

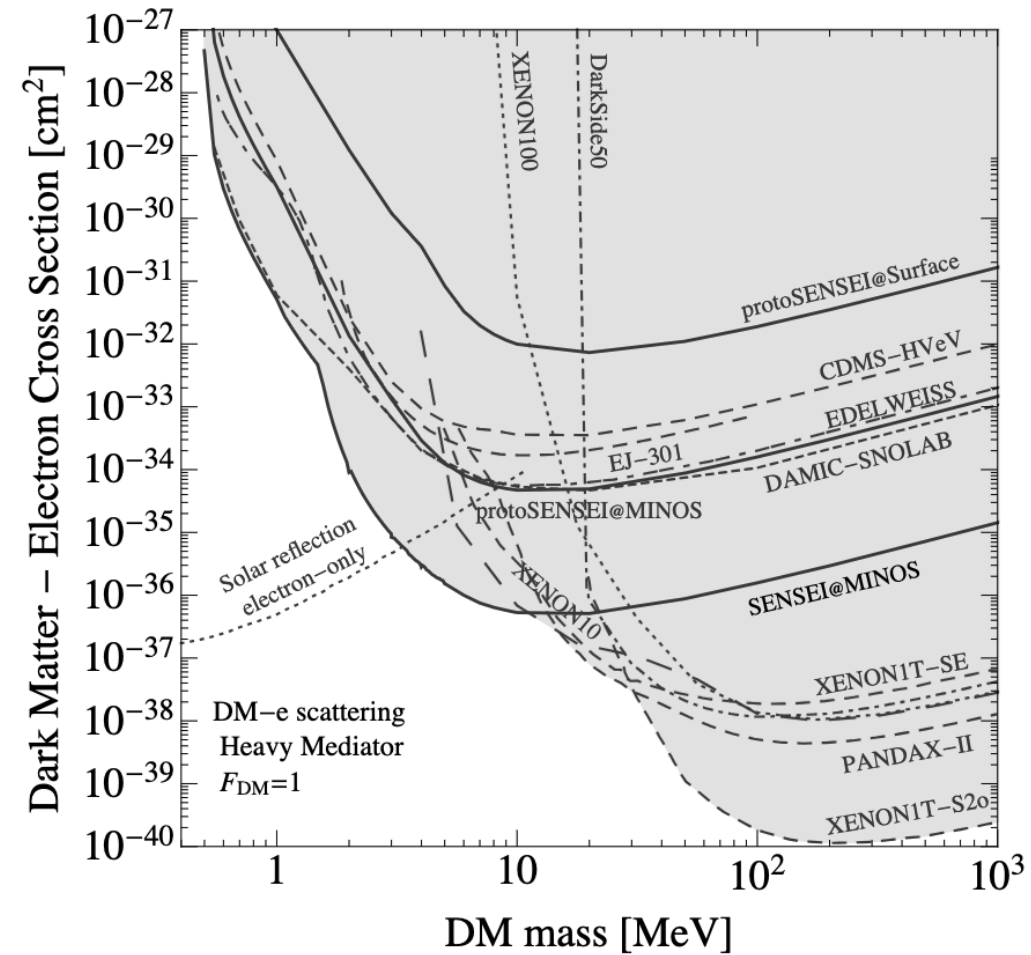
Modeling **electronic final states** in **liquid xenon** for light dark matter detection

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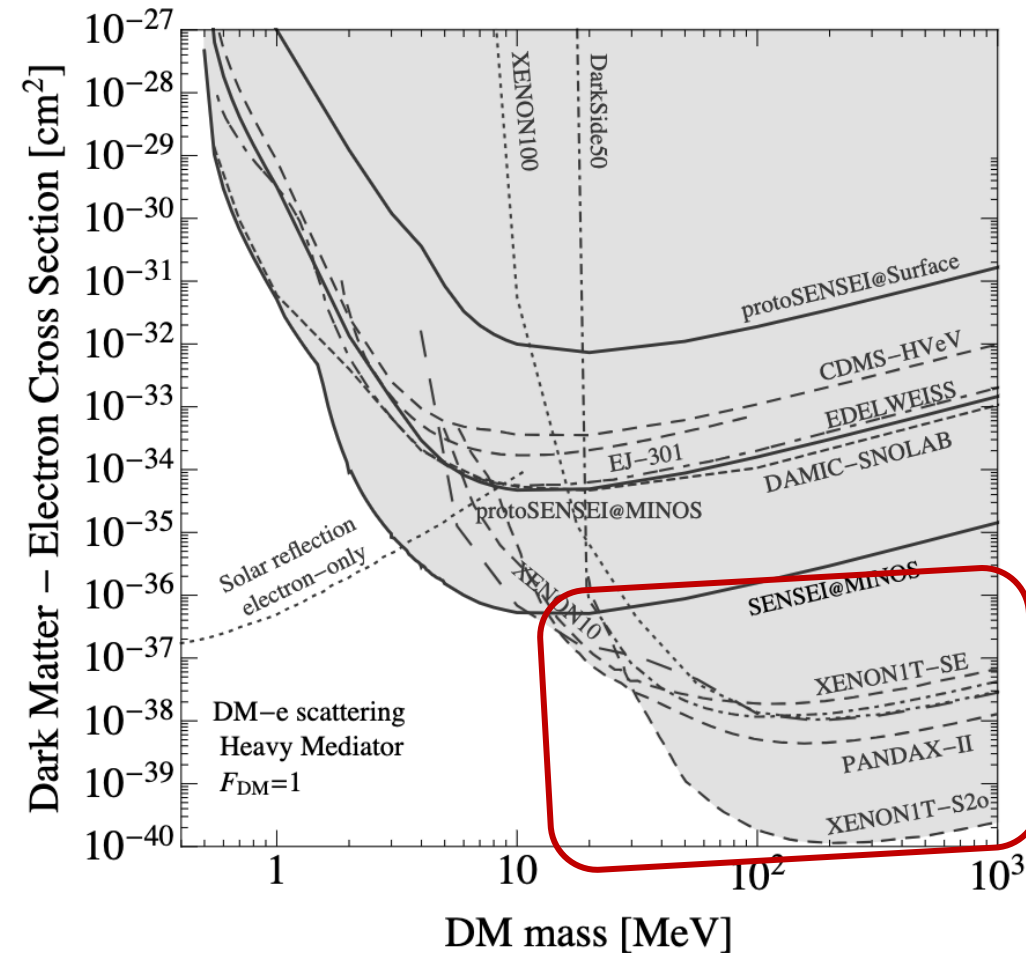
In collaboration with: Andres Tellez Mora, Riccardo Catena, Nicola Spaldin

Searching sub-GeV DM with liquid Xenon



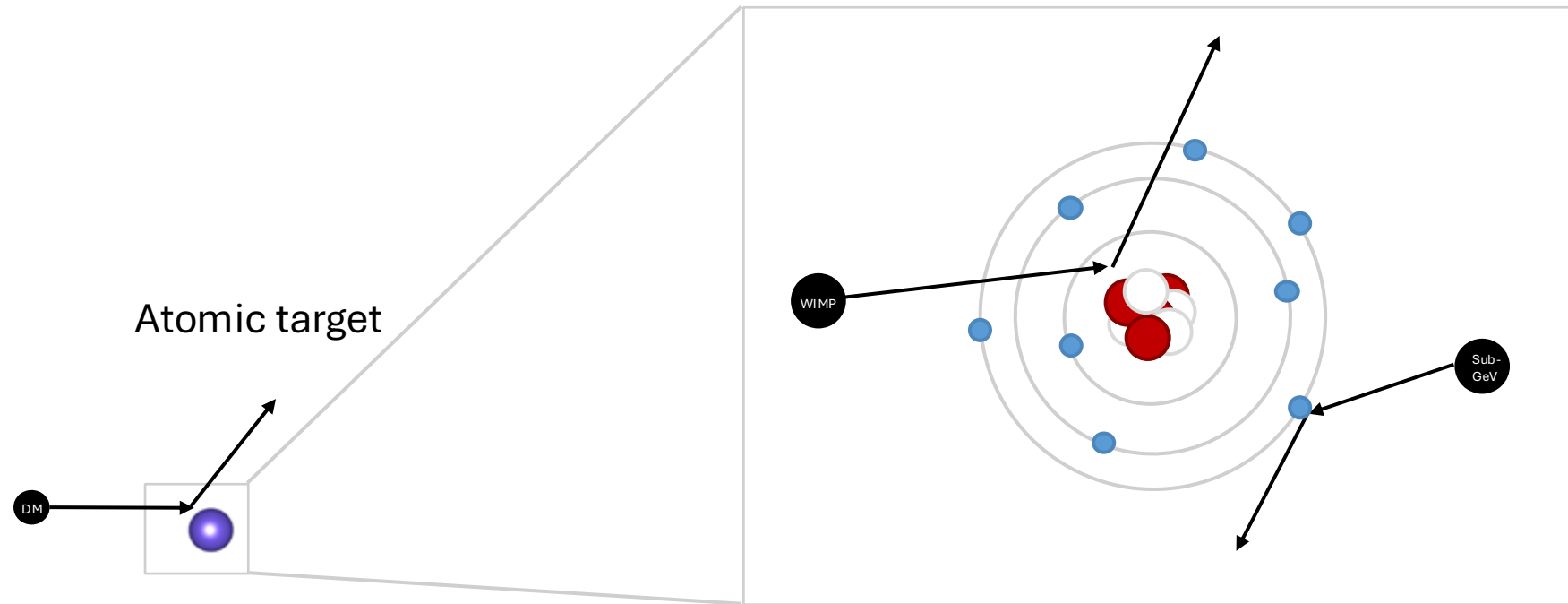
Snowmass2021; [arXiv:2203.08297](https://arxiv.org/abs/2203.08297)

Searching sub-GeV DM with liquid Xenon

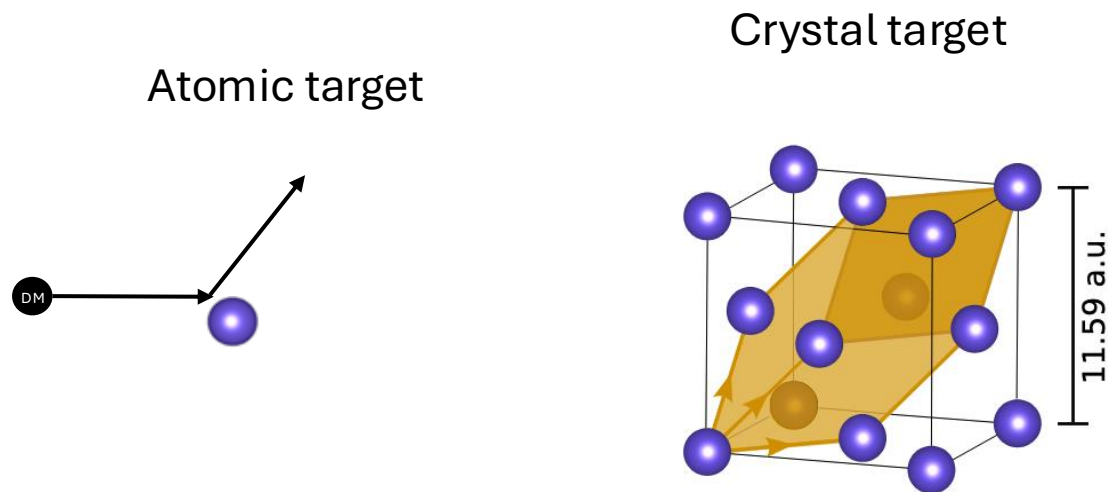


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Searching sub-GeV DM with liquid Xenon

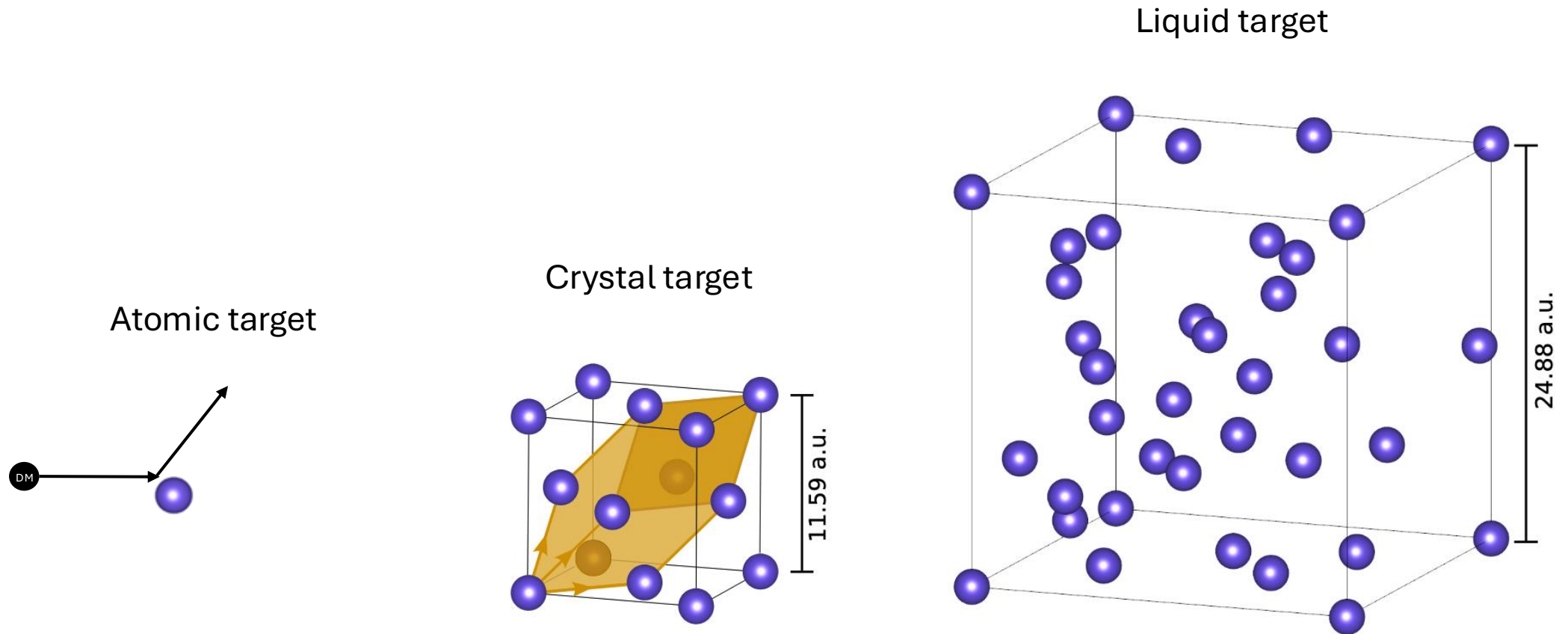


Searching sub-GeV DM with liquid Xenon



Catena et al.; doi:[10.21468/SciPostPhys.19.3.064](https://doi.org/10.21468/SciPostPhys.19.3.064)

Searching sub-GeV DM with liquid Xenon



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Electronic states in EXCEED-DM



Calculates DM-electron interaction rates based on the electronic configuration of the target

T. Trickle; doi:[10.1103/PhysRevD.107.035035](https://doi.org/10.1103/PhysRevD.107.035035)

S. M. Griffin, et al.; doi:[10.1103/PhysRevD.104.095015](https://doi.org/10.1103/PhysRevD.104.095015)

Electronic states in EXCEED-DM

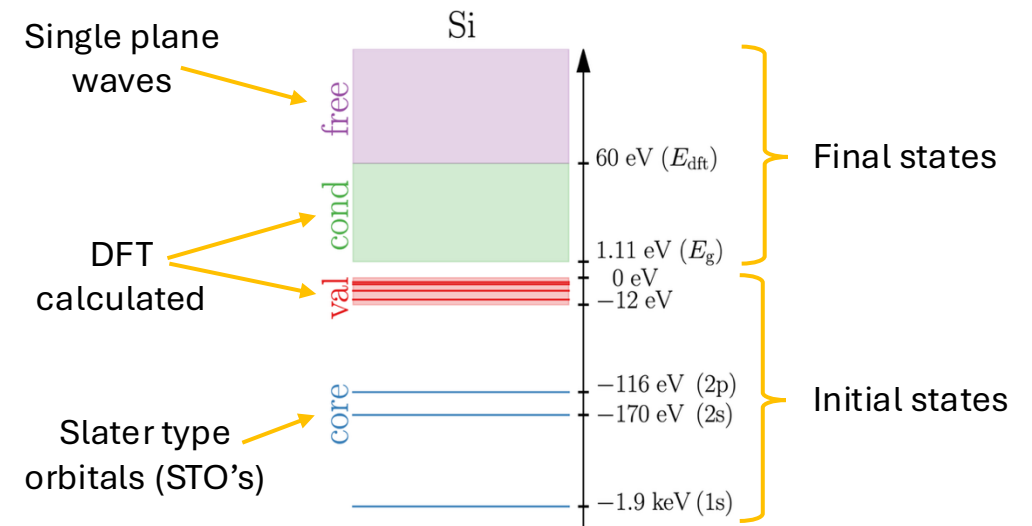


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Crystal targets



Electronic states in EXCEED-DM



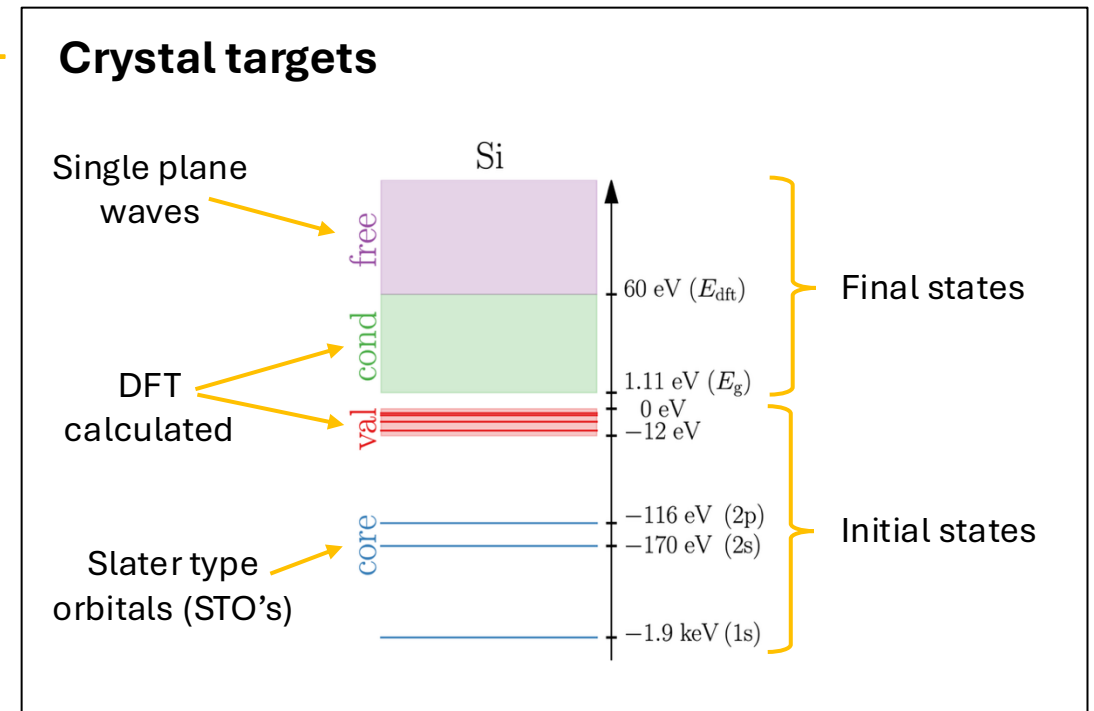
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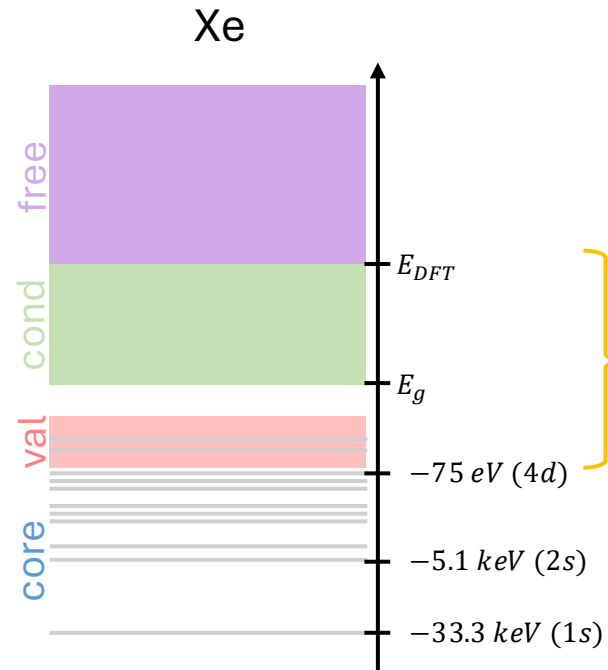
S. M. Griffin, et al.; doi:[10.1103/PhysRevD.104.095015](https://doi.org/10.1103/PhysRevD.104.095015)

Absorption in **atomic targets**:

G. Krnjaic, T. Trickle; doi:[10.1103/PhysRevD.108.015024](https://doi.org/10.1103/PhysRevD.108.015024)



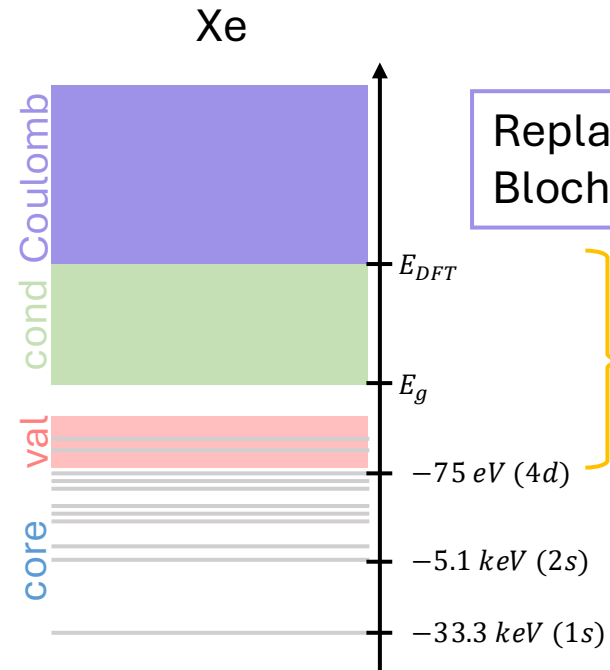
Electronic states of Xenon



DFT + All-electron reconstruction

Ask Andres
Tellez Mora

Electronic states of Xenon



Replace single plane waves by
Bloch-Coulomb states

DFT + All-electron reconstruction

Ask Andres
Tellez Mora

New Coulomb states

Positive energy solutions of the Schrödinger equation for isolated atoms:

$$\Psi_{p_f l m}(\mathbf{x}) = R_{\eta l}(x, p_f) Y_l^m(\Omega_{\mathbf{x}})$$

↑
Unbound
hydrogen-like
orbitals

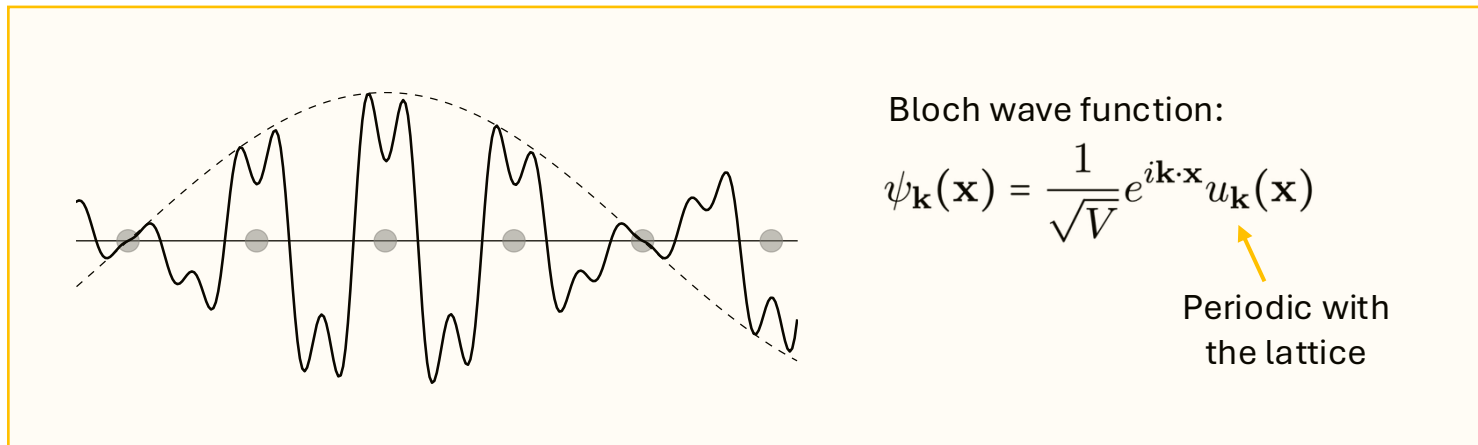
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New Coulomb states

Positive energy solutions of the Schrödinger equation for isolated atoms:

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Make it Bloch electrons $\longrightarrow$ We want to describe ionization in a condensed matter system



New Coulomb states

Positive energy solutions of the Schrödinger equation for isolated atoms:

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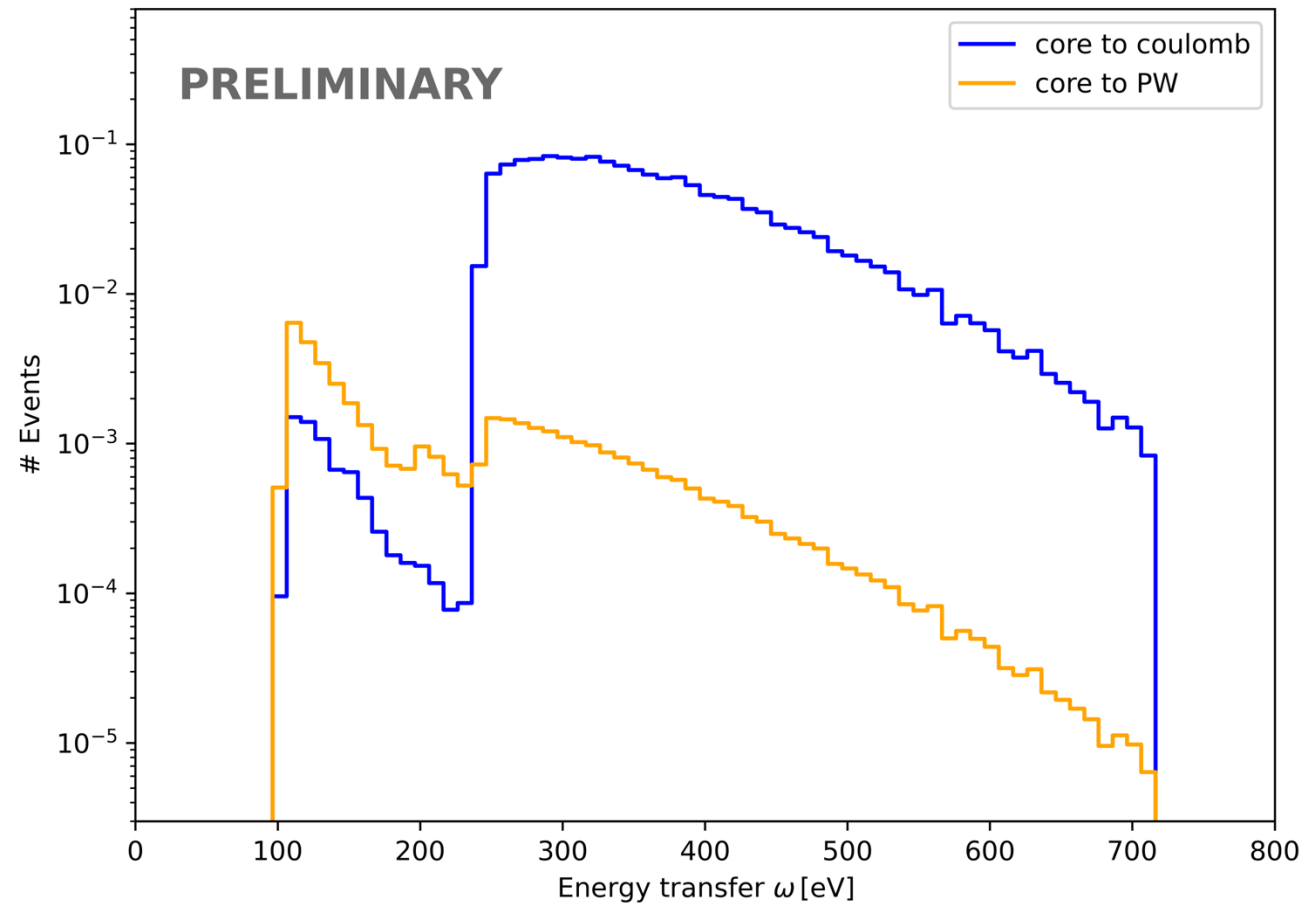
Make it Bloch electrons  We want to describe ionization in a condensed matter system

$$\Psi_{\mathbf{p}_f}(\mathbf{x}) = \frac{1}{\sqrt{V}} e^{i\mathbf{p}_f \cdot \mathbf{x}} \sum_{\mathbf{r}} \sum_{\mathbf{x}_{eq}} e^{i\mathbf{p}_f \cdot (\mathbf{x} - \mathbf{r} - \mathbf{x}_{eq})} \cdot 4\pi \sum_l \sum_m i^l e^{i\sigma_l} R_{\eta l}(x - r - x_{eq}, p_f) \cdot Y_l^m(\Omega_{\mathbf{x} - \mathbf{r} - \mathbf{x}_{eq}}) Y_l^m(\Omega_{\mathbf{p}_f})$$

Inspired by ARPES (Angle Resolved Photo Emission Spectroscopy)

C. Kern et al.; doi:10.1103/PhysRevResearch.5.033075

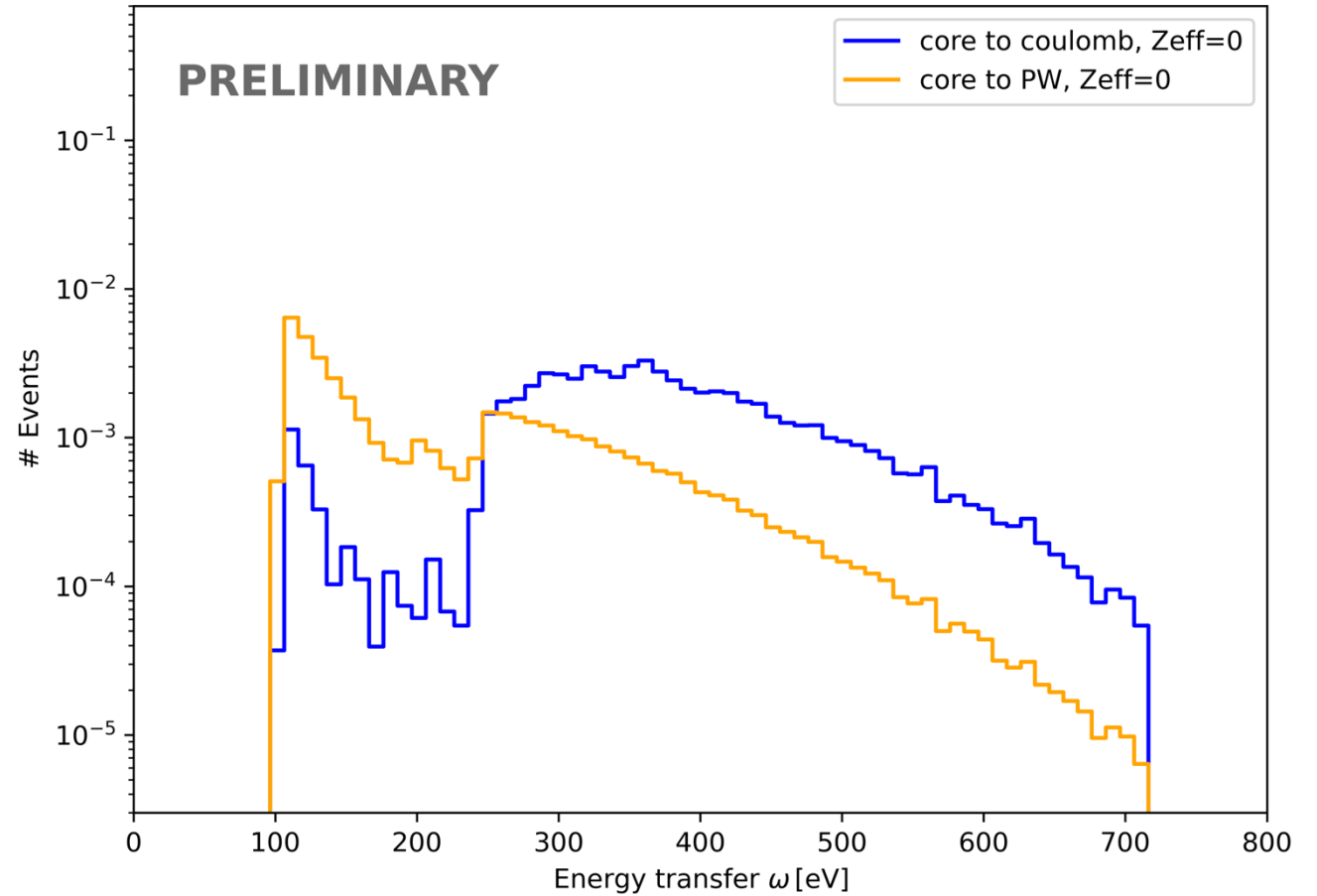
First test for crystalline Xenon



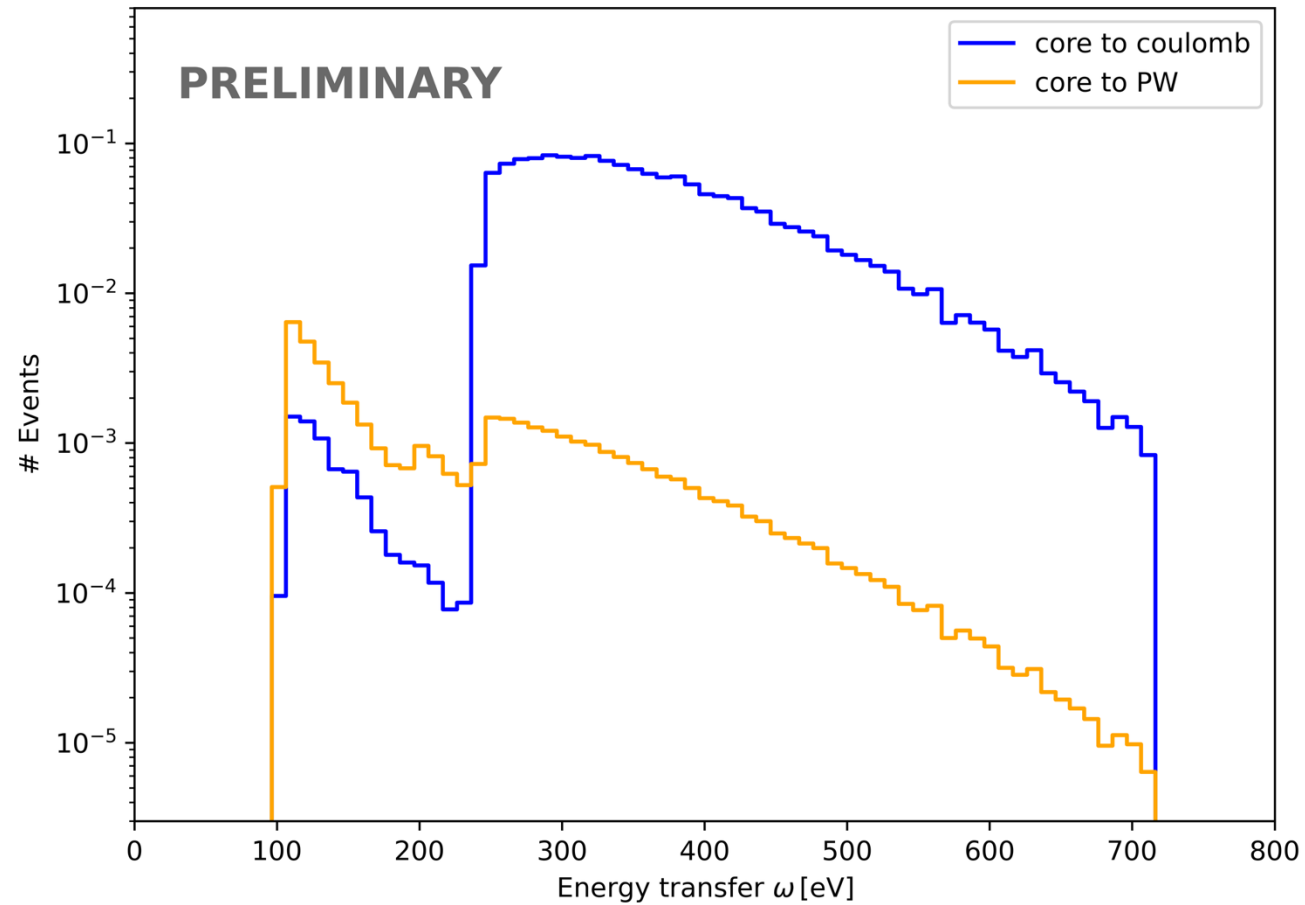
Sanity check

$$\Psi_{\mathbf{p}_f}(\mathbf{x}) = \frac{1}{\sqrt{V}} e^{i\mathbf{p}_f \cdot \mathbf{x}} \sum_{\mathbf{r}} \sum_{\mathbf{x}_{eq}} e^{i\mathbf{p}_f \cdot (\mathbf{x} - \mathbf{r} - \mathbf{x}_{eq})} \\ \cdot 4\pi \sum_l \sum_m i^l e^{i\sigma_l} R_{\eta l}(x - r - x_{eq}, p_f) \\ \cdot Y_l^m(\Omega_{\mathbf{x} - \mathbf{r} - \mathbf{x}_{eq}}) Y_l^m(\Omega_{\mathbf{p}_f})$$

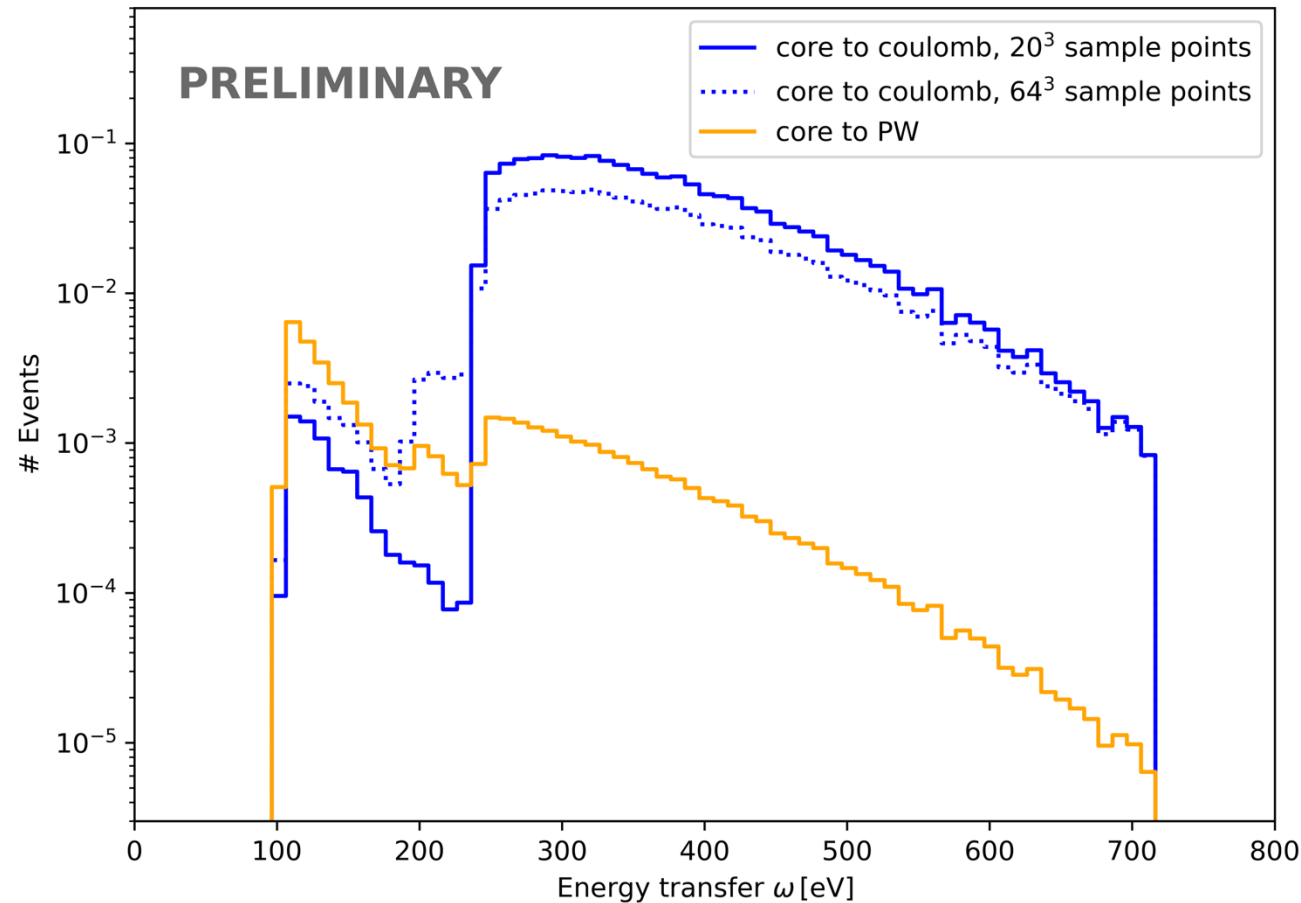
For $\eta = \frac{Z_{eff}}{a_0 p_f} \rightarrow 0$ the Coulomb states become plane waves



Potential problem: sampling of the unit cell



Potential problem: sampling of the unit cell



Numerical integration over the unit cell
causes problems

How many sample points for a stable result?

Potential problem: sampling of the unit cell

