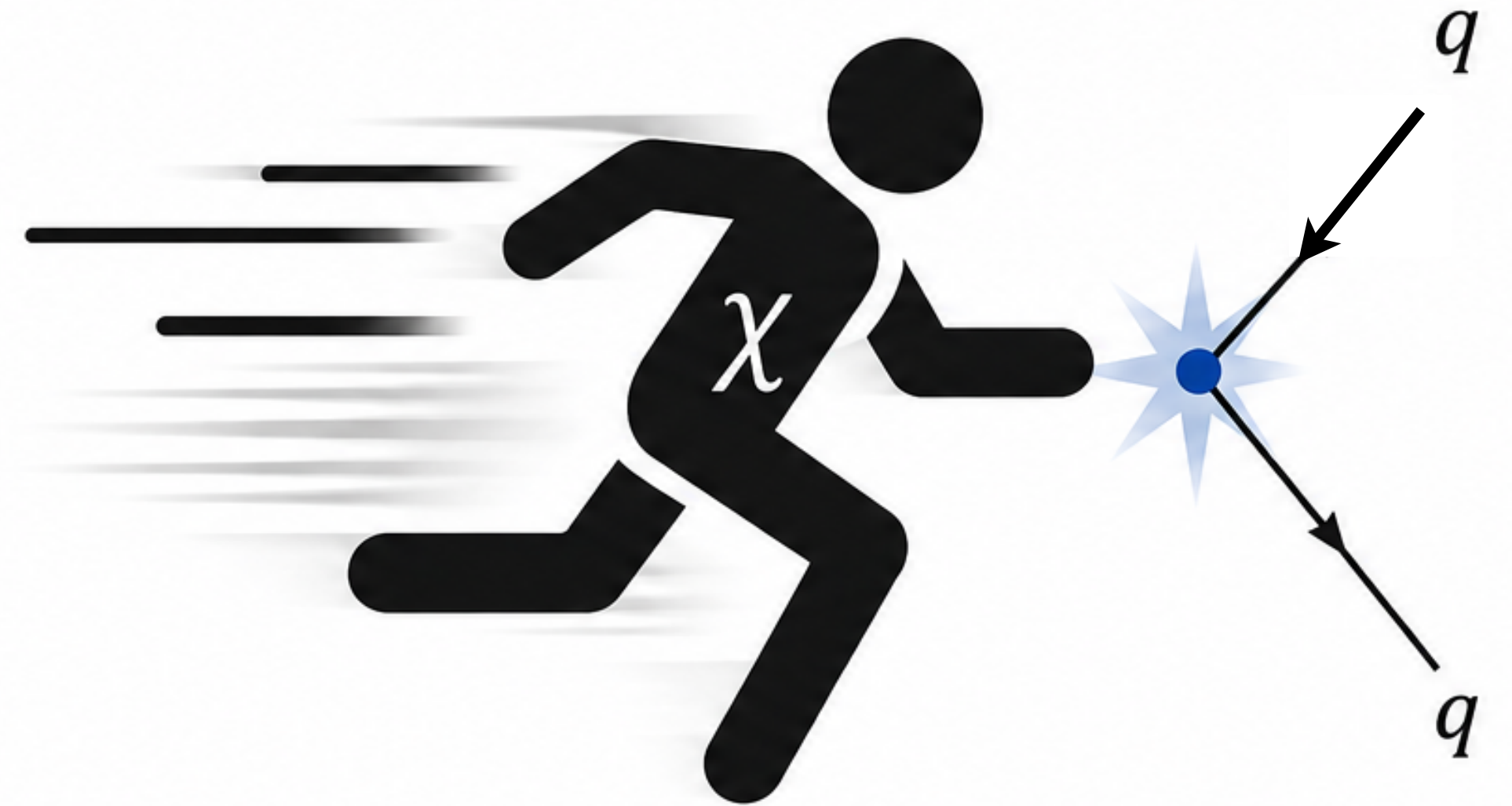


Leading bounds on invisibly decaying mediators can be obtained by SHiP* or SBND!**

- * depending on the detector design
- * SHiP talk by Richard Jacobsson on Thursday!
- ** if beam dump run performed

Conclusions

- Accelerated dark particles can be probed by neutrino detectors like DUNE
 - * Sensitivity to sub-GeV dark matter
 - * Based on scattering with nucleons or partons $\Rightarrow$ comparable bounds for SI and SD interactions
- Interactions of “fast” dark matter with nuclei harder to model, tools for scalar/pseudoscalar mediators missing as far as I know. NB: relevant also for non-standard neutrino interactions [[Kopp, Rocco, Tabrizi: 2401.07902](#)]
- Further promising setups where accelerated dark matter could be detected?



Conclusions

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- Further promising setups where accelerated dark matter could be detected?



Thank you for attention!

Dark matter scattering with nucleons

- Dark-matter-proton elastic scattering important for up-scattering by cosmic rays
- Need for nucleon form factors!

Well known, enter
electromagnetic
interactions

$$\langle N(p') | \bar{q} \gamma^\mu q | N(p) \rangle = \bar{u}(p') \left(F_1^{q|N}(Q^2) \gamma^\mu + F_2^{q|N}(Q^2) \frac{i q_\nu \sigma^{\mu\nu}}{2m_N} \right) u(p)$$

$$\langle N(p') | \bar{q} \gamma^\mu \gamma^5 q | N(p) \rangle = \bar{u}(p') \left(F_A^{q|N}(Q^2) \gamma^\mu \gamma^5 + F_P^{q|N}(Q^2) \frac{q^\mu}{2m_N} \gamma^5 \right) u(p)$$

Somewhat known,
enters neutrino
interactions

Corresponding contribution to cross section
suppressed by particle mass $\Rightarrow$ irrelevant for neutrino
NC scattering. Related to F_A by Ward identities.

NB: Pseudo-scalar form factor

[Berger: 1812.05616]

Thus far, I have neglected the pseudoscalar form factor. For the isospin octet form factors corresponding to the π and η , these can be predicted by the assumption of PCAC and the dominance of the lowest meson pole. For the pion-like isospin current, there is some data indicating that this assumption holds. The other combinations are very difficult to access within the SM. There has been some lattice study of this, with mixed results particularly for the pion.

$$\frac{F_P^{u|N} - F_P^{d|N}}{F_A^{u|N} - F_A^{d|N}} = \frac{4 M_N^2}{M_\pi^2 + Q^2}, \quad \frac{F_P^{u|N} + F_P^{d|N} - 2 F_P^{s|N}}{F_A^{u|N} + F_A^{d|N} - 2 F_A^{s|N}} = \frac{4 M_N^2}{M_\eta^2 + Q^2}. \quad (33)$$

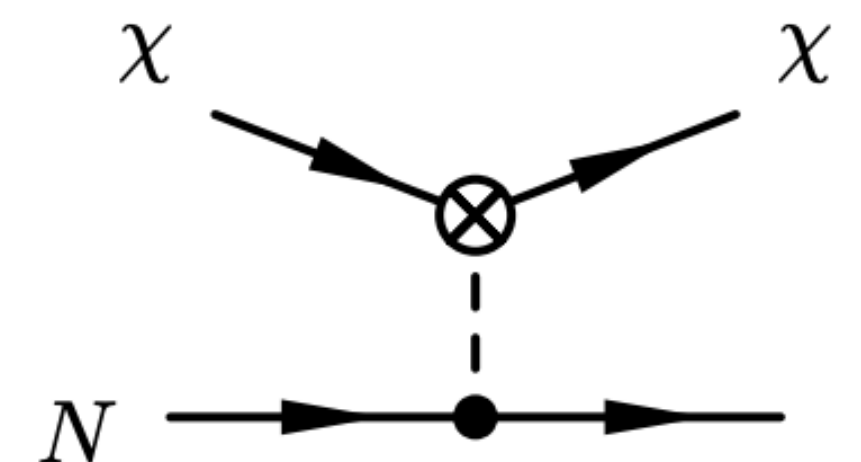
I then assume that the contribution of the strange quark is small, allowing for a solution for the two non-vanishing pseudoscalar form factors.

NB: For a lattice study, see, e.g., [Alexandrou et al.:1705.03399].

In the $u - d$ channel, the pion pole indeed reproduced. Nonzero value of $F_P^{s|N}$ observed.

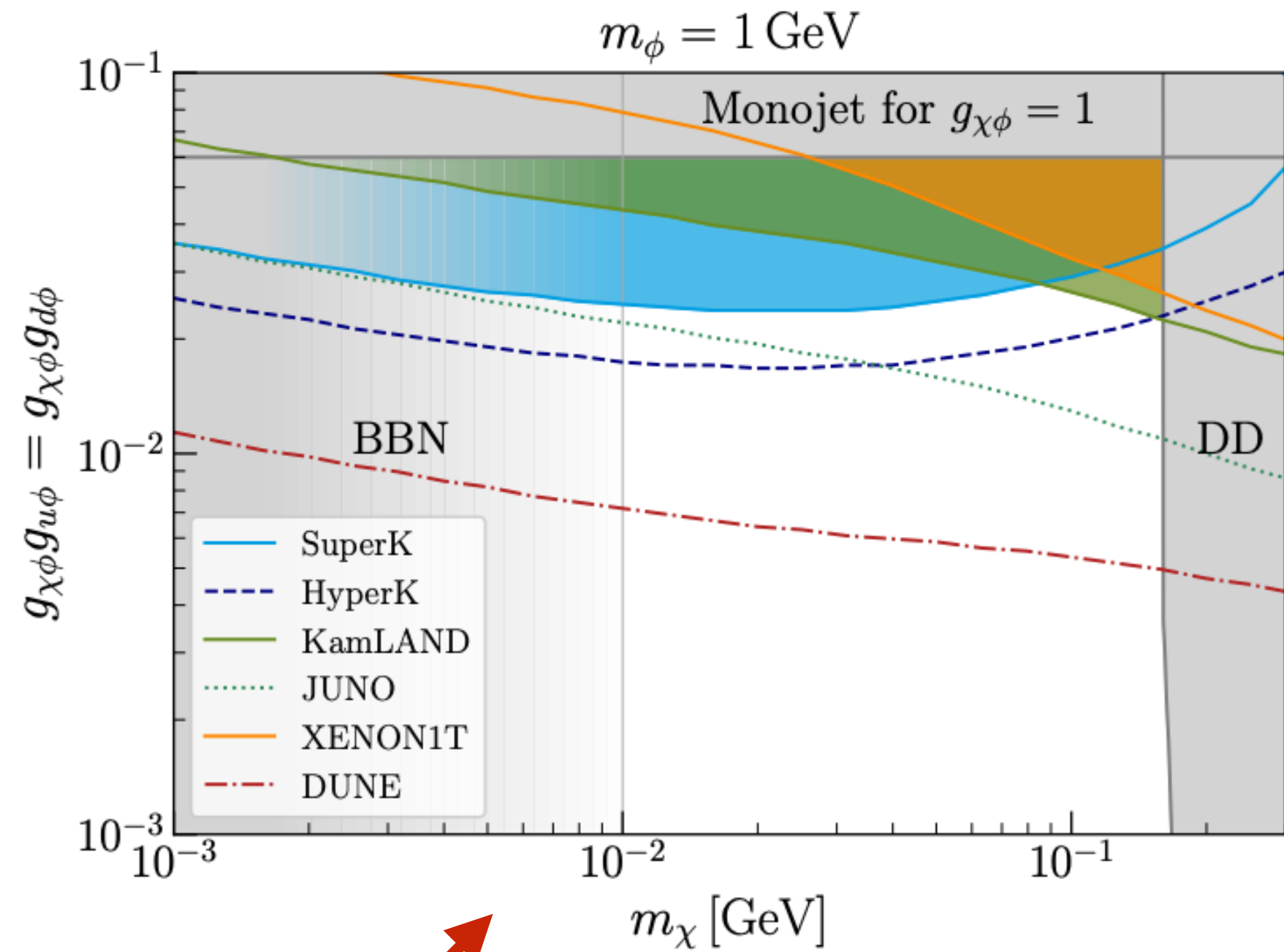
This does not correspond to the structure expected from chiral perturbation theory, $F_P^{s|N}$ should include a non-vanishing contribution by the η pole

[Bishara et al.: 1707.06998]
[Hoferichter et al.: 2007.08529]



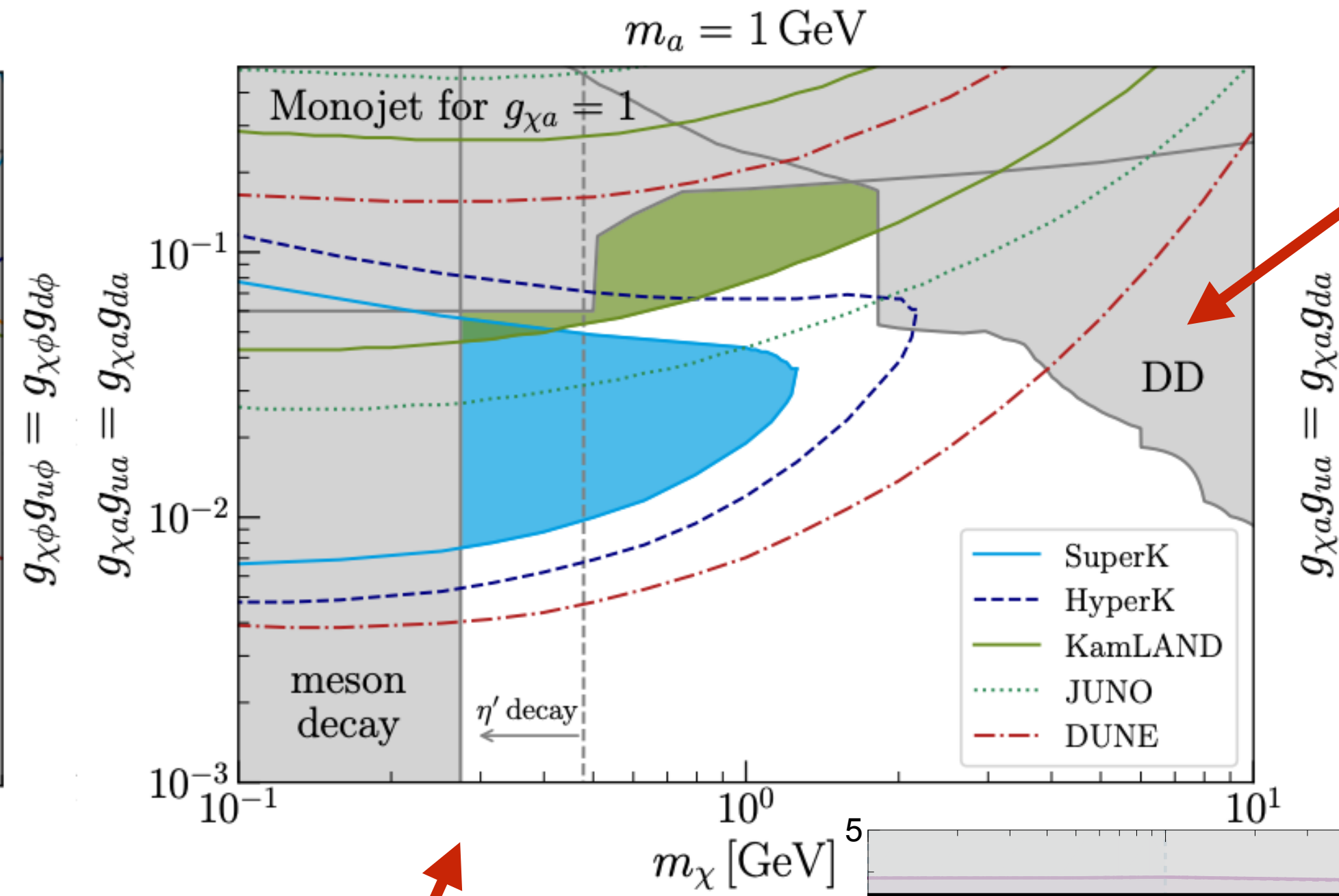
Scalar mediator more favourable?

[Ema, Sala, Sato: 2011.01939]



Scalar mediator

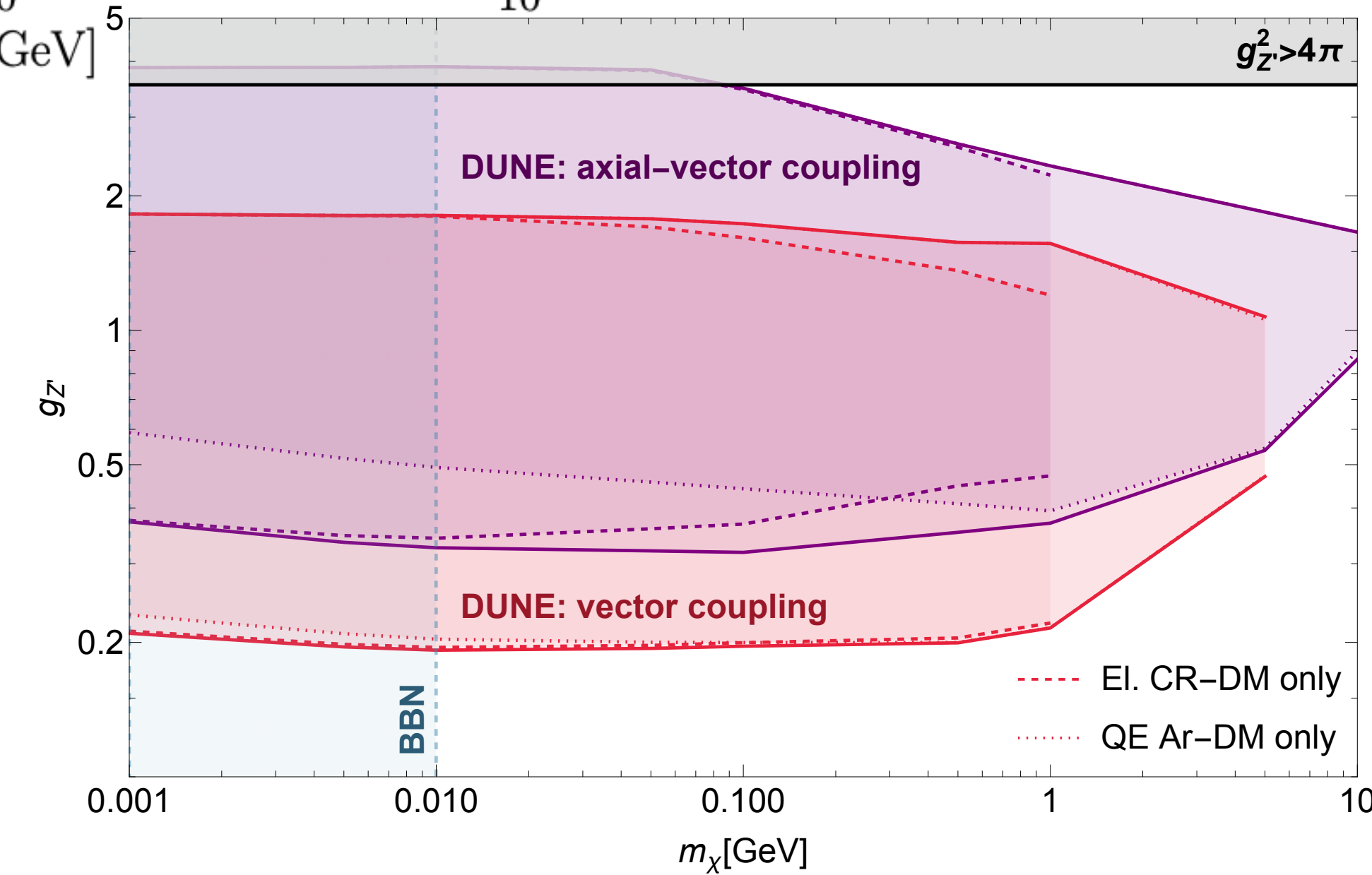
$$g_{N\phi} = g_{\phi} \left(\underbrace{\frac{m_N}{m_u} f_u^N + \frac{m_N}{m_d} f_d^N}_{\sim 30} \right)$$



Pseudo-scalar mediator

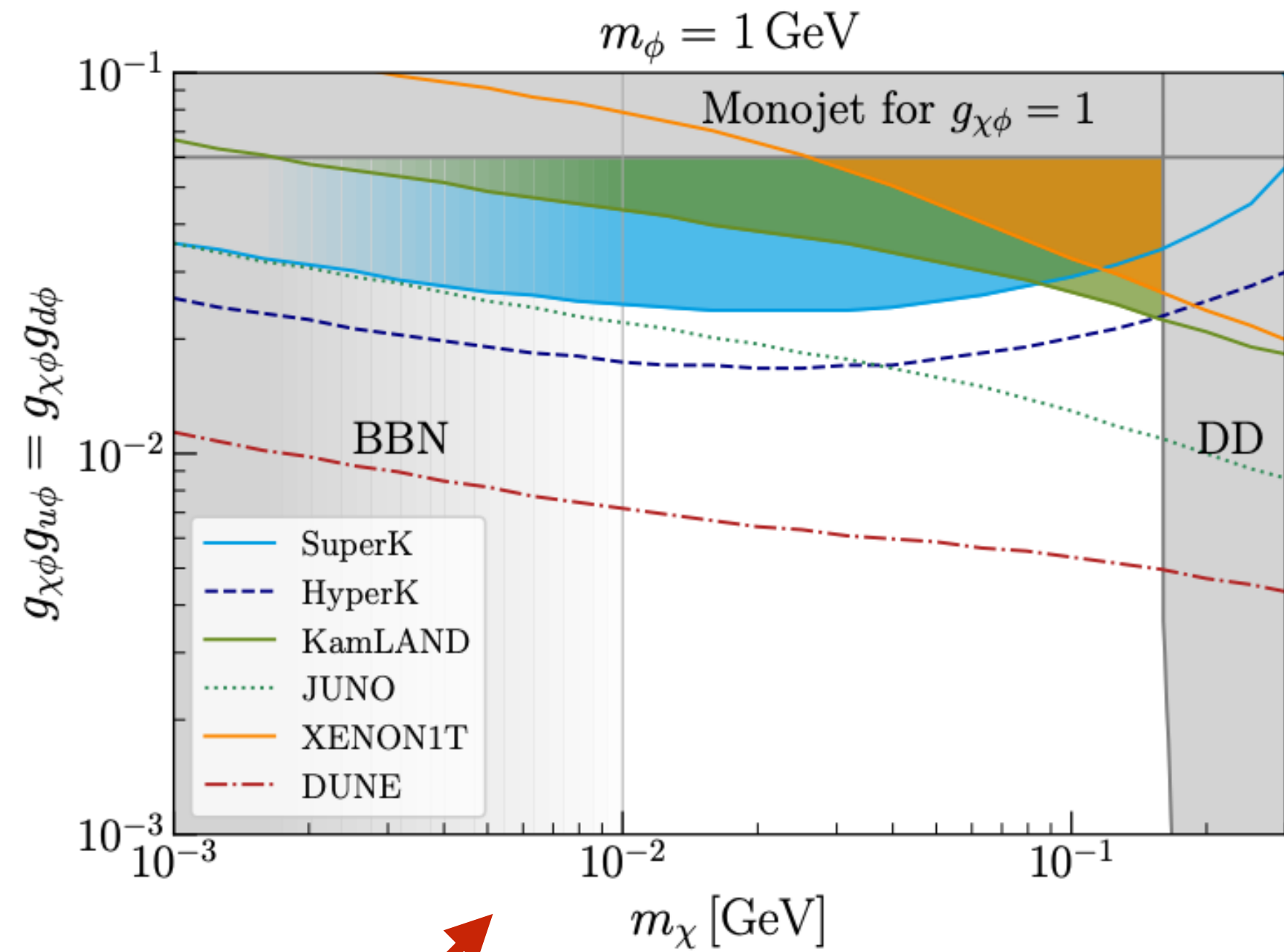
$$g_{Na} = g_a \underbrace{\frac{2m_N}{m_u + m_d} h_{u+d}}_{\sim 120}$$

NB: Direct detection limits much weaker for pseudo-scalar case due to velocity-suppressed low-energy interactions!



Scalar mediator more favourable?

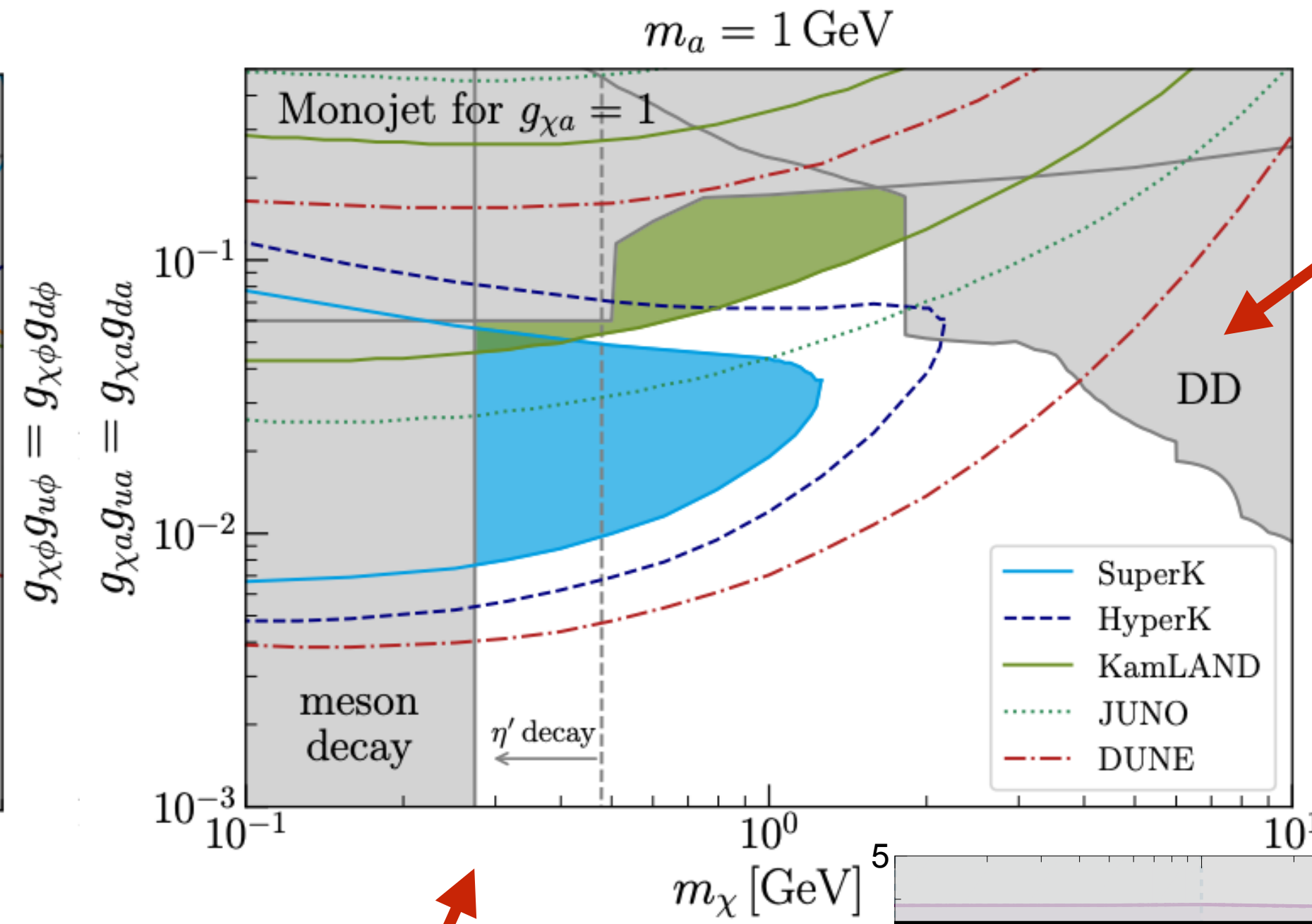
[Ema, Sala, Sato: 2011.01939]



Scalar mediator

$$g_{N\phi} = g_{\phi} \left(\underbrace{\frac{m_N}{m_u} f_u^N + \frac{m_N}{m_d} f_d^N}_{\sim 30} \right)$$

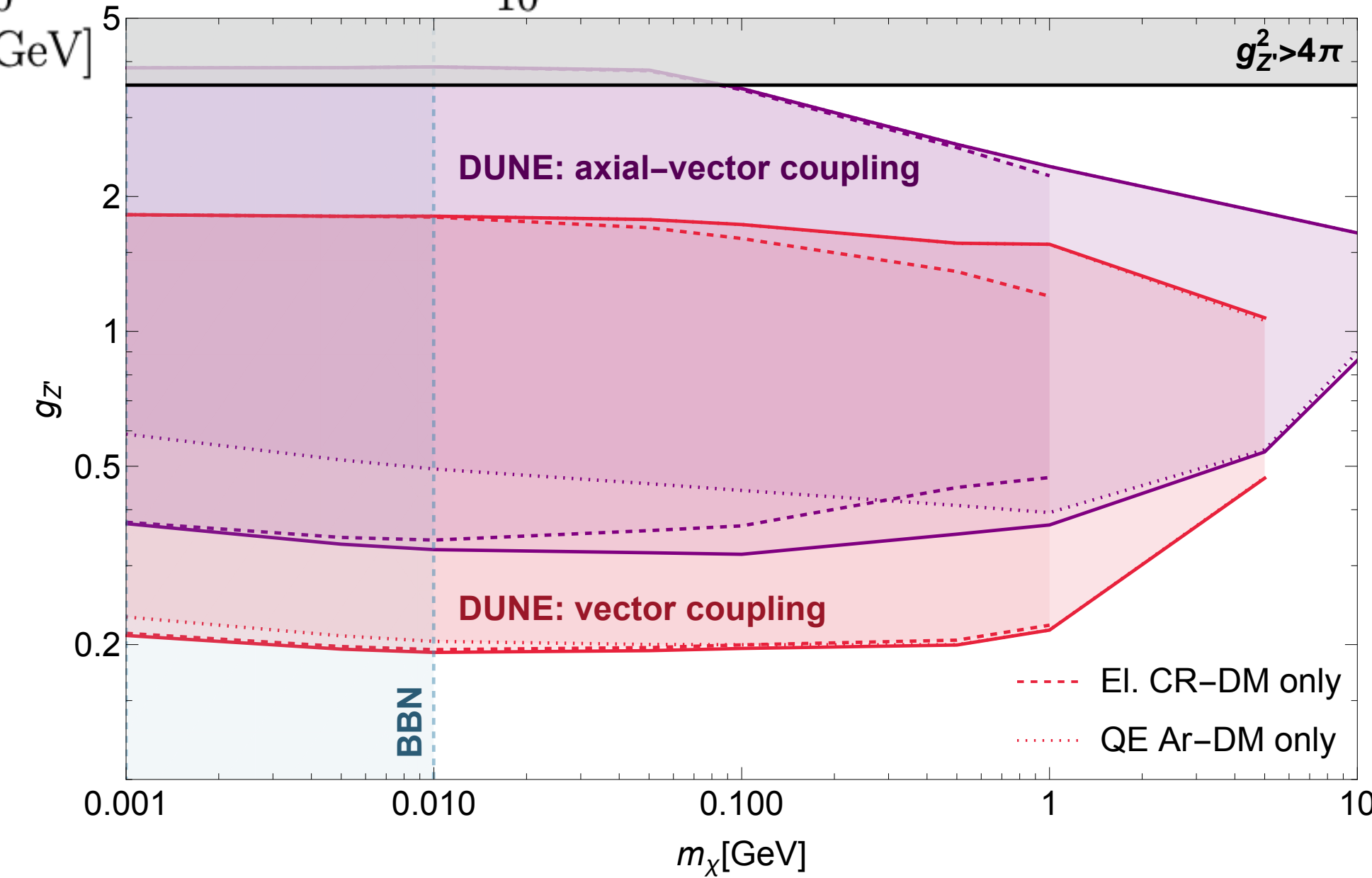
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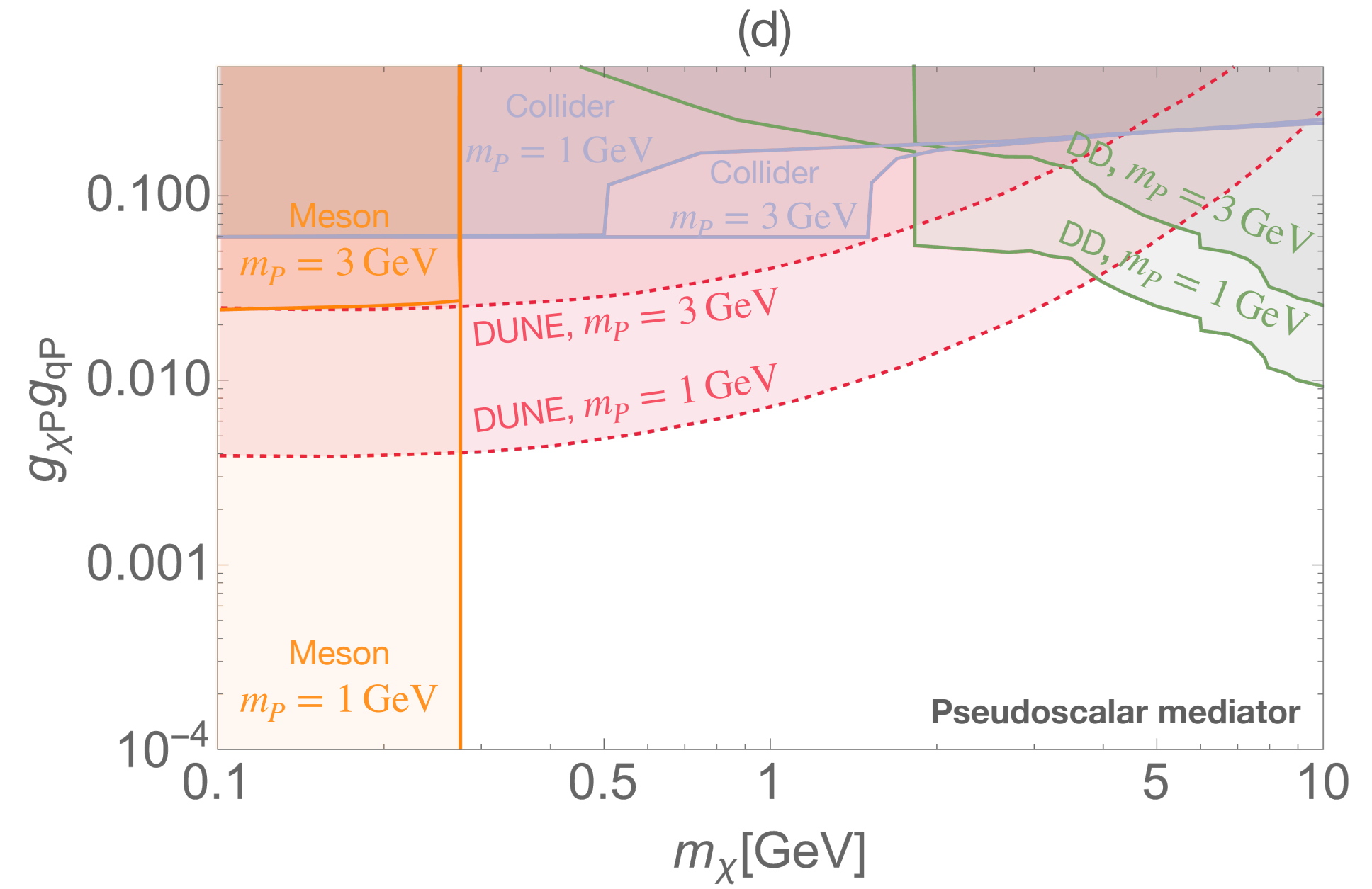
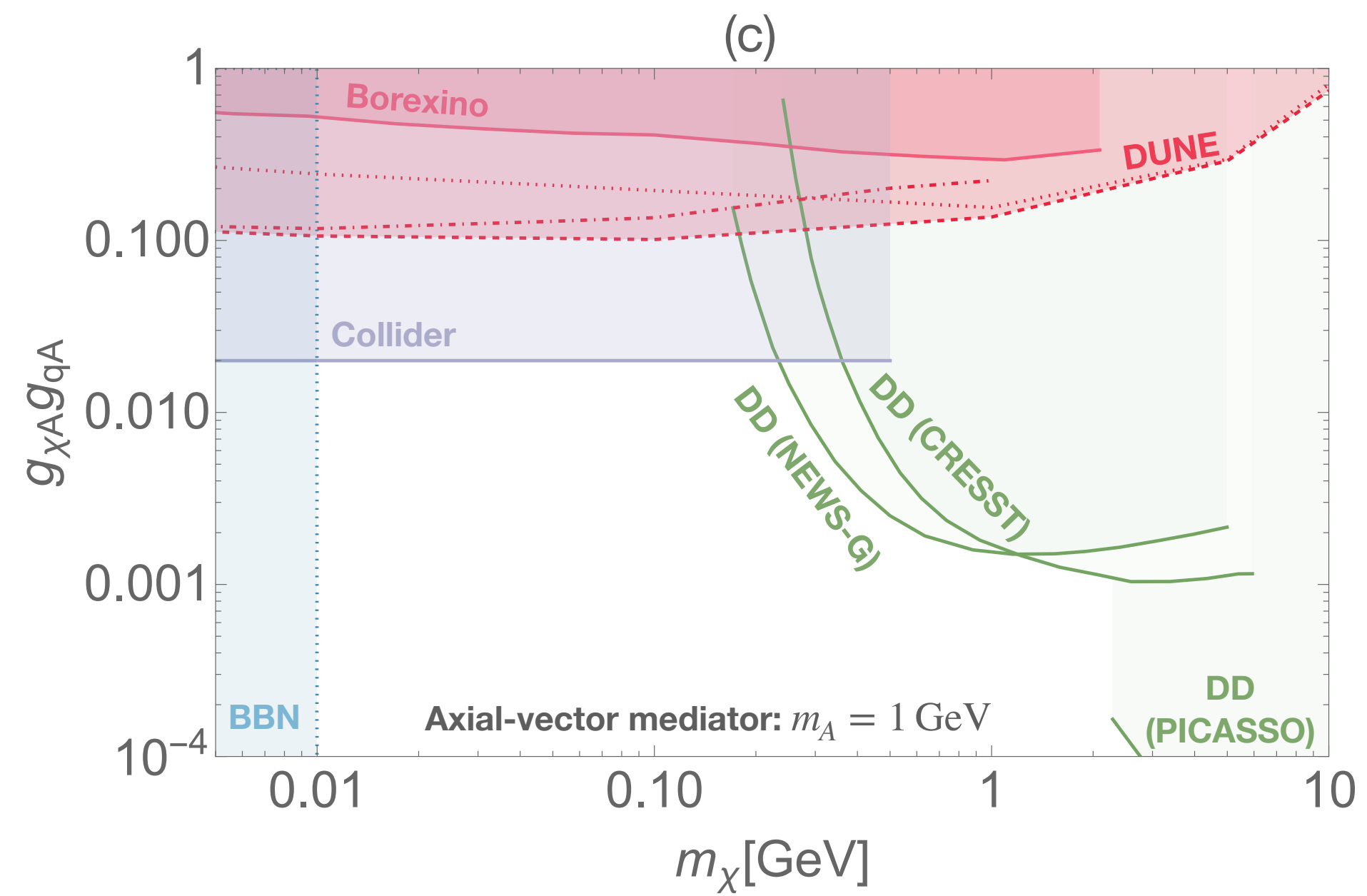
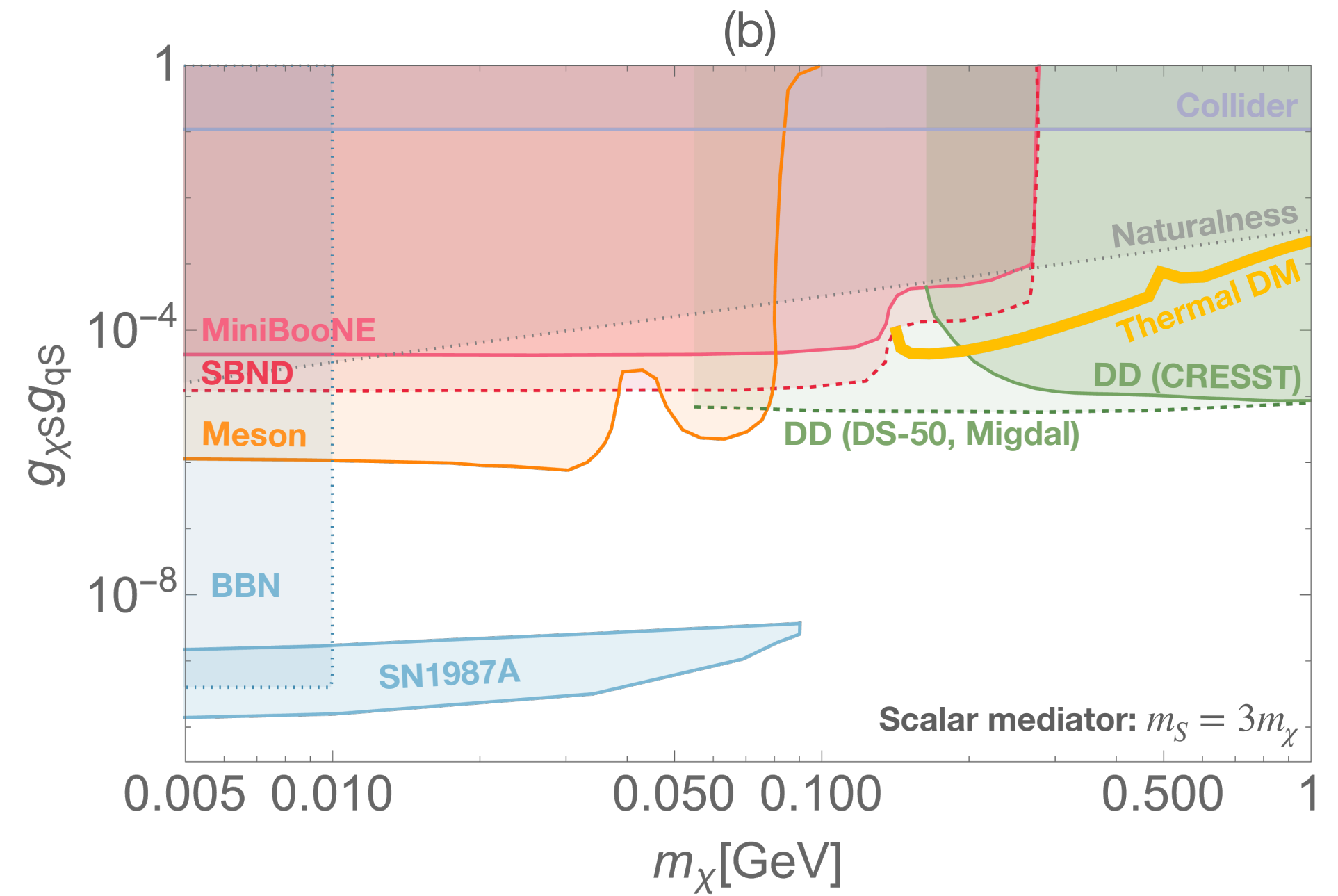
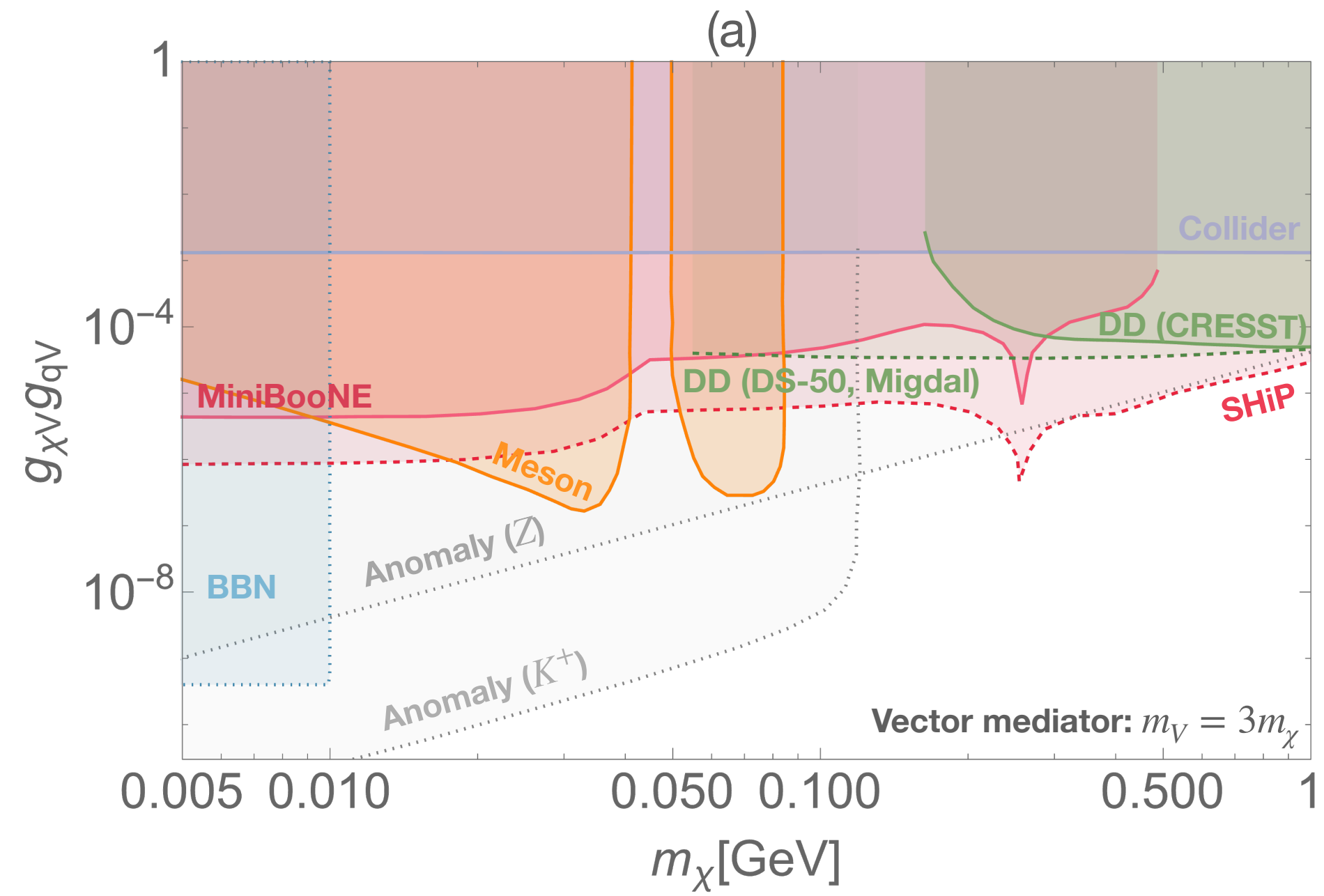


Pseudo-scalar mediator

$$g_{Na} = g_a \underbrace{\frac{2m_N}{m_u + m_d} h_{u+d}}_{\sim 120}$$

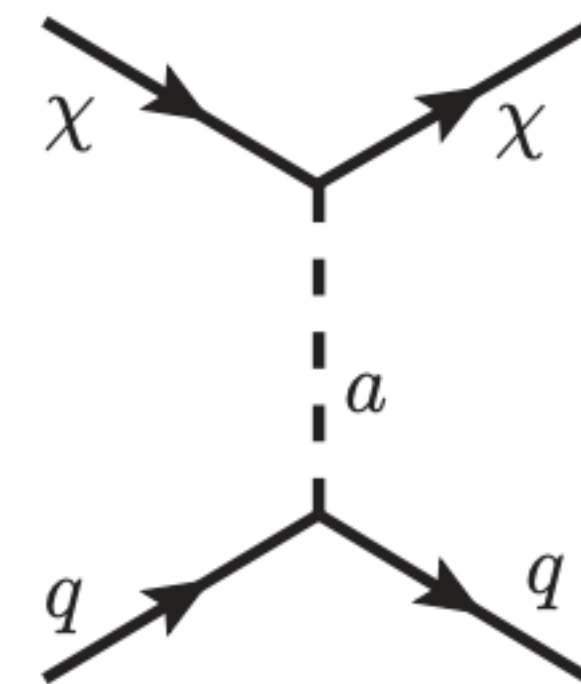
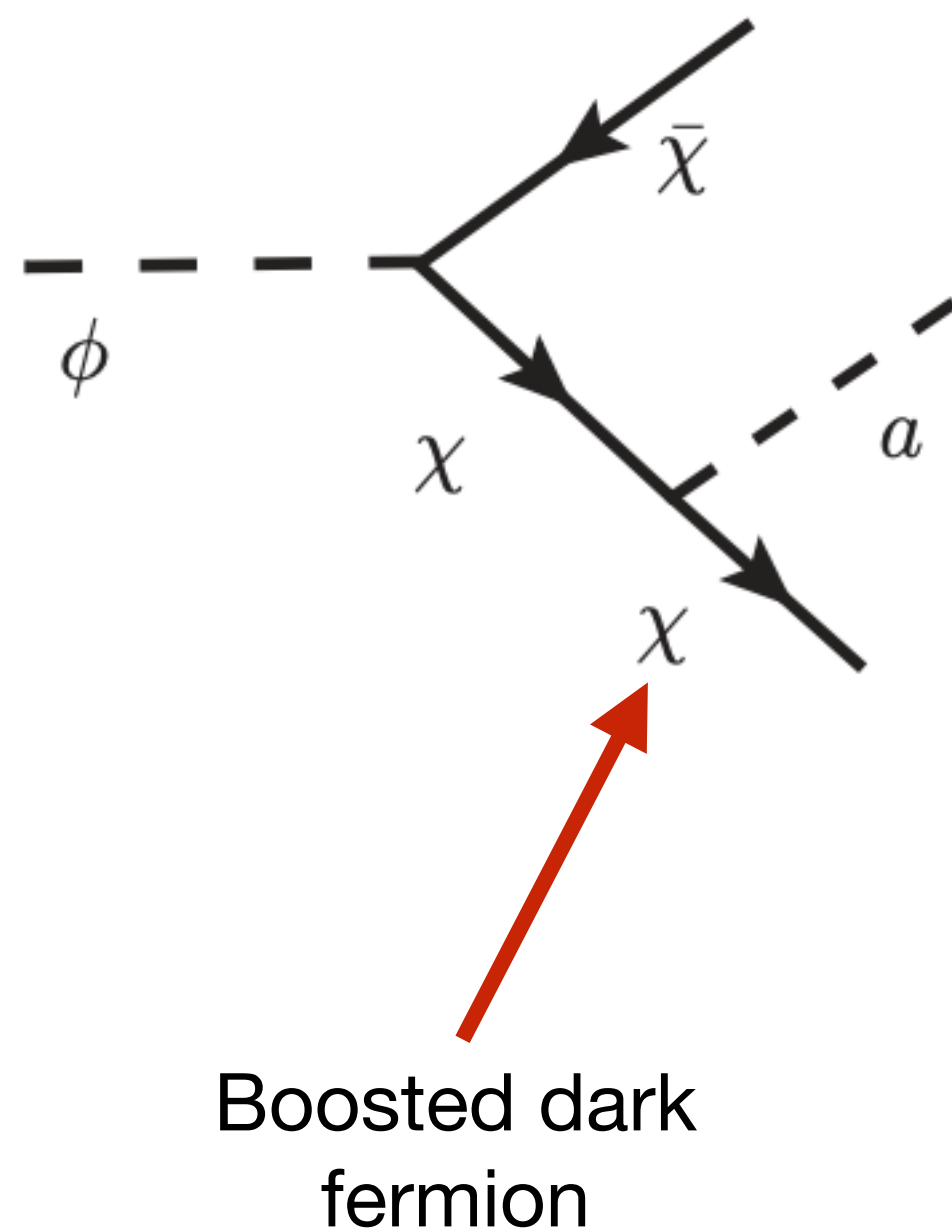
NB: Direct detection
limits much weaker for
pseudo-scalar case due
to velocity-suppressed
low-energy interactions!





Accelerated dark particles

Another example: Boosted dark particles from decays of heavy dark matter



Interaction with quarks: boosted dark particles can mimic astrophysical neutrino events in IceCUBE if

$$m_\phi \sim \mathcal{O}(\text{PeV})$$

[Kopp, Liu, Wang: 1503.02669]

